

Muon lifetime measurement at J-PARC muon $g-2$ /EDM experiment

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- Muon lifetime is the best way to determine the Fermi coupling constant G_F , which is an important input for the weak interaction tests (such as M_W).

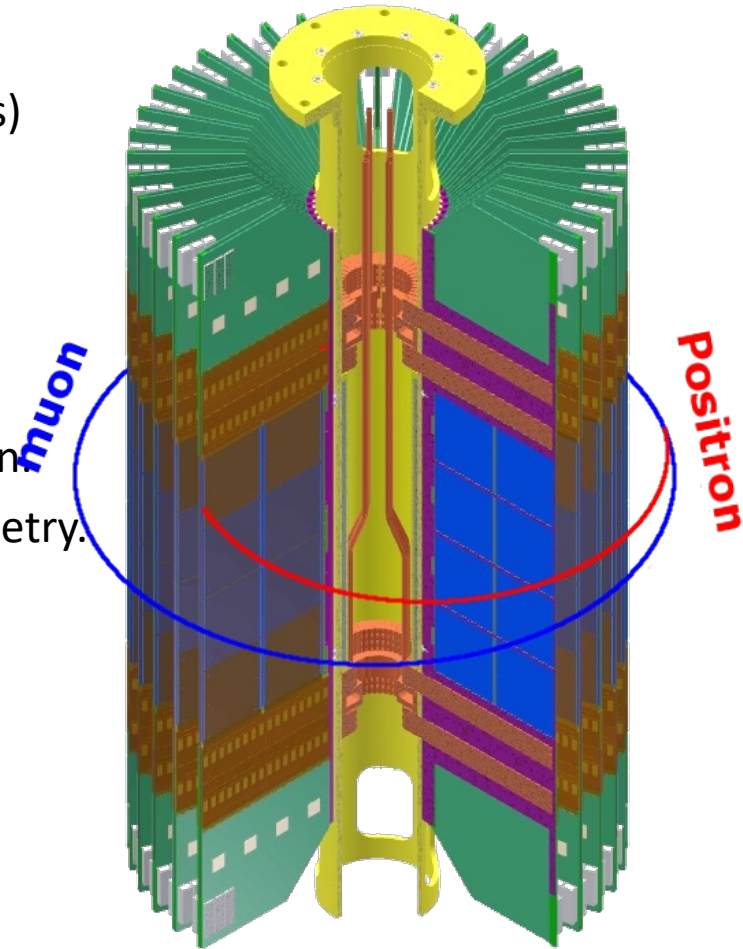
$$\frac{1}{\tau_\mu} = \frac{G_F^2 m_\mu^5}{192\pi^3} \left(1 + \sum_i \Delta q^{(i)} \right),$$

- Δq : correction from electron mass, QED 1st and 2nd order radiative correction. Its theoretical uncertainty is 0.14ppm
- m_μ : Muon mass. Measured to be 105.6583755(23) MeV (0.02ppm).
- τ_μ : Muon life time.
- Most precise value of τ_μ is given by the MuLAN experiment at the precision of (1.0ppm).
 - $\tau_\mu = 2196980.3 \pm 2.1$ (stat) ± 0.7 (syst) ps
- Experimental error on τ_μ limits the precision of G_F .
- Comparison with the MuLAN result may be a test of time dilation in special and general relativity.

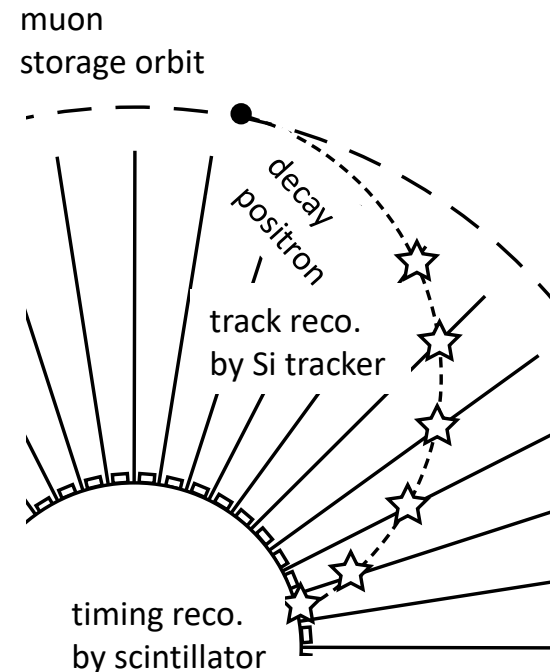
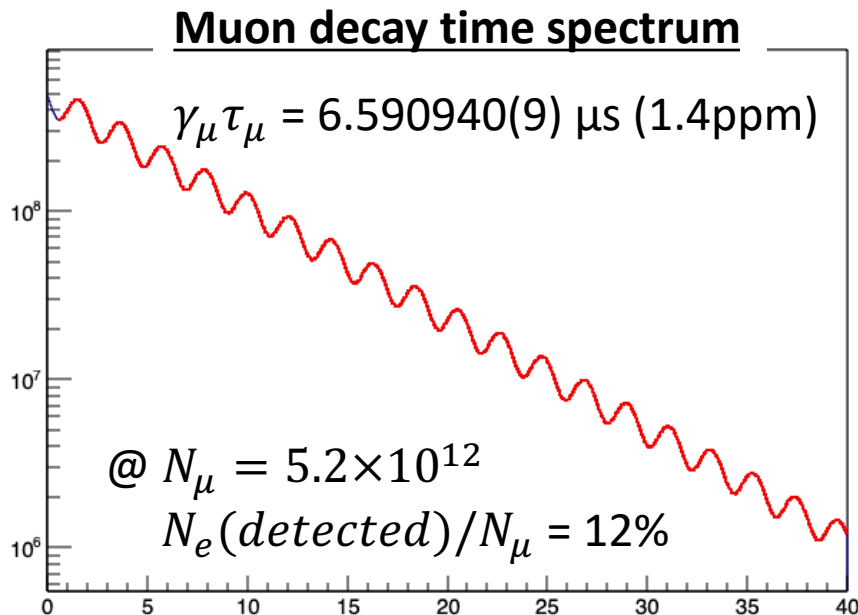
Muon storage region in E34 experiment

3

- Muons are injected into the storage region, and follows a cyclotron motion.
- Storage region:
 - Beam profile
 - Z : $\sim \pm 10$ mm (VBO amplitude)
 - Lorentz factor γ : 3.0 (spread: 0.04% in rms)
 - B_z : 3T (uniformity: 0.1ppm)
- Decay positrons are measured by a silicon strip detector.
 - g-2 meas. by a wiggle of decay time distribution.
 - EDM meas. by a wiggle in the up-down asymmetry.

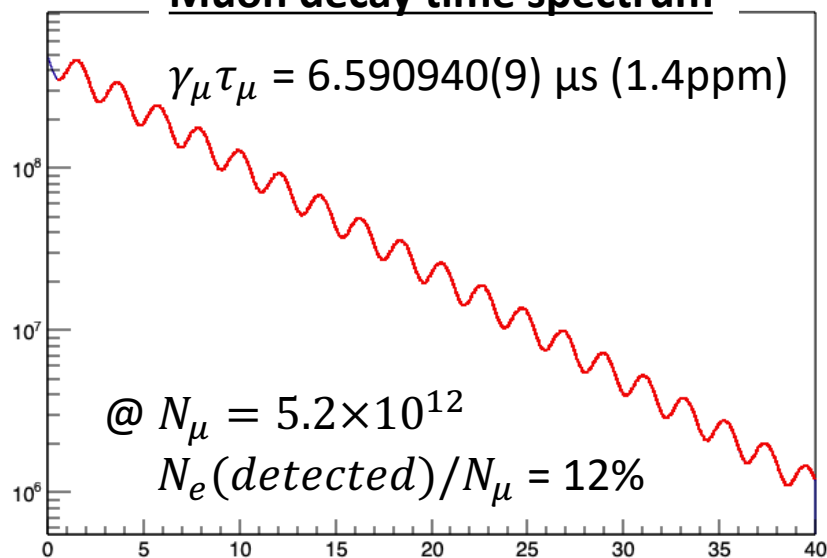


- This setup can also be used for muon lifetime measurement.
- Dilated lifetime of muon $\gamma_\mu \tau_\mu$ from decay time spectrum of positron
- Lorentz factor of muon γ_μ from cyclotron period measured from muon bunch motion.

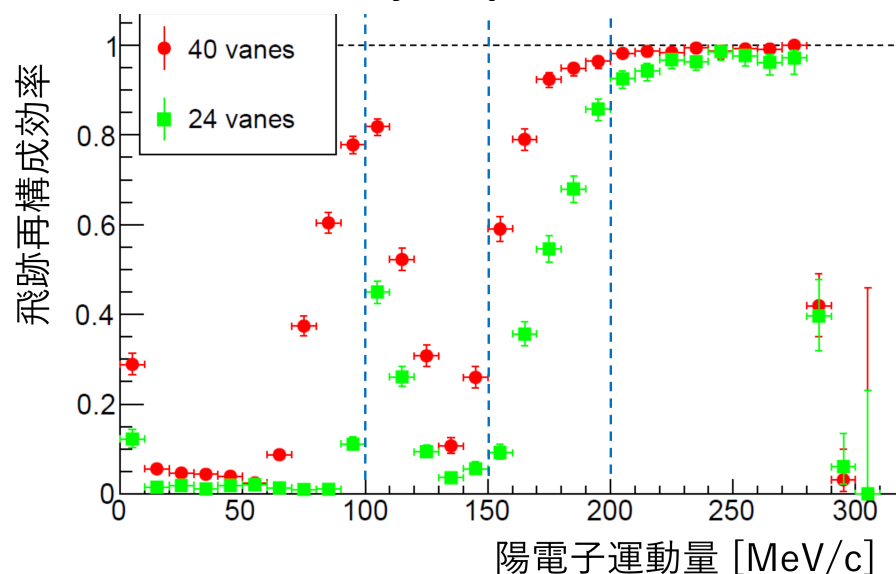


- Dilated muon lifetime $\gamma_\mu \tau_\mu$ can be obtained from the Wiggle plot.
- Expected statistical uncertainty is 1.4ppm (comparable to MuLAN.)
 - assuming $N_\mu = 5.2 \times 10^{12}$, and positron detection efficiency of 12 % (TDR statistics)
- Further improvement may be possible by efficiency enhancement by detecting the decay positrons with lower momentum.
 - Increase number of vane
 - Track finding algorithm improvement

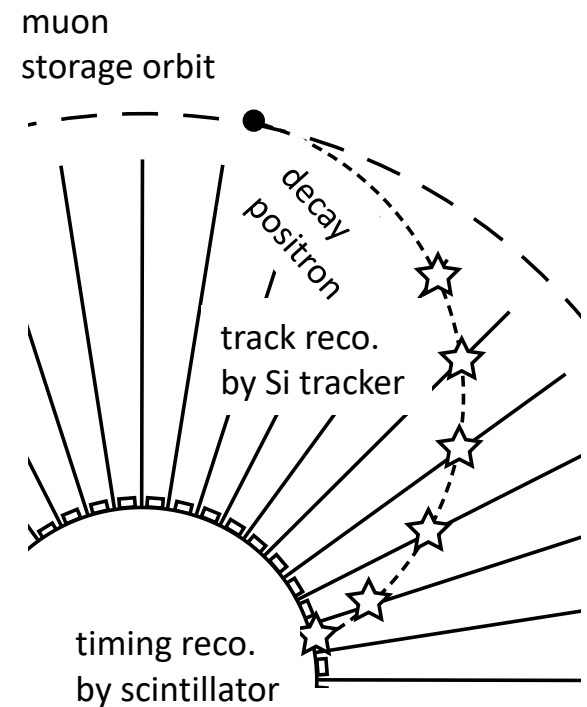
Muon decay time spectrum



Detection efficiency vs. positron momentum



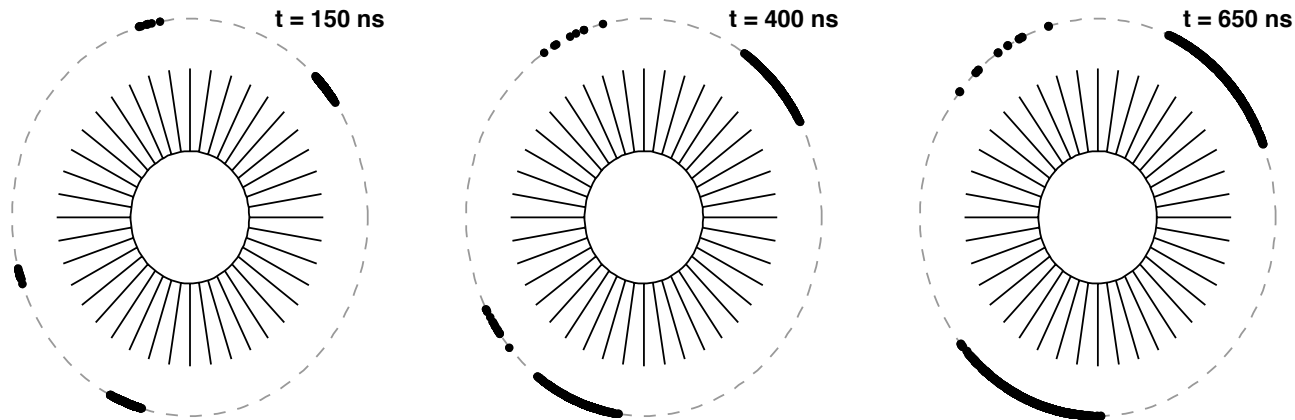
- Lorentz factor of muon γ_μ will be measured from its cyclotron period τ_c , which can be measured from the muon bunch position.
 - $\gamma_\mu = eB/(\tau_c m_\mu 2\pi)$
- Cyclotron period is measured from the motion of muon bunch.
 - Motion of each muon bunch can be measured from reconstructed decay vertex and timing.
 - decay vertex : intersection of muon storage orbit and measured positron track.
 - decay timing: measured timing of positron track



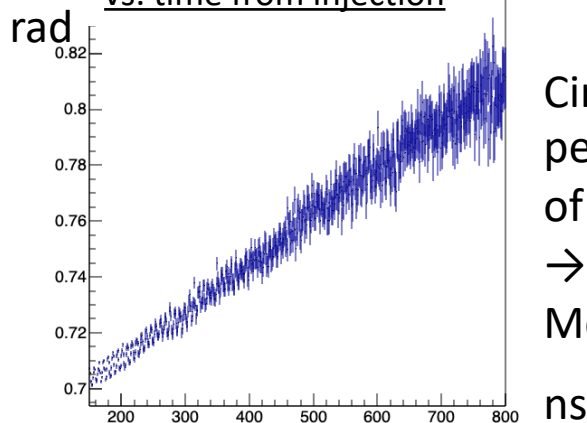
Lorentz factor γ_μ measurement

- In reality, distribution of γ_μ has also to be measured.
 - Design value of γ_μ distribution : 0.04% rms.
- This should be possible from the “de-bunching speed” of muon beam.

Simulated muon position (as a function of time from injection)

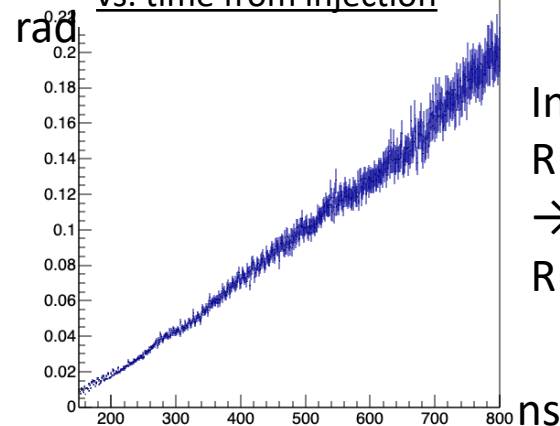


Mean position of bunch
vs. time from injection



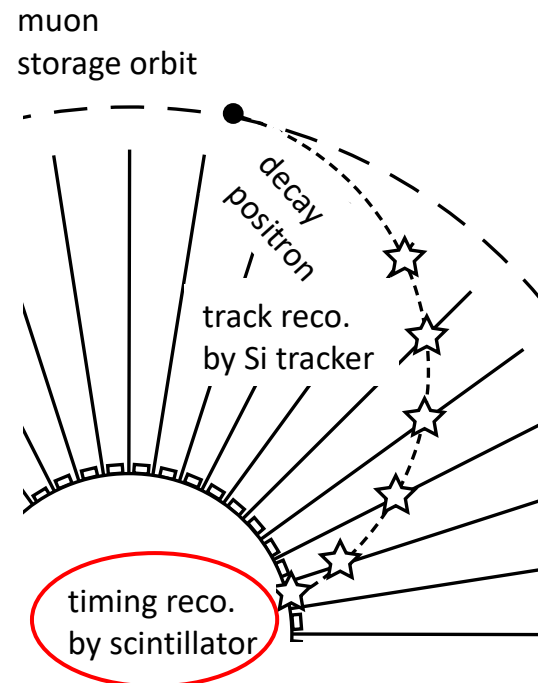
Circulation
period of center
of each bunch
→
Mean of γ_μ

“Width” of bunch
vs. time from injection



Increase on the
RMS of each bunch
→
RMS of γ_μ

- Timing resolution of the silicon strip detector may not be sufficient for γ_{μ} measurement.
 - Expected timing resolution is limited for $\sim 1.2\text{ns}$.
 - Depending on the number of vane hit by each positron
 - Minimum interval between bunches is $\sim 1\text{ns}$.
 - Bunch by bunch separation is difficult with this timing resolution.
- A new detector dedicated for the timing measurement is under consideration.
 - Fast plastic scintillator + SiPM readout
 - ~ 100 small scintillator blocks ($3 \times 3 \times 20 \text{ mm}^3$) mounted on the center pole of silicon tracker
 - 100ps timing resolution should be achievable.
 - Based on the technology adopted in MEG II/Mu3e experiment.



- A possibility of a precise muon lifetime measurement in J-PARC E34 experiment is discussed.
- The dilated muon lifetime $\gamma_\mu \tau_\mu$ is obtained from the decay time spectrum.
- The Lorentz factor γ_μ is obtained from the cyclotron period, which is reconstructed from the decay positron tracks. A new additional detector for timing measurement is being discussed.
- Statistical uncertainty will be $\sim 1\text{ppm}$, which is better or comparable to the current upper limit given by the MuLan experiment.
- Systematic uncertainty has to be investigated, especially on the pileup effect on efficiency, the muon loss, the precision of γ_μ measurement, and the effect of VBO/CBO etc...

We start thinking about this possibility recently, and we would appreciate it if you could give us some comments and advices based on your experience at BNL/FNAL.

BACKUP

$$\tau_\mu(\text{R06}) = 2196979.9 \pm 2.5(\text{stat}) \pm 0.9(\text{syst}) \text{ ps} \quad (20)$$

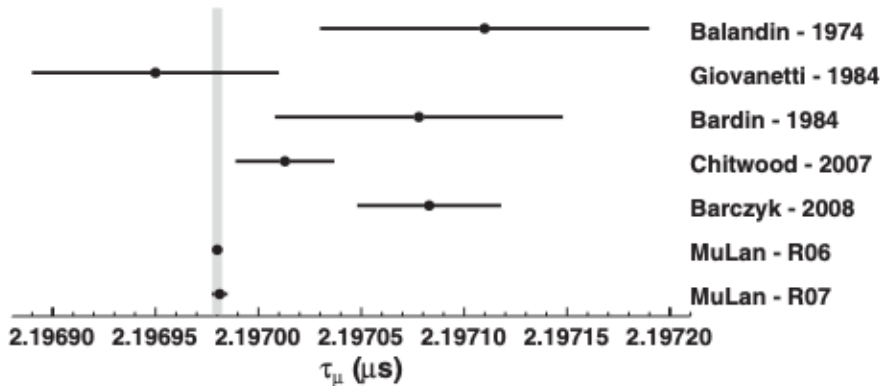
and

$$\tau_\mu(\text{R07}) = 2196981.2 \pm 3.7(\text{stat}) \pm 0.9(\text{syst}) \text{ ps.} \quad (21)$$

The combined result

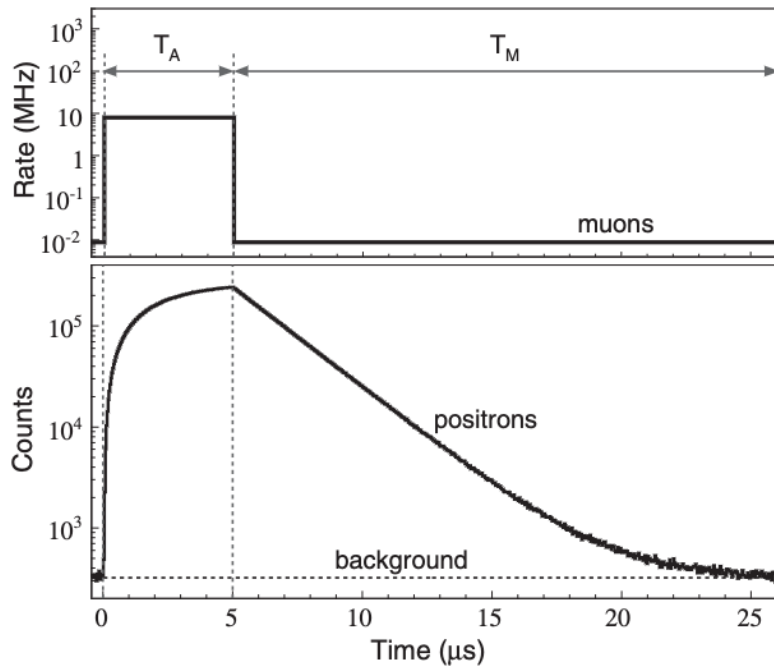
$$\tau_\mu(\text{MuLan}) = 2196980.3 \pm 2.1(\text{stat}) \pm 0.7(\text{syst}) \text{ ps} \quad (22)$$

Uncertainty	R06 (ppm)	R07 (ppm)
Kicker stability	0.20	0.07
μ SR distortions	0.10	0.20
Pulse pileup		0.20
Gain variations		0.25
Upstream stops		0.10
Timing pick-off stability		0.12
Master clock calibration		0.03
Combined systematic uncertainty	0.42	0.42
Statistical uncertainty	1.14	1.68



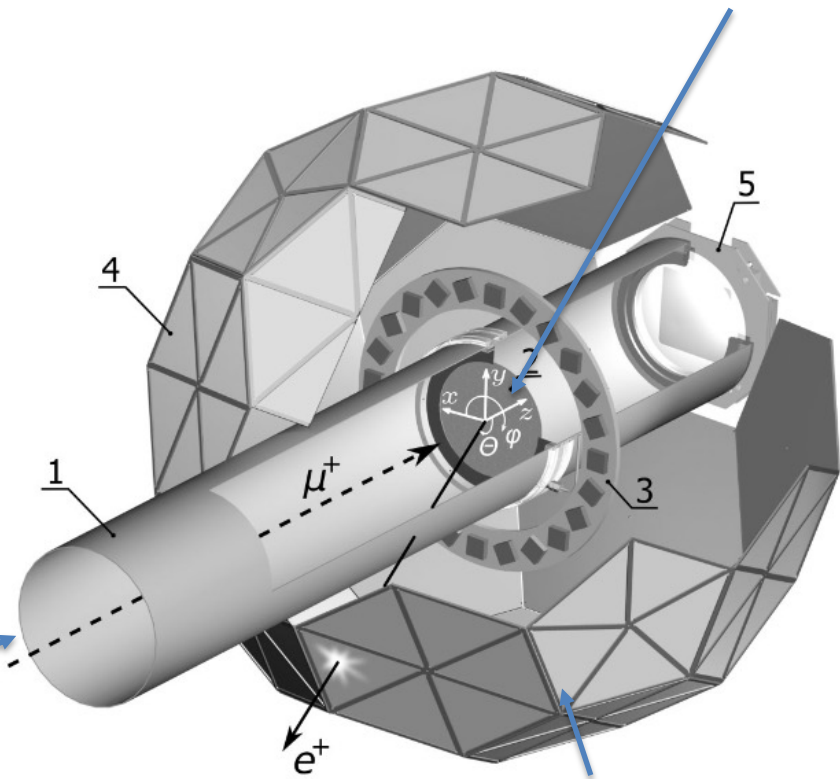
$$G_F(\text{MuLan}) = [1.1663787(6) \times 10^{-5}] \text{ GeV}^{-2} (0.5 \text{ ppm}).$$

- 「5us beamを標的に当てる→22us 崩壊用電子数を測る」を繰り返す。



標的に止める
止めた後のPolarizationを制御

Surface DC muon beam
をKickerでpulse化



崩壊陽電子をシンチで測定
立体角70%でカバー
Pileup対策 (Early-to late effect)

