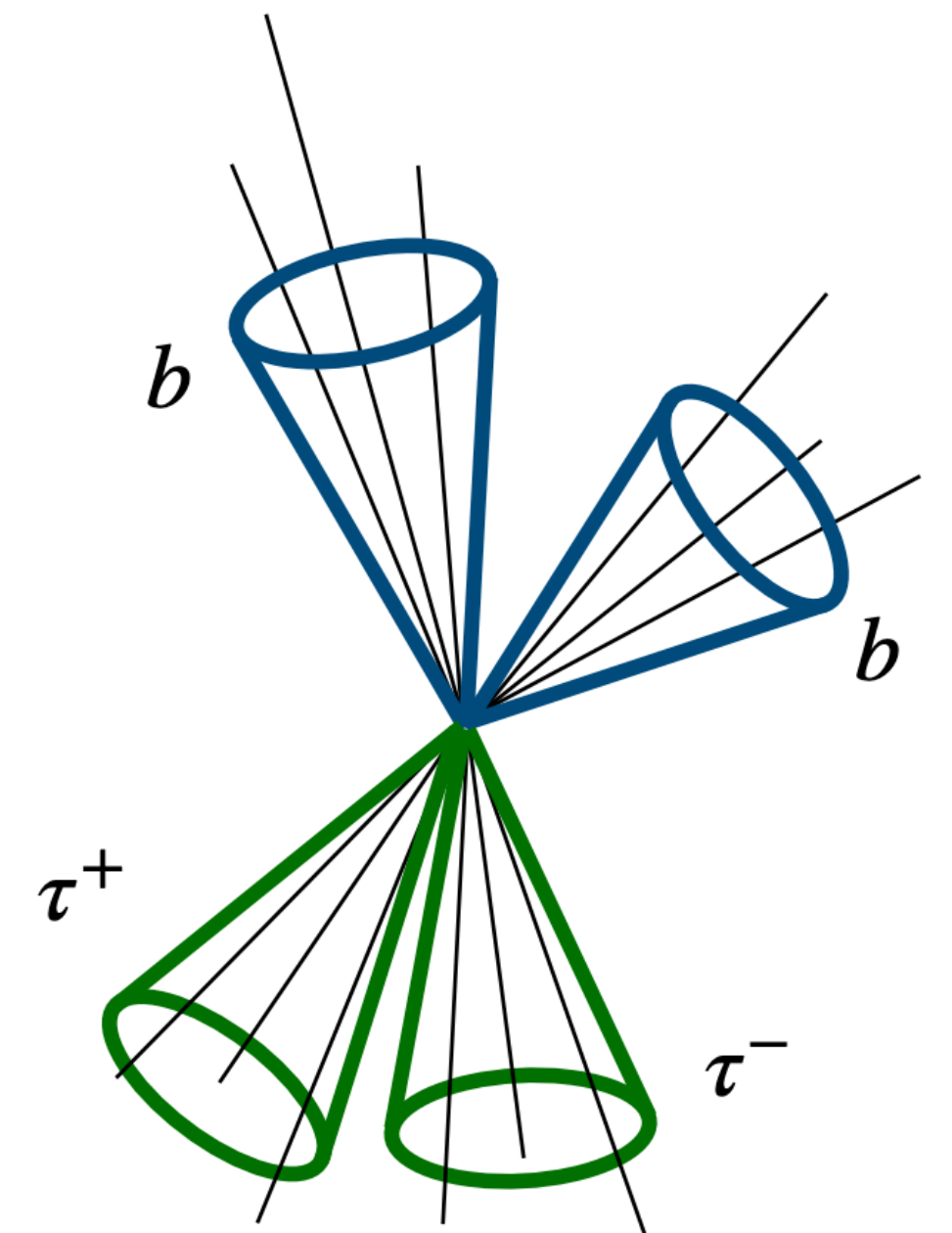


Search for non-resonant Higgs boson pair production in $bb\tau\tau$ final state with the ATLAS detector

Liangliang Han, Lei Zhang, Shenjian Chen

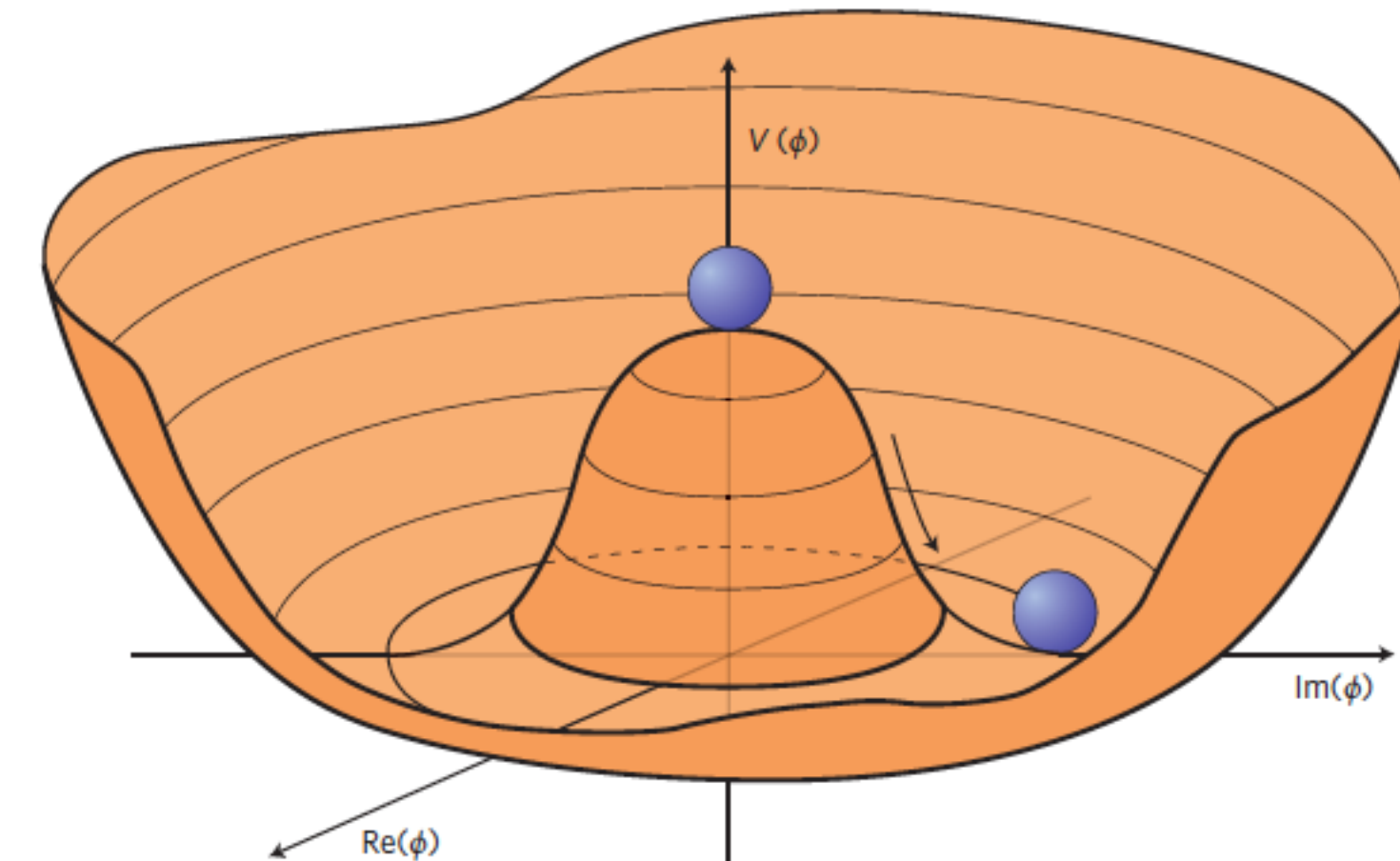
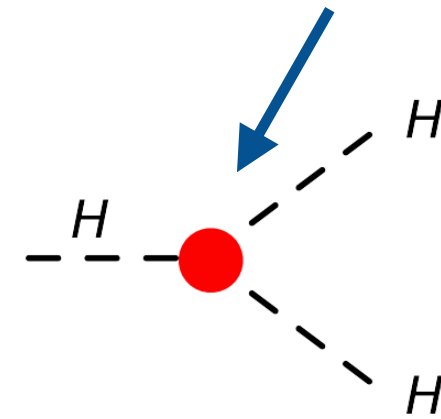
Nanjing University

2023/11/16



→ After Higgs boson discovery, only a portion of **Higgs potential** has been measured.

$$V(\Phi) = -\mu^2(\Phi^\dagger\Phi) + \lambda(\Phi^\dagger\Phi)^2$$
$$= \frac{1}{2}m_H^2 H^2 + \boxed{\lambda v H^3} + \frac{\lambda}{4}H^4, \quad \boxed{m_H^2 = 2\lambda v^2}$$

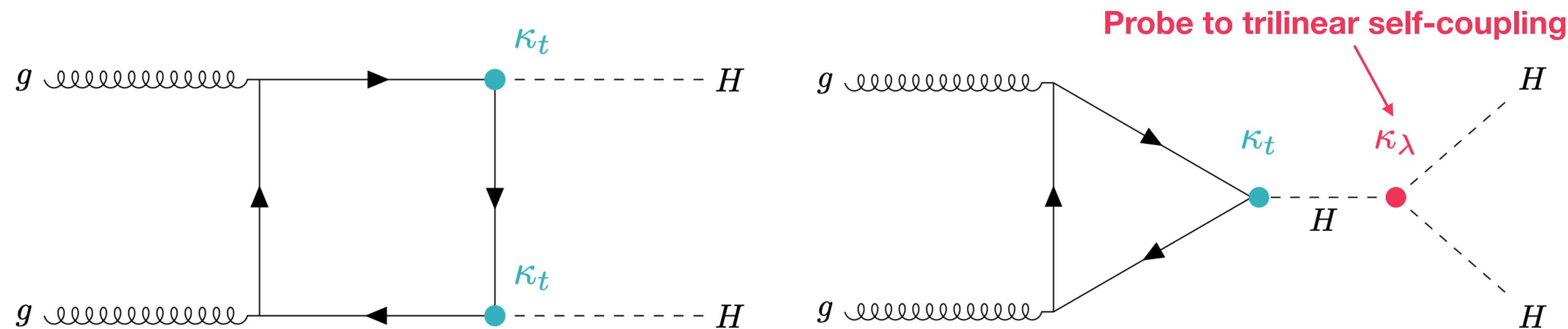


→ **Higgs boson trilinear self-coupling**

- The shape of Higgs potential
- Better understanding of Higgs mechanism and electroweak symmetry breaking
- Experimentally accessed by studying Higgs boson pair (HH) production
- Any deviation from the self-coupling predicted by the SM → a sign of new physics

→ Very small cross-section! ~3 orders of magnitude smaller than single H production

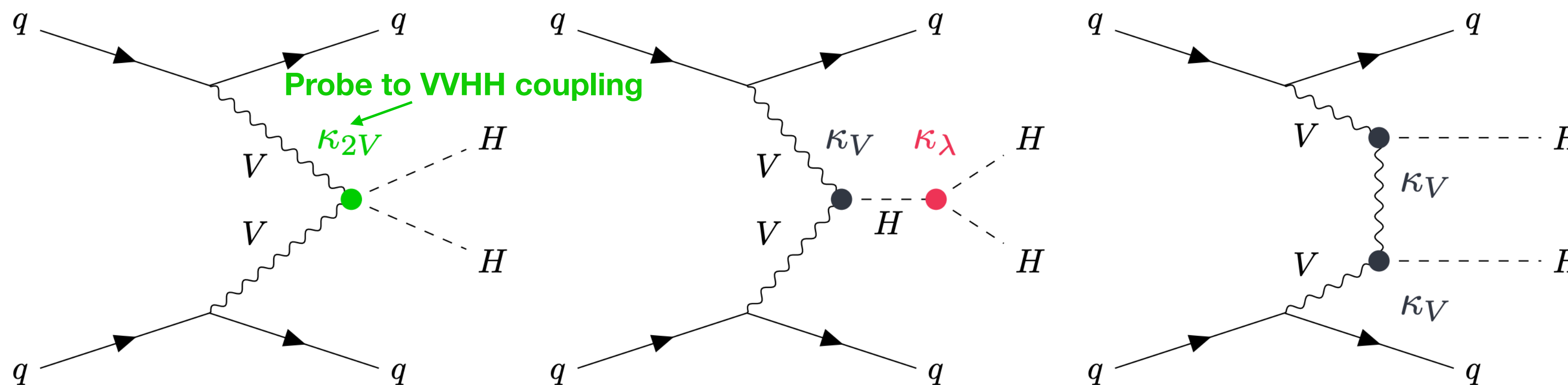
- Gluon-gluon fusion: $\sigma_{ggF}^{SM} = 31.05 \text{ fb @ } 13\text{TeV}$



$$\text{Modifier : } \kappa_\lambda = \frac{\lambda_{HHH}}{\lambda_{HHH}^{SM}}$$

$\kappa_\lambda = 1$, in the case of SM

- Vector-boson fusion: $\sigma_{VBF}^{SM} = 1.73 \text{ fb @ } 13\text{TeV}$



- Other production modes (e.g. VHH, ttHH) have even smaller cross-section.

→ Re-analysis of the full Run 2 dataset inherited from previous analysis to improve the Higgs boson self-coupling measurement!

Legacy Analysis inherited from previous analysis:

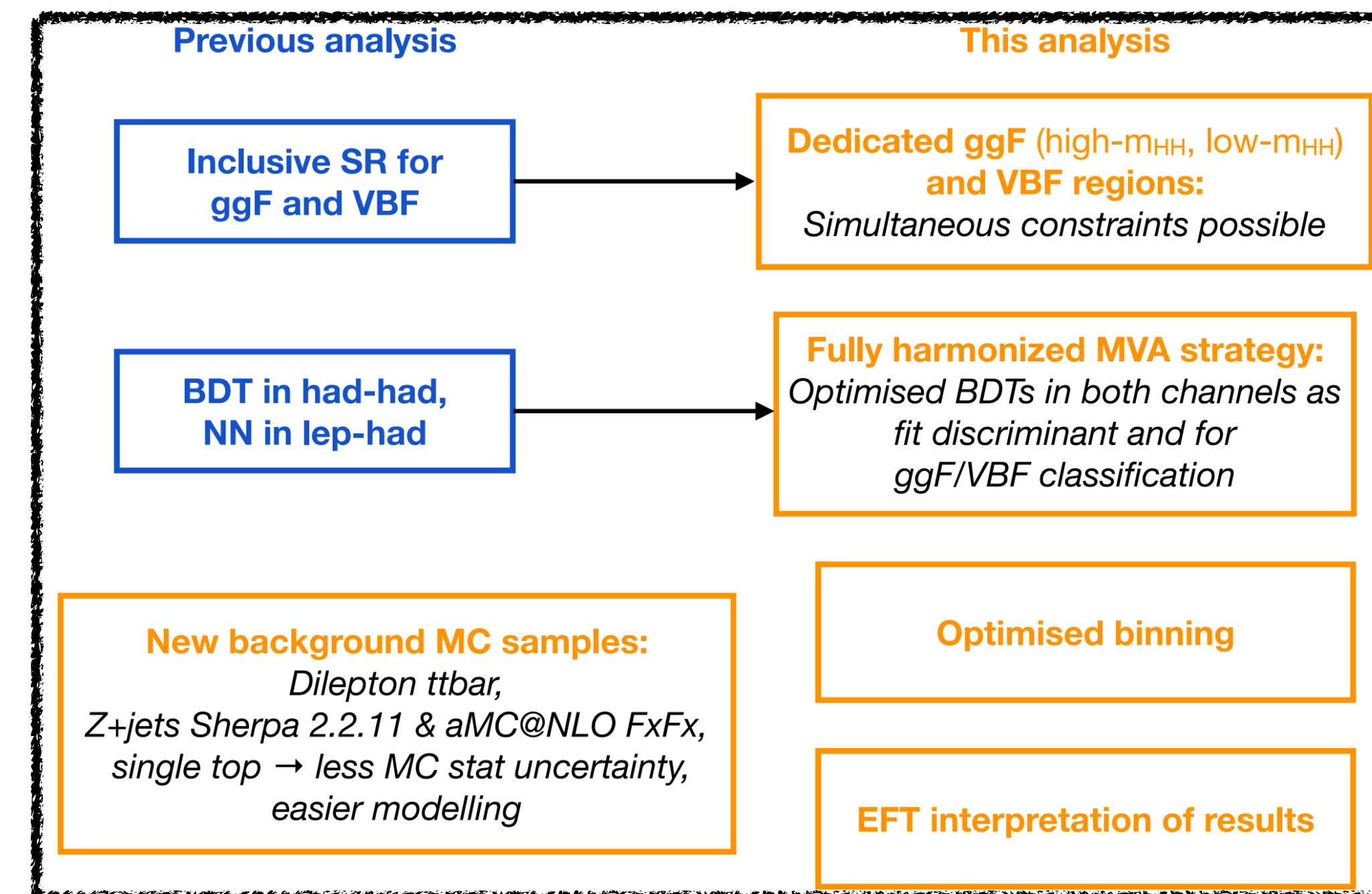
- Object selection and identification
- Trigger strategy
- Overall event selection (except Z CR)

What we changed/included for achieving the figure of merits:

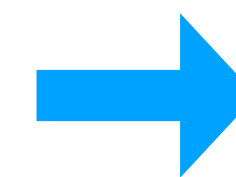
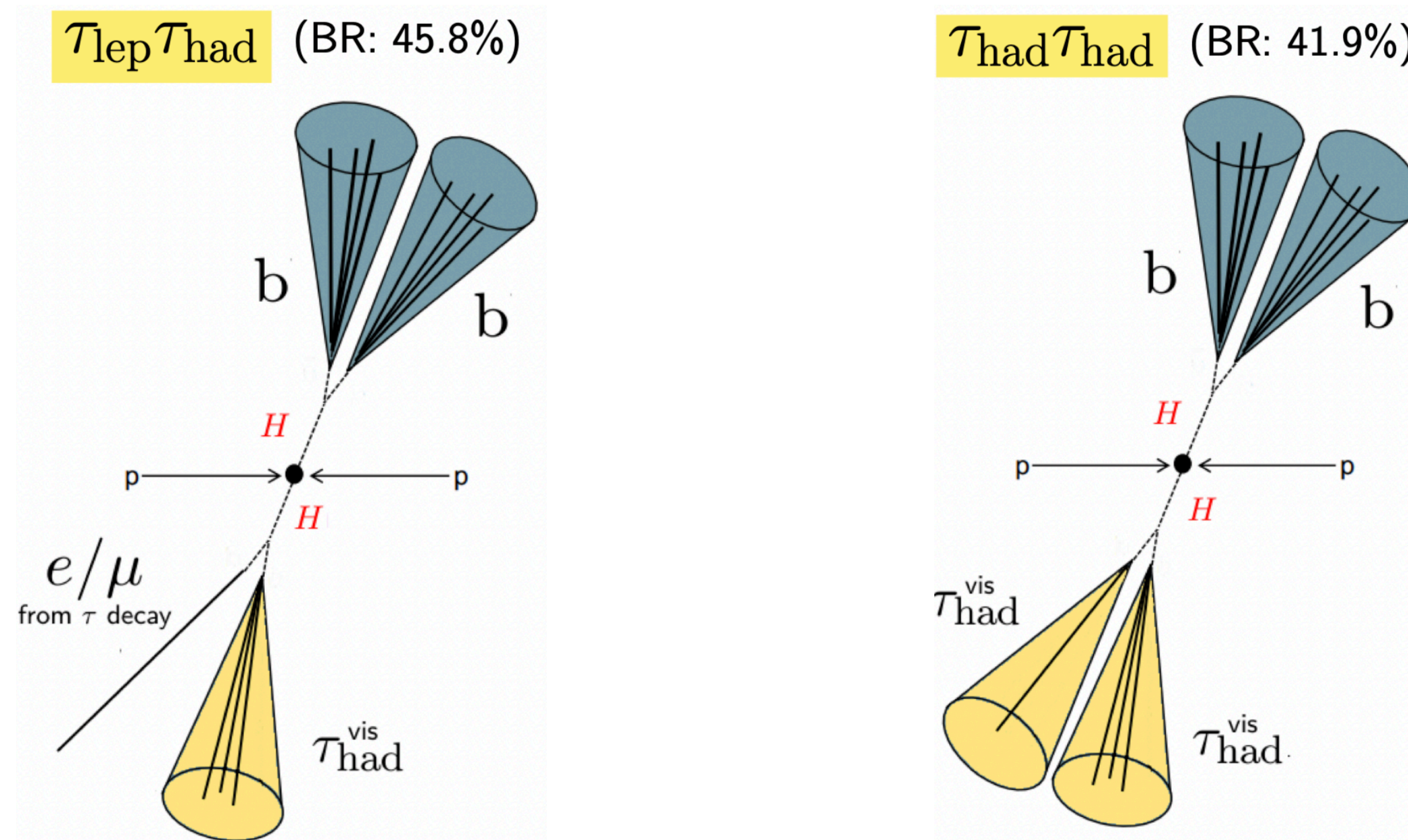
- Event categorisation: dedicated VBF SR and m_{HH} split
- Increase MC statistics (for background)
 - **dilepton $t\bar{t}$** (DSID 410472) is combined with **non-all-hadronic**
 - New **Sherpa2.2.11** samples for **V+jets**
- Re-optimisation of MVA approach: variables / hyperparam / binning
- Partial re-definition of CR
- More interpretations: EFT

Harmonisation of the frameworks:

- Unlike previous analysis
 - Choose common framework (CxAOD Reader) for sub-channels
- Common codes for MC modelling evaluation and MVA trainings



→ Targeting at non-resonant $HH \rightarrow b\bar{b}\tau\tau$ signal (2 b-tagged jets + OS tau-leptons)



**two analysis channels:
lephad and hadhad**

→ Events further categorized by triggers

hadhad	Single-tau triggers (STT) + Di-tau triggers (DTT)	High purity
lephad SLT	Single-lepton triggers (SLT)	High acceptance, large $t\bar{t}$ background
lephad LTT	Lepton + tau triggers (LTT)	Lower p_T^l increases low mass sensitivity

Data:

- Full run2 dataset with integrated luminosity of 140 fb⁻¹

MC samples

- **Signals:**
 - ▶ gg→HH samples at NLO (ggF. with $\kappa_\lambda = 1, 10$): **Powheg Box v2**
 - ▶ qq→HH samples at LO (VBF with varied $\kappa_\lambda, \kappa_{2V}, \kappa_V$): **MadGraph5_aMC@NLO 2.7.3**

Background samples:

- **$t\bar{t}$ and single top:** Powheg + Pythia8, $t\bar{t}$ using NNLO + NNLL X.S* and single top using NLO
 - ▶ $t\bar{t}$ norm freely floating as determined from data by the fit
- **V (W,Z) + jets: Sherpa 2.2.11, Di-boson (semi-leptonic):** Sherpa 2.2.1. V + jets using NNLO X.S and Di-boson NLO
 - ▶ Z + HF jets norm freely floating as determined by the Z + HF CR (\approx shared by HH → bbl group)
- **ttV:** Sherpa 2.2.1 for ttZ and Sherpa 2.2.8 for ttW, both at NLO
- **Single SM Higgs:** Powheg+Pythia8, NLO: **tth**, NNLO(QCD) + NLO(EW): qqZh, Wh, ggFh, VBFh, NLO+NLL: ggZh

Background due to a τ_{had} is fake by a jet, which is estimated by (semi-) data driven method

- τ_{had} fake by a lepton is taken from MC

→ Search for HH with bbtatau final states

$\tau_{\text{lep}}\tau_{\text{had}}$

$\tau_{\text{had}}\tau_{\text{had}}$

Triggers

Single Lepton (e/μ) triggers (SLT)

Single τ_{had} triggers (STT)

Or Lepton + τ_{had} triggers (LTT)

Or Di- τ_{had} triggers (DTT)

Offline Requirements Passed

Event Selection

$m_{\tau\tau}^{\text{MMC}[*]} > 60 \text{ GeV}$

Opposite-sign of $e/\mu/\tau_{\text{had}}$ and τ_{had}

Exactly two b-tagged jets

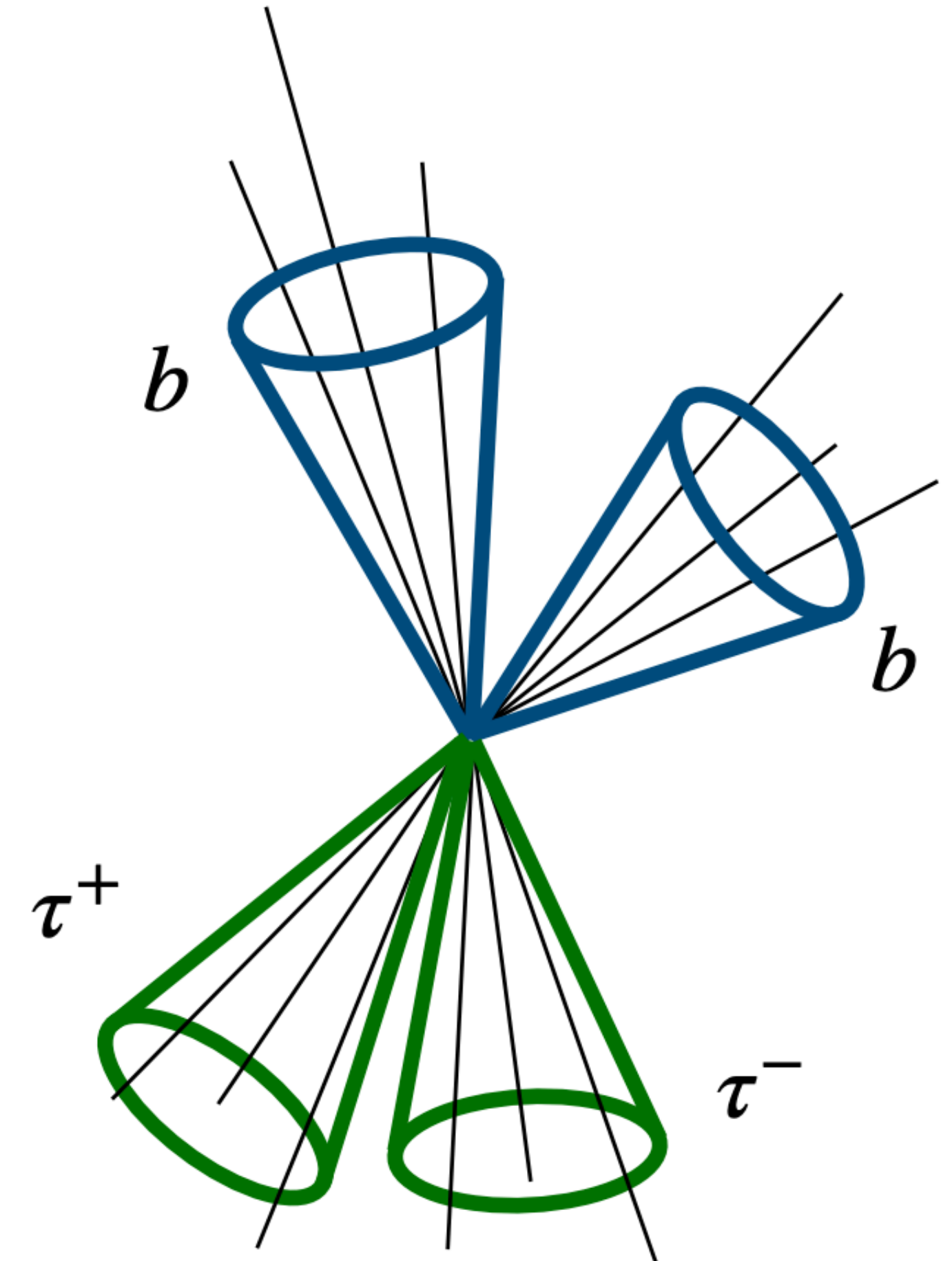
One (tight) e or (medium) μ

No loose e/μ

One (loose) τ_{had}

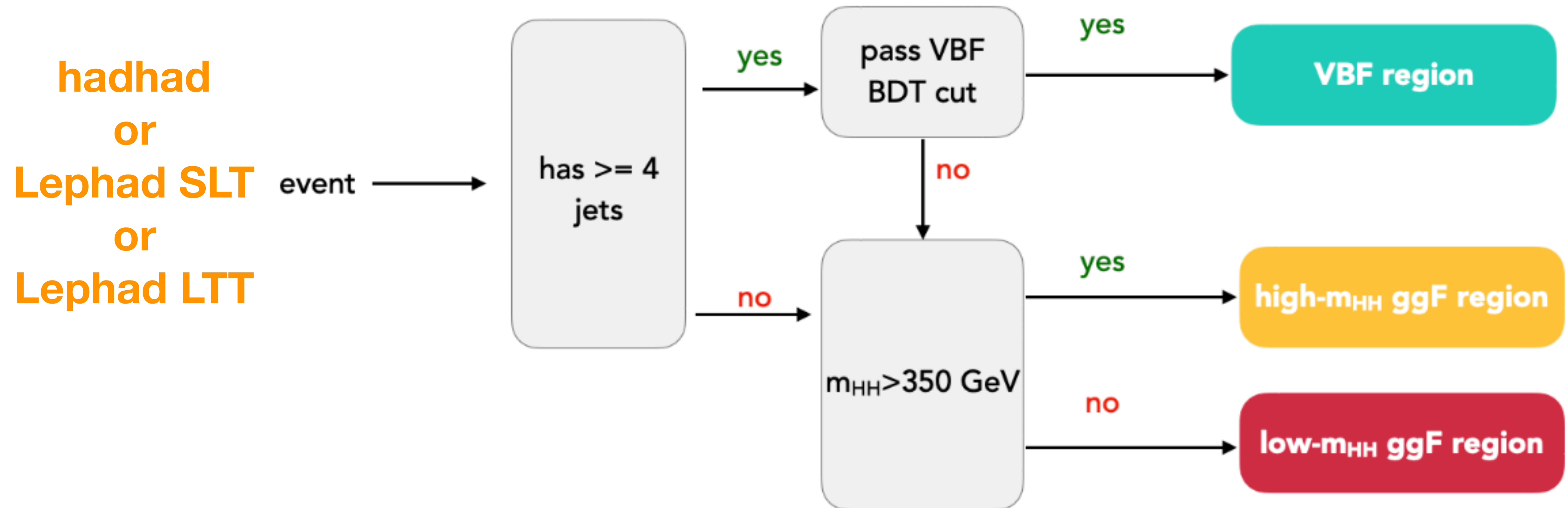
Two (loose) τ_{had}

$M_{bb} < 150 \text{ GeV}$



→ In each sub-channel (**hadhad**, **lephad SLT**, **lephad LTT**), events passing all the selection are further divided into 3 Signal Regions (SR):

- VBF region High- m_{HH} ggF region Low- m_{HH} ggF region



→ 9 Signal Regions + 1 Control Region

3 channels per di- τ decays
different background composition

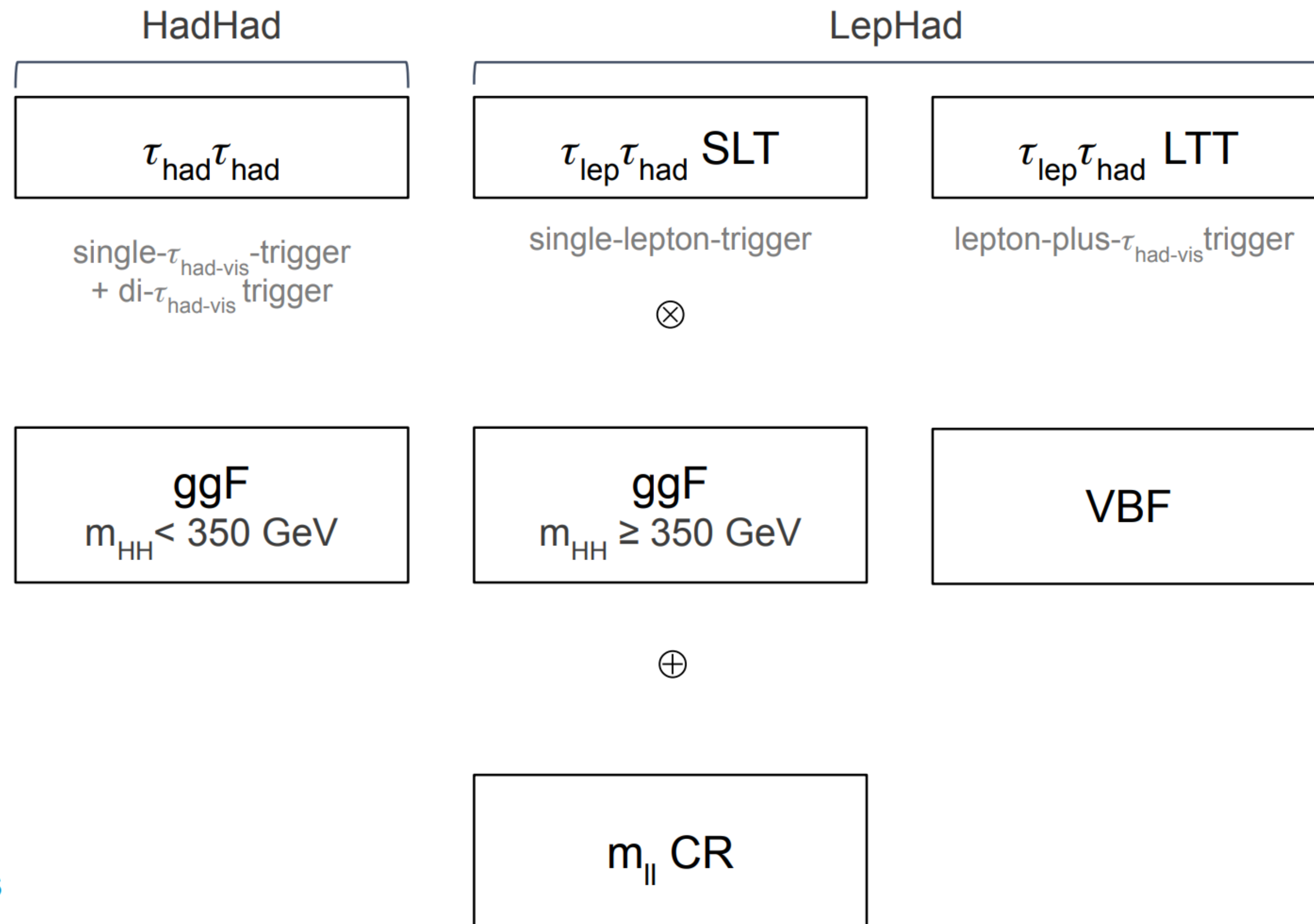
⊗

3 regions
per production mode + m_{HH} split
improve coupling modifier constraints

⊕

1 control region

improve modelling of major backgrounds



→ Use the same strategy with last round analysis. Verified for this round!

→ Main backgrounds:

- Top-quark, Z+jets, W+jets, diboson, single Higgs boson and multi-jet production
 - Fake tau-had is estimated by data-driven method
 1. backgrounds with tau-had mis-identified by quark-/gluon-initiated jet
 - Other backgrounds are estimated by MC simulation

→ Normalizations of simulated $t\bar{t}$ and Z+HF are determined by data in the ZCR fit

- ZCR: bbl trigger selection
 - Exactly 2 muons or 2 electrons with opposite-sign charges
 - Exactly 2 b-tagged jets
 - mll window 75-110 GeV (select Z mass peak)
 - mBB < 40 GeV or mBB > 210 GeV (to ensure orthogonality to bbl SR)
- Typical norm factors

Z+HF	1.35 ± 0.1
$t\bar{t}$	0.96 ± 0.04

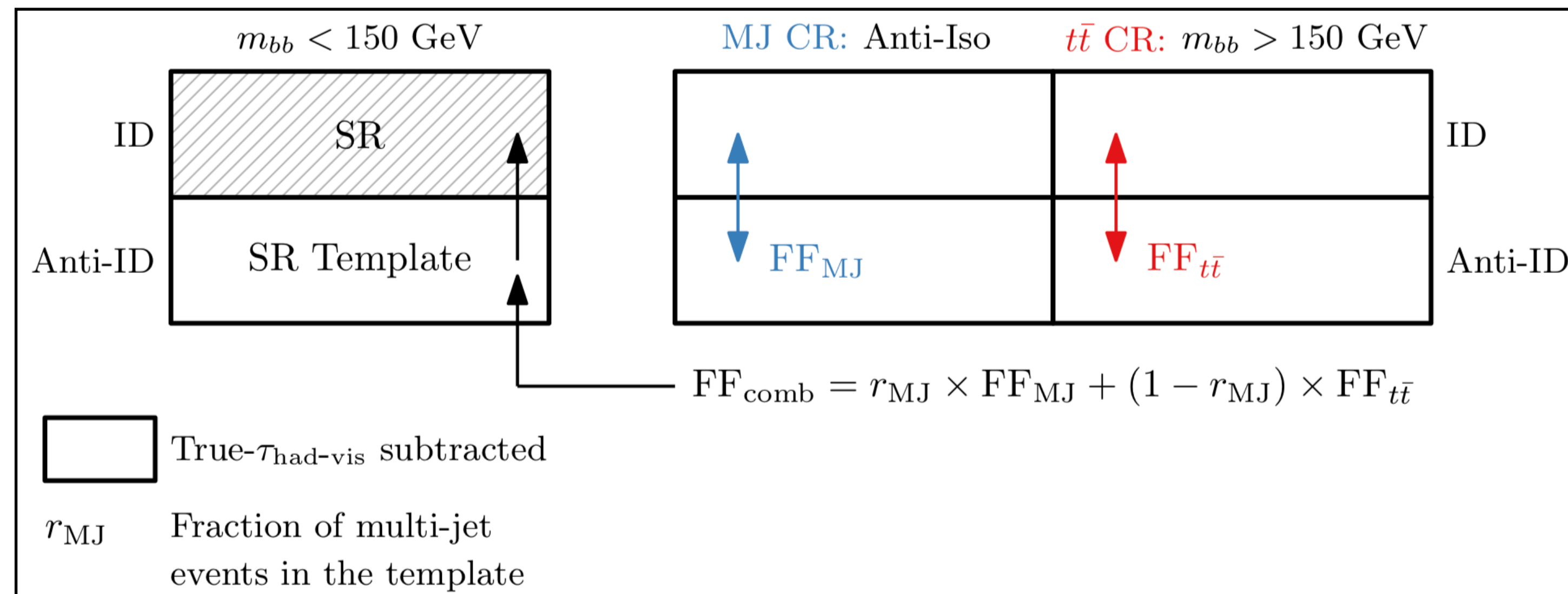
→ Two sources: Multi-jet process and ttbar process

→ Fake factor (FF) method

- Define Multi-jet (MJ) CR and ttbar CR respectively for deriving FF_{MJ} and $FF_{t\bar{t}}$

$$FF = \frac{N_{ID}}{N_{Anti-ID}}, N = N(\text{data}) - N(\text{non-Fake})$$

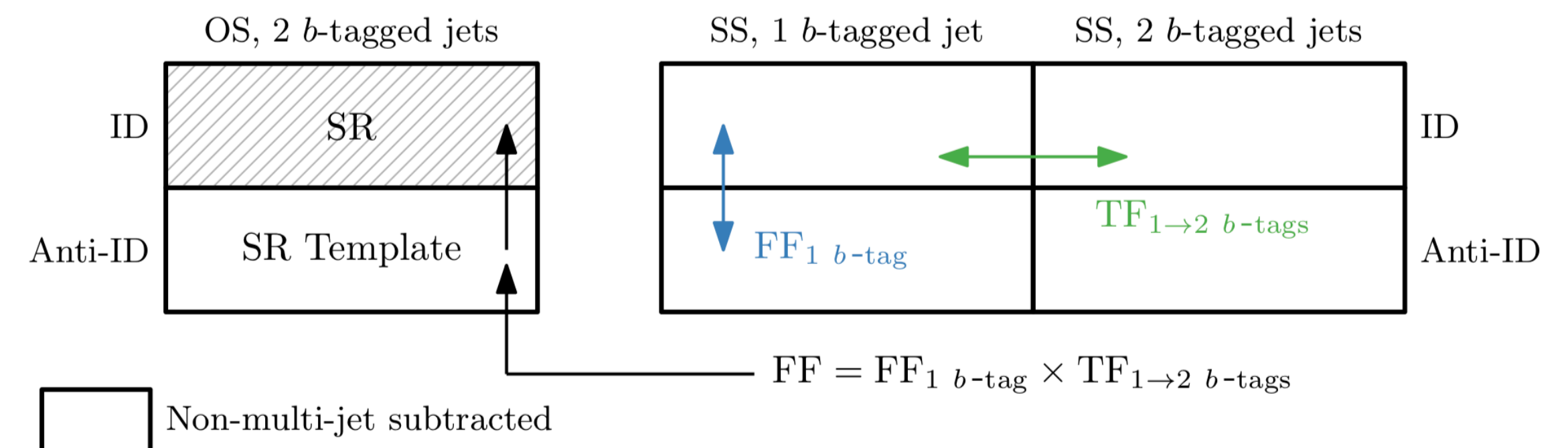
- The fraction of multi-jet events in the template $r_{MJ} = \frac{N(\text{data}) - N(\text{true} + \text{fake } \tau_{\text{had}}, \text{MC})}{N(\text{data}) - N(\text{true } \tau_{\text{had}}, \text{MC})}$
- The combined FF applied to the SR template to estimate fake tau-had in SR



→ Two sources: Multi-jet process and ttbar process

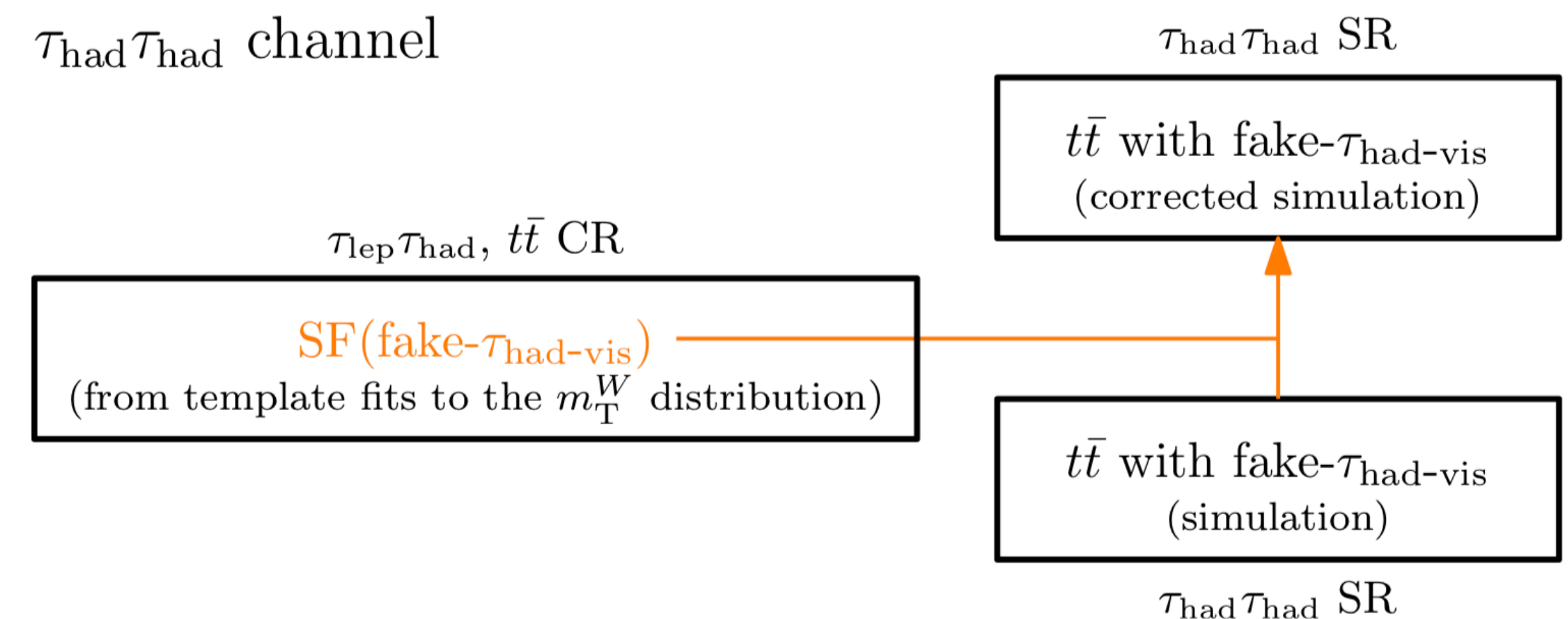
→ Fake tau-had from multi-jet: FF method

- FFs are derived in 1 b-tag SS control region
- Extrapolated to 2 b-tag SS control region by a transfer factors (TFs)

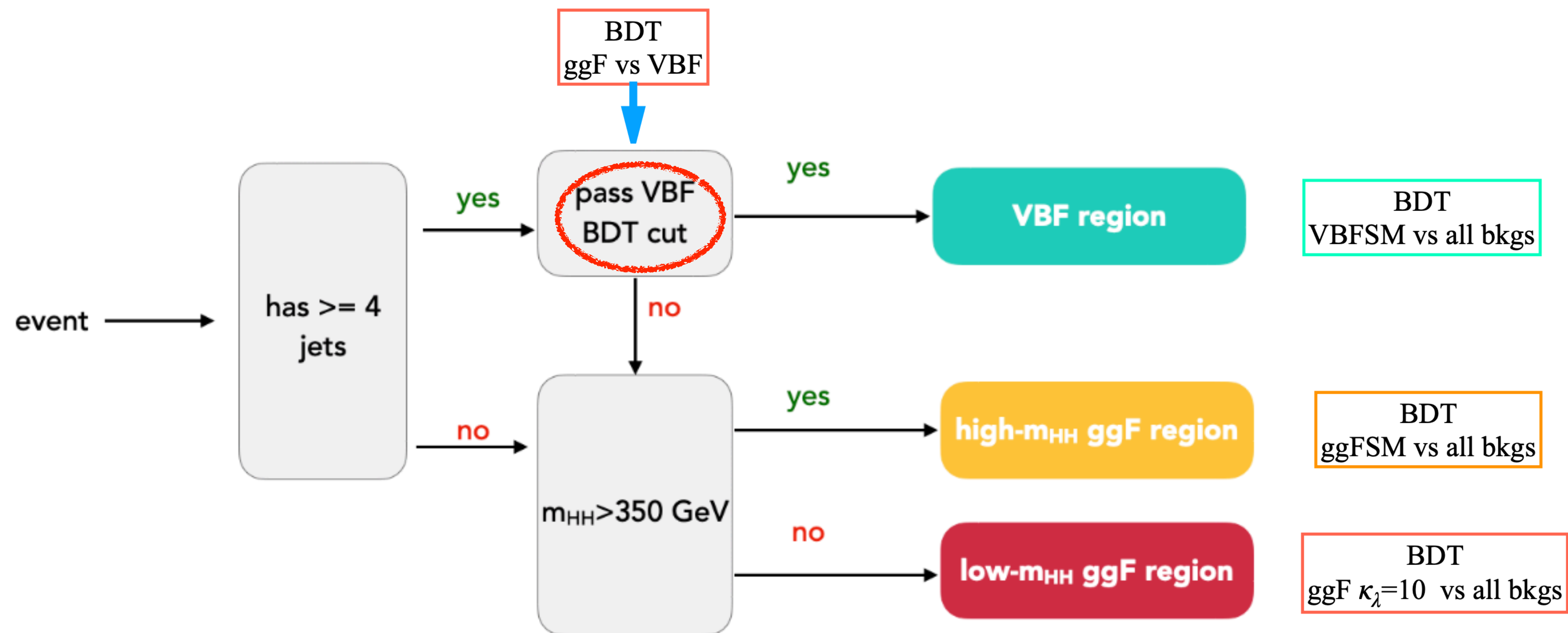


→ Fake tau-had from ttbar: Fake scale factors

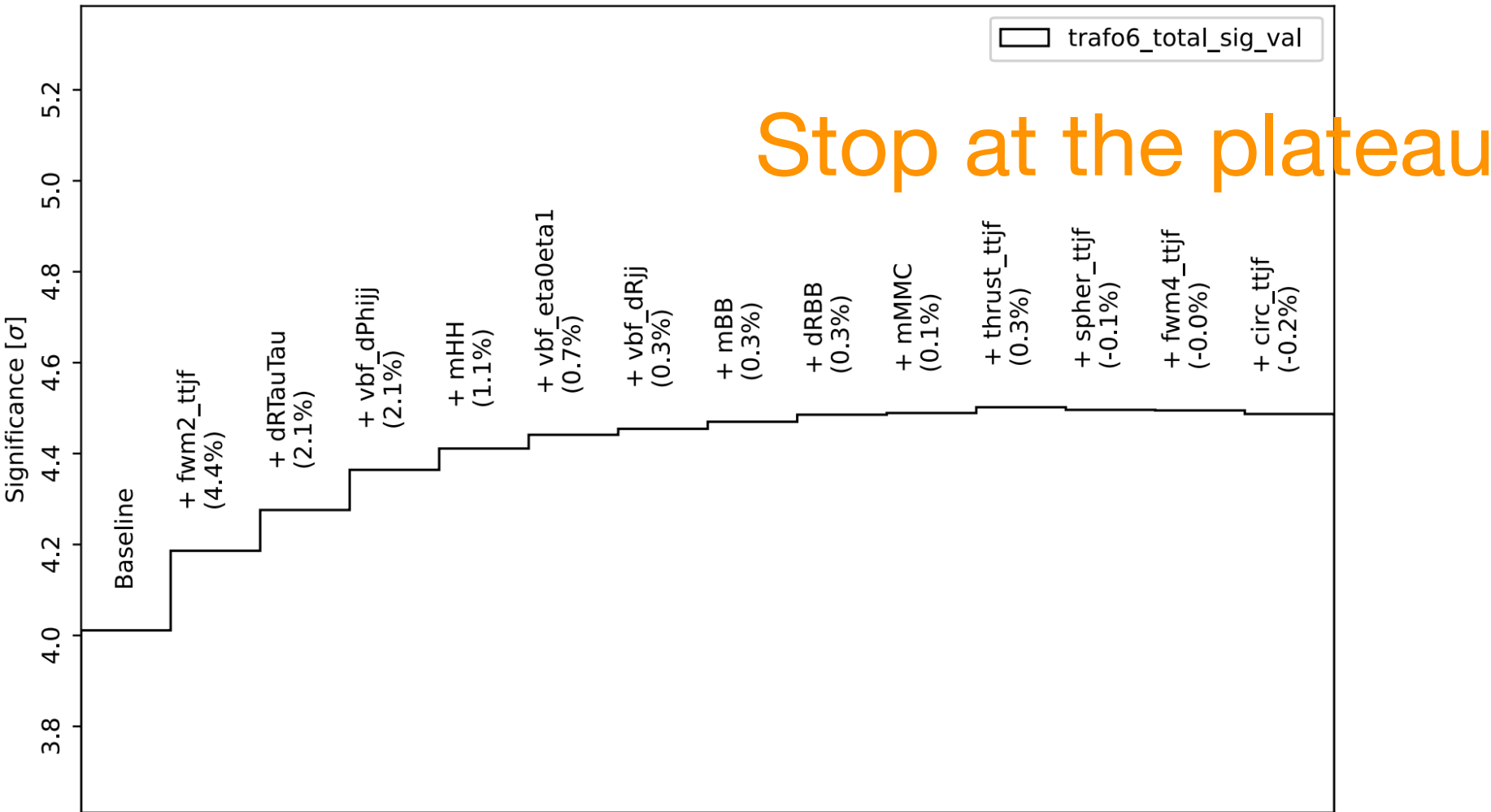
- Fake tau-had Scale factors (SF)
- Measured in the lephad ttbar CR by fitting m_T^W to data
- Applied to simulated fake-tau ttbar in SR



- In each sub-channel (**hadhad**, **lephad SLT**, **lephad LTT**), train:
3 different signal-vs-background BDTs
1 ggF/VBF separation BDT



→ Input variables selection



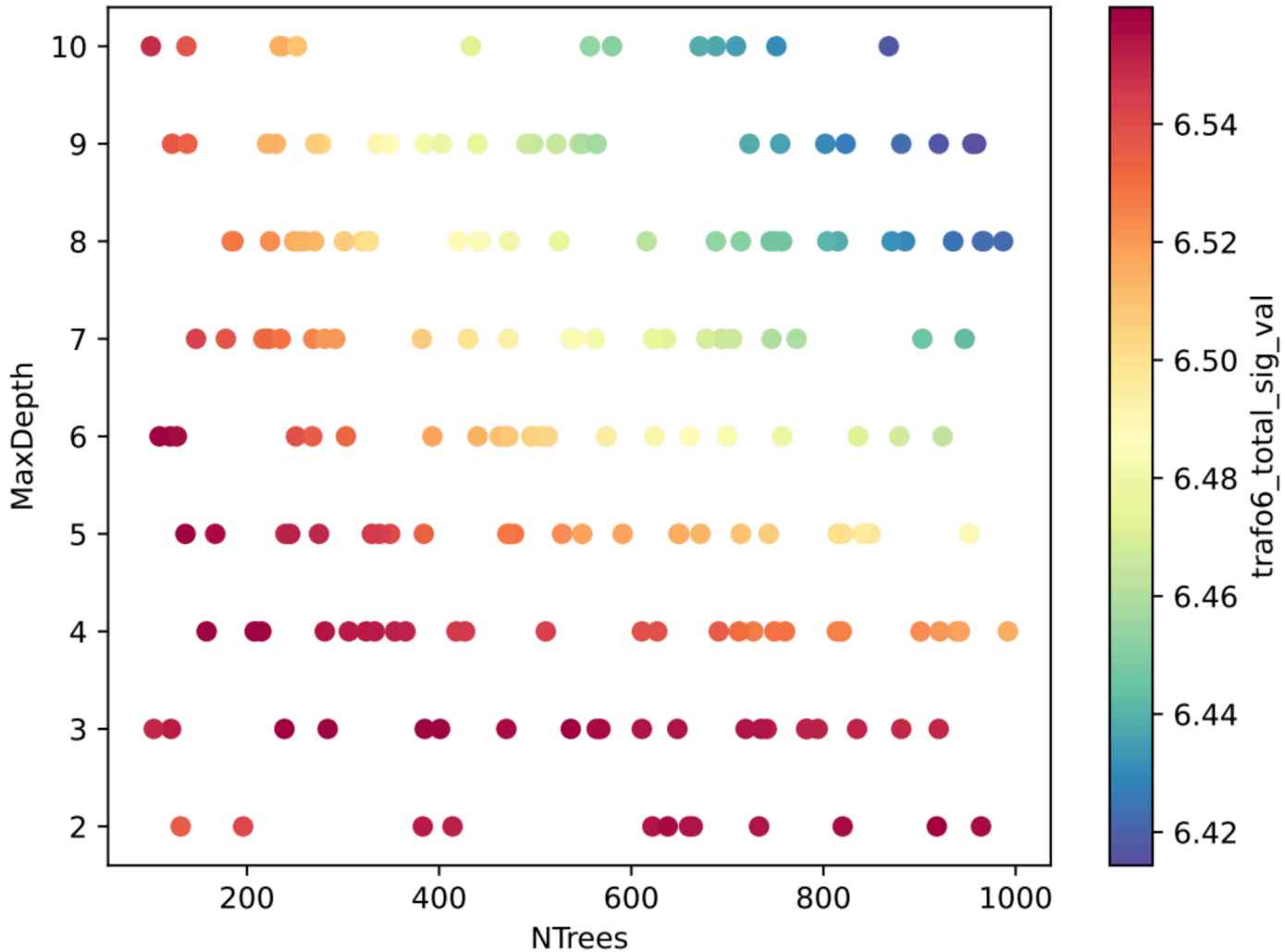
→ 3-fold training

- Divide events into 3 folds based on the event number
- Train 3 BDTs on each fold, and optimized and applied on other folds

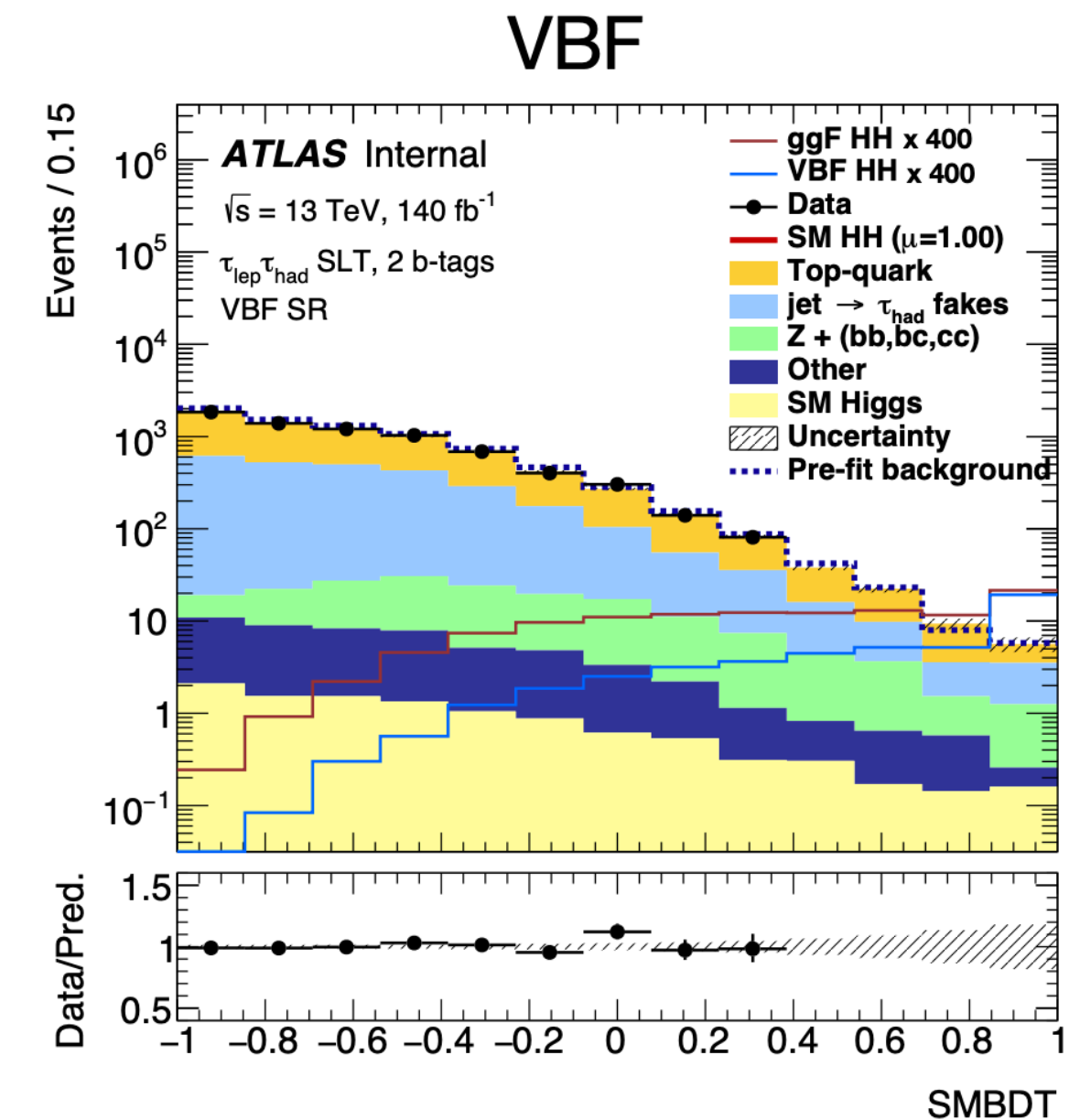
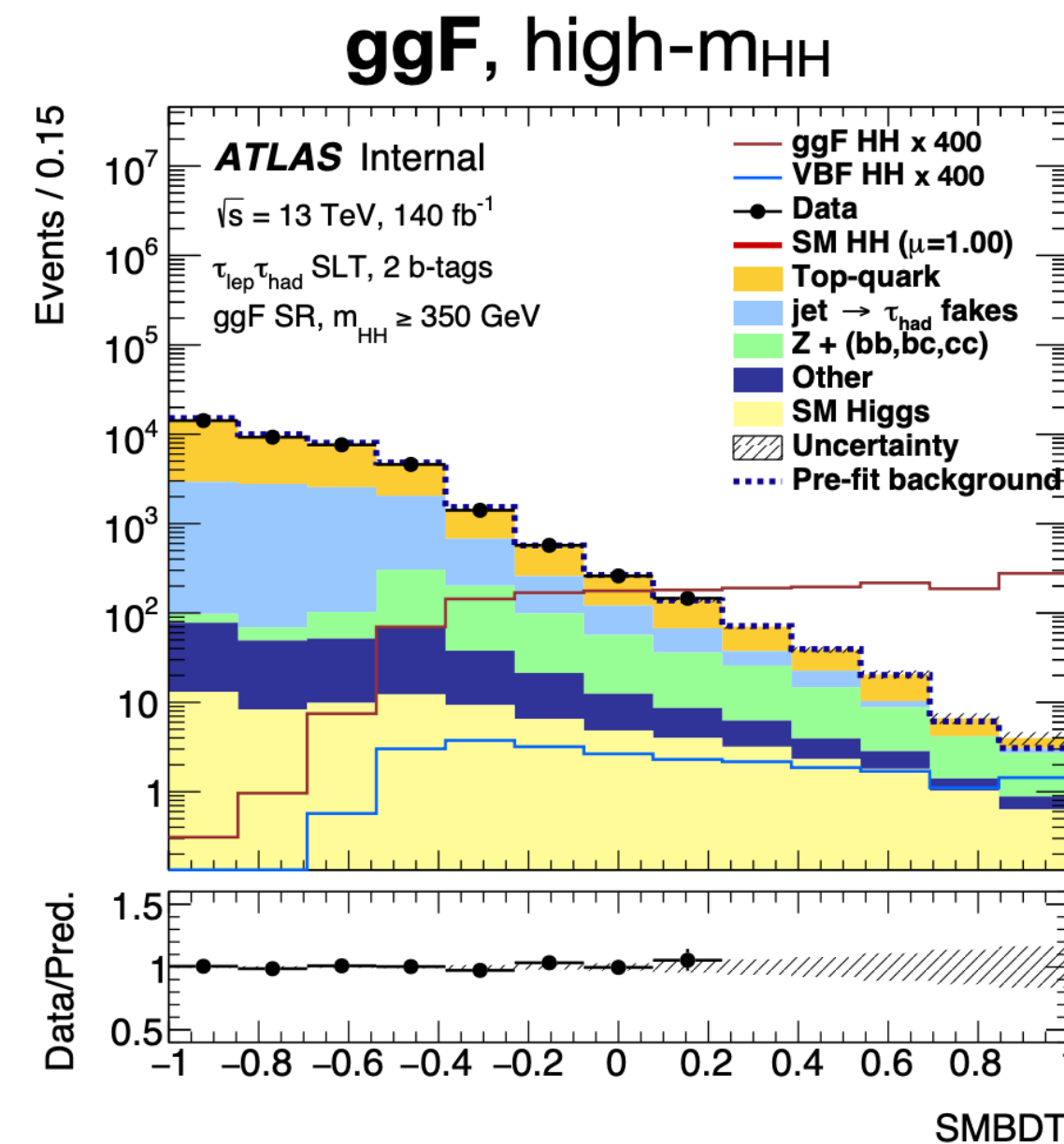
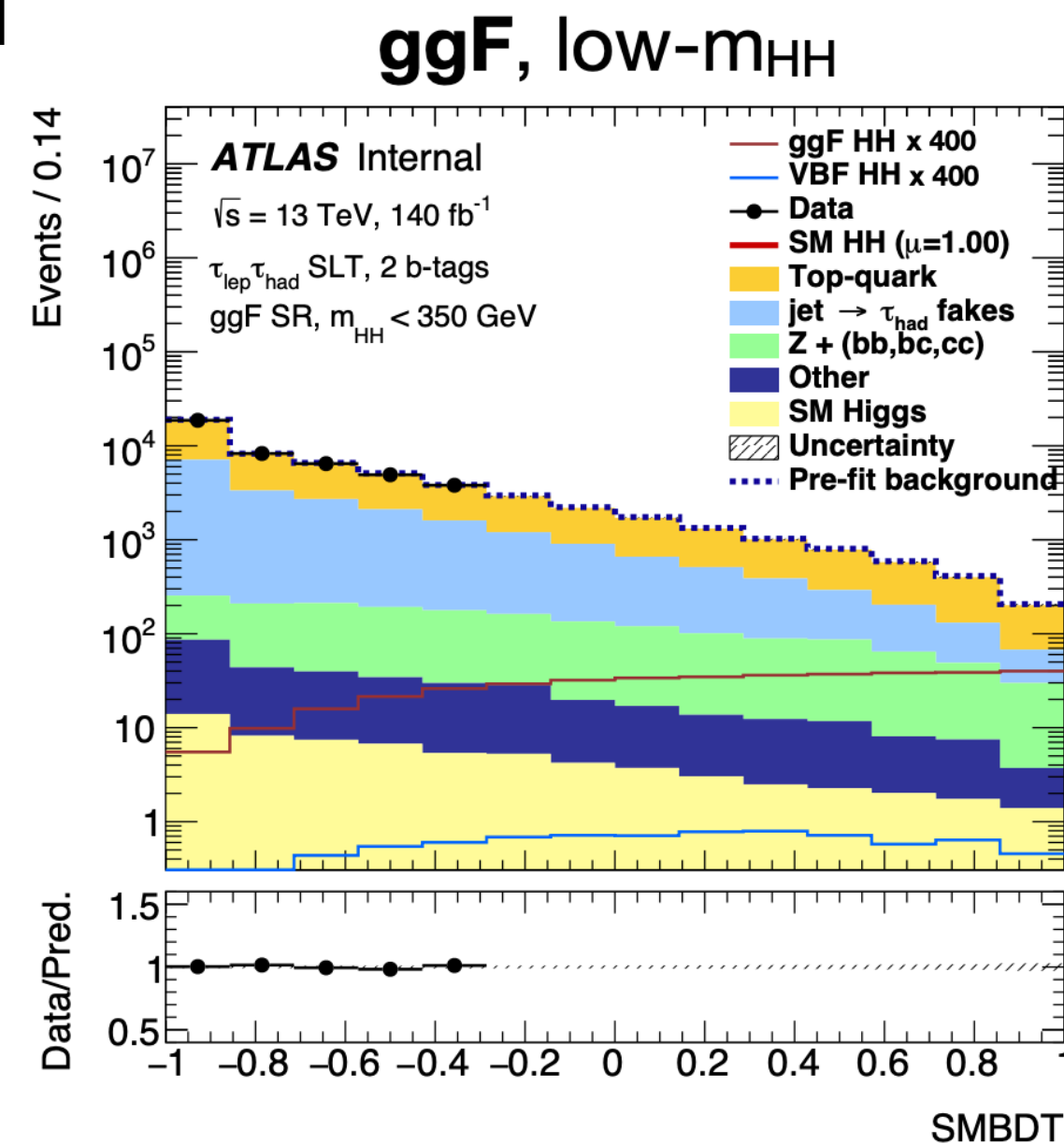
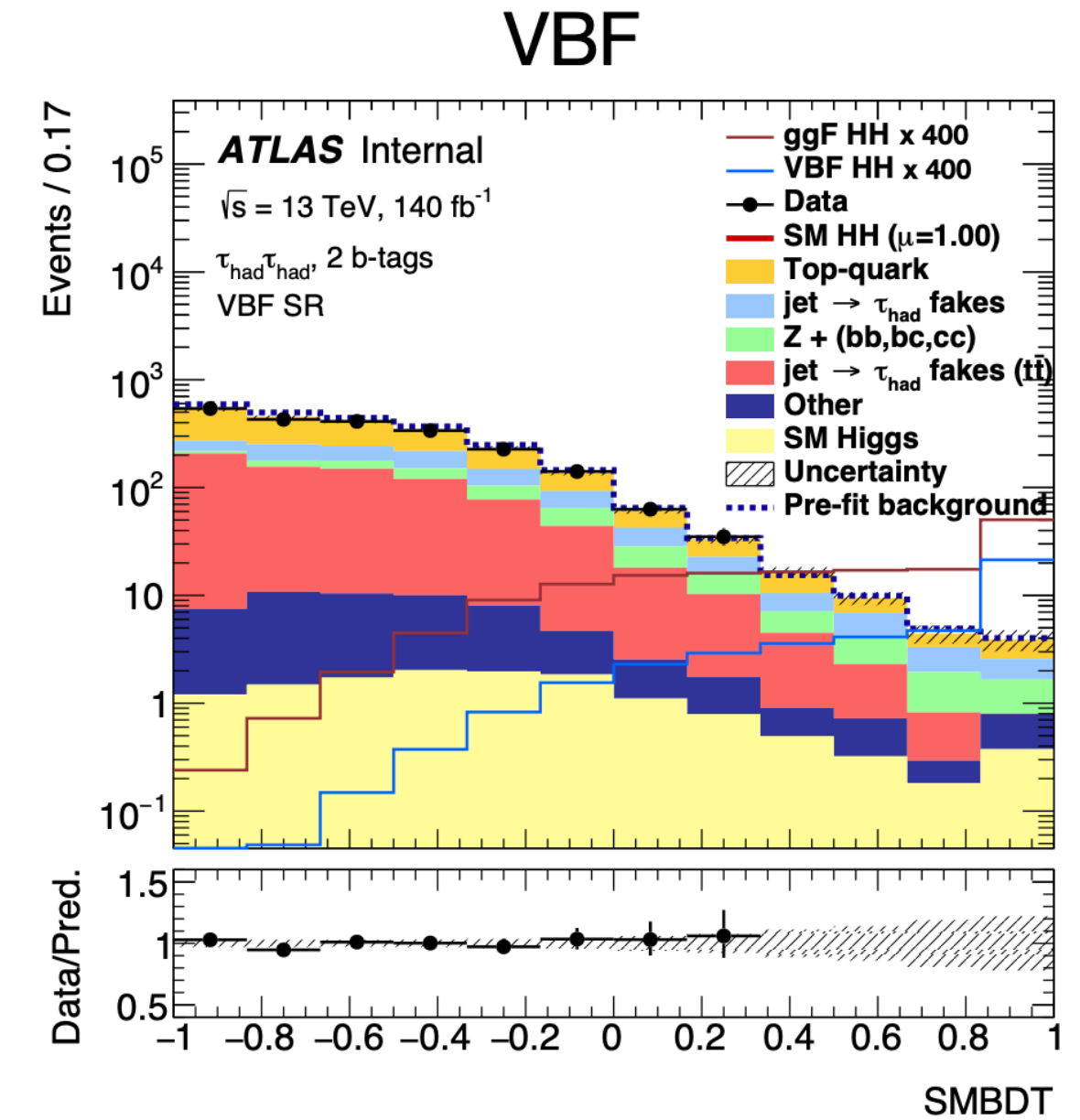
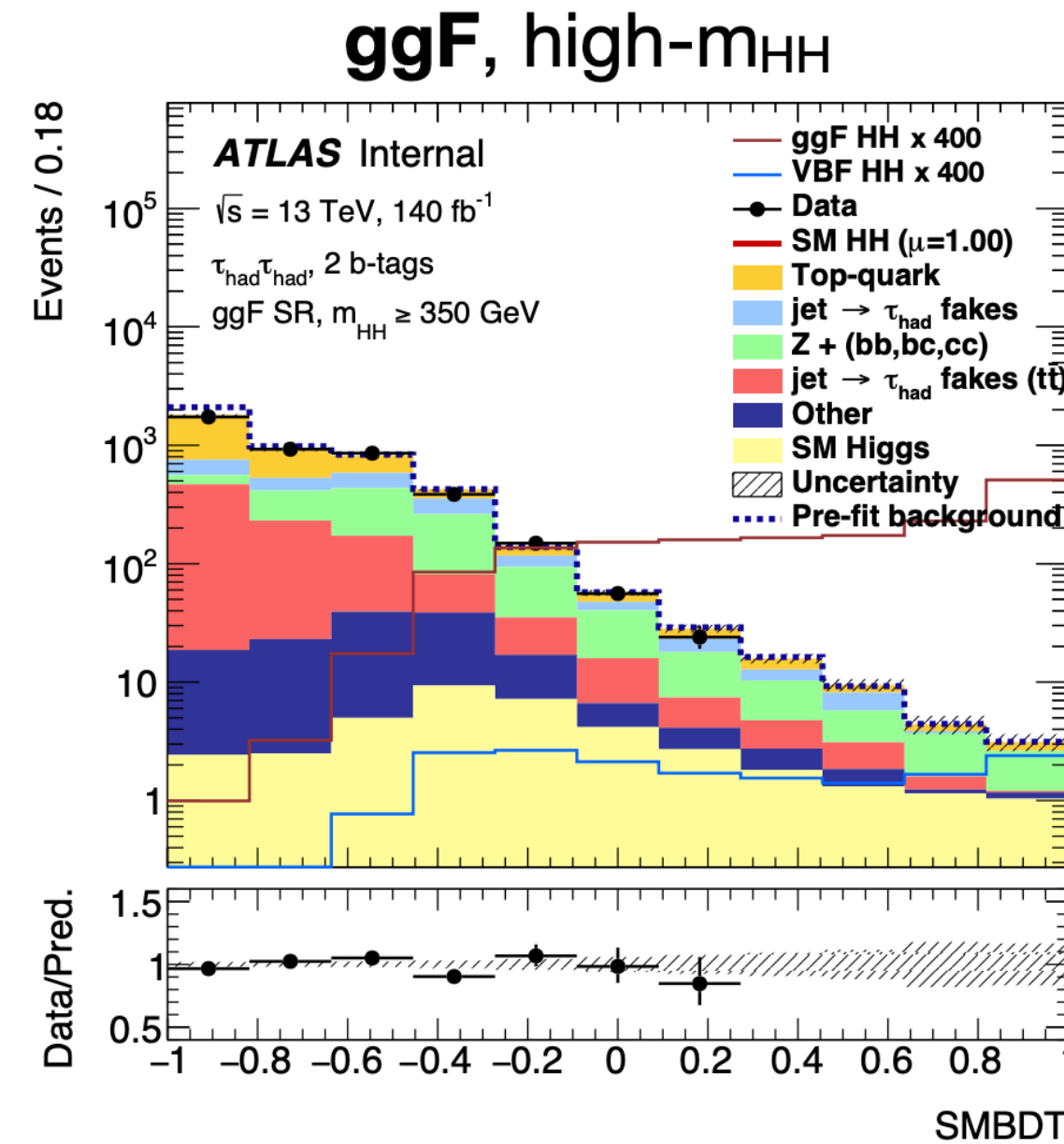
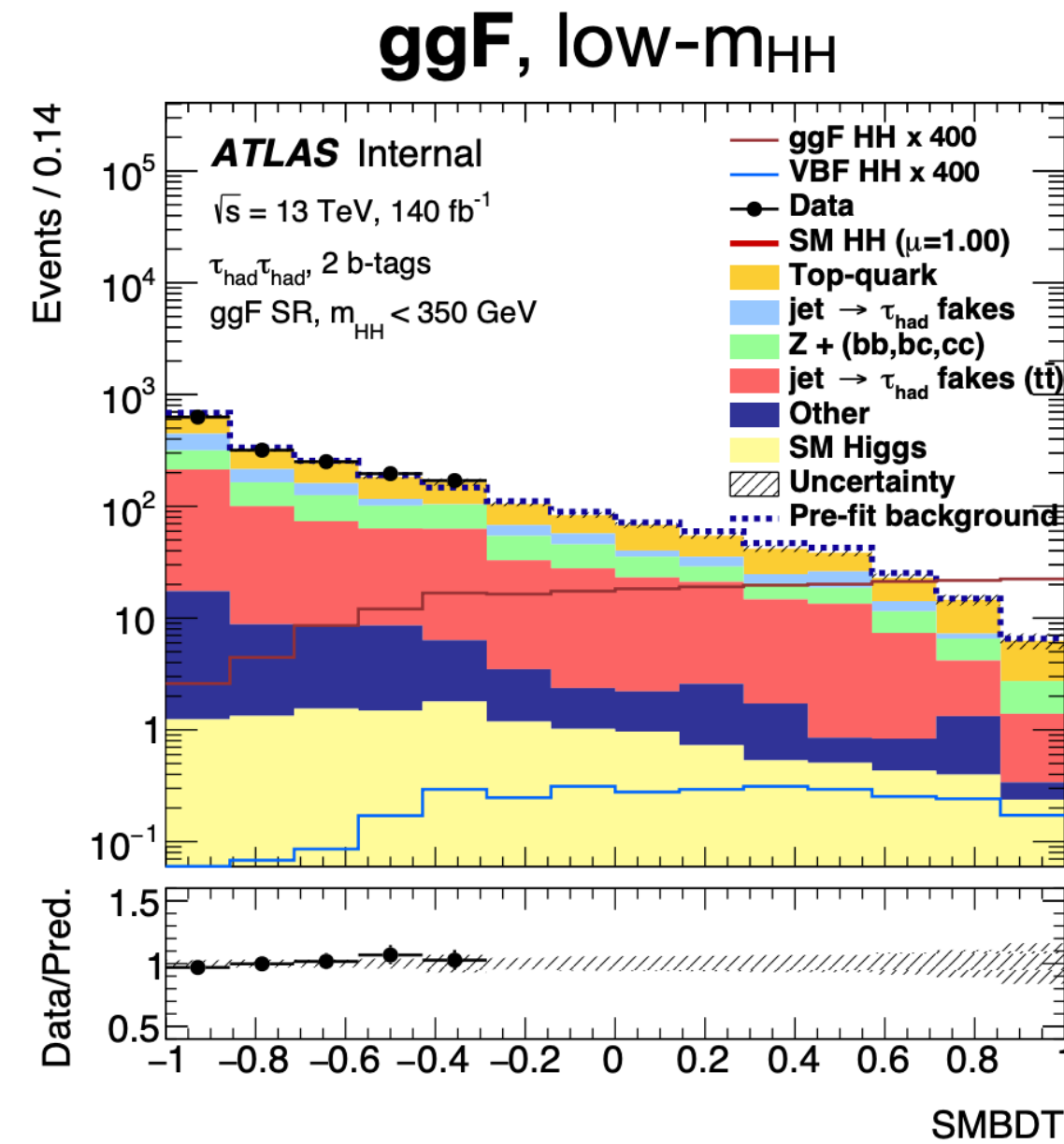
Model	Fold 0	Fold 1	Fold 2
	event_number %3 = 0	(event_number %3 = 1)	(event_number %3 = 2)
BDT 0	Training	Validation	Testing
BDT 1	Testing	Training	Validation
BDT 2	Validation	Testing	Training

→ Hyperparameter optimization (on validation folds)

MinNodeSize	1%
BoostType	Grad
Shrinkage	0.2
IgnoreNegWeightsInTraining	True



- hadhad channel



The **binning** is determined by an algorithms to optimize sensitivity while ensuring valid background stats.

- lephad SLT channel

→ Expected upper limit on the HH signal strength

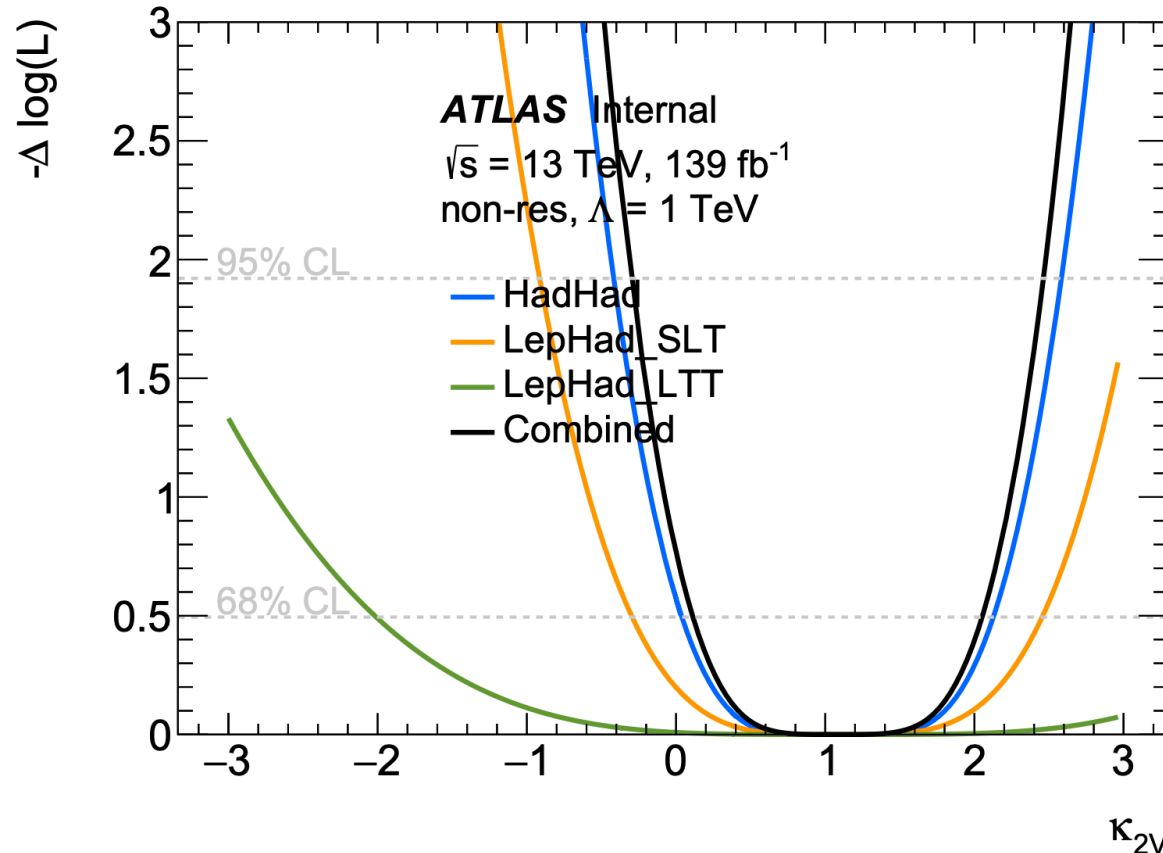
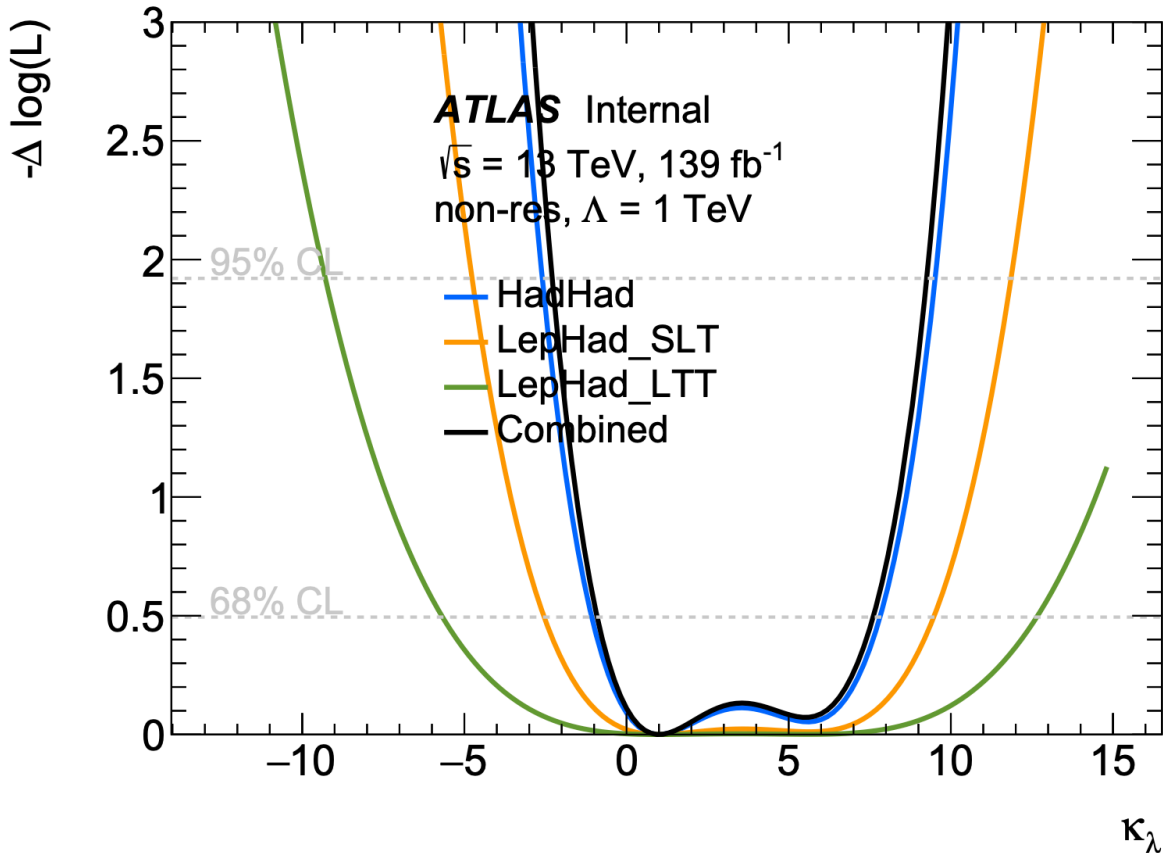
- Upper limit HH (ggF+VBF), as well as separately for each production mode

95% CL upper limits on	μ_{HH}	μ_{ggF}^{1D}	μ_{VBF}^{1D}	μ_{ggF}^{2D}	μ_{VBF}^{2D}
Baseline w/o systs	2.84	2.89	189	9.24	572
Baseline w/ systs	3.61	3.68	241	13.2	777
Legacy w/o systs	2.49	2.52	80	2.61	84
Legacy w/ systs	3.03	3.08	86	3.13	88
Rel. improvement w/o systs	12.3%	12.8%	57.7%	71.8%	85.3%
Rel. improvement w/ systs	16.1%	16.3%	64.3%	76.3%	88.7%

- 1D fit of μ_{ggF} (μ_{VBF}) While fixing the other to 1
- Simultaneous 2D fit of μ_{ggF} and μ_{VBF}

→ Constraint on coupling modifiers

	95% CI for κ_λ	95% CI for κ_{2V}
Baseline w/o systs	[-2.35, 9.19]	[-0.42, 2.55]
Baseline w/ systs	[-2.97, 10.1]	[-0.50, 2.63]
Legacy w/o systs	[-2.01, 8.59]	[-0.25, 2.41]
Legacy w/ systs	[-2.28, 9.26]	[-0.29, 2.46]
Rel. improvement w/o systs	8.1%	10.4%
Rel. improvement w/ systs	11.7%	12.1%



→ A general overview of the Legacy Run 2 HH → bbtatau analysis

→ Expected results

- Upper limit on the HH signal strength: ~16% improvement
- Constraint on coupling modifier κ_λ : 11.7% improvement
- Constraint on coupling modifier κ_{2V} : 12% improvement

→ Changes that lead to the improvement

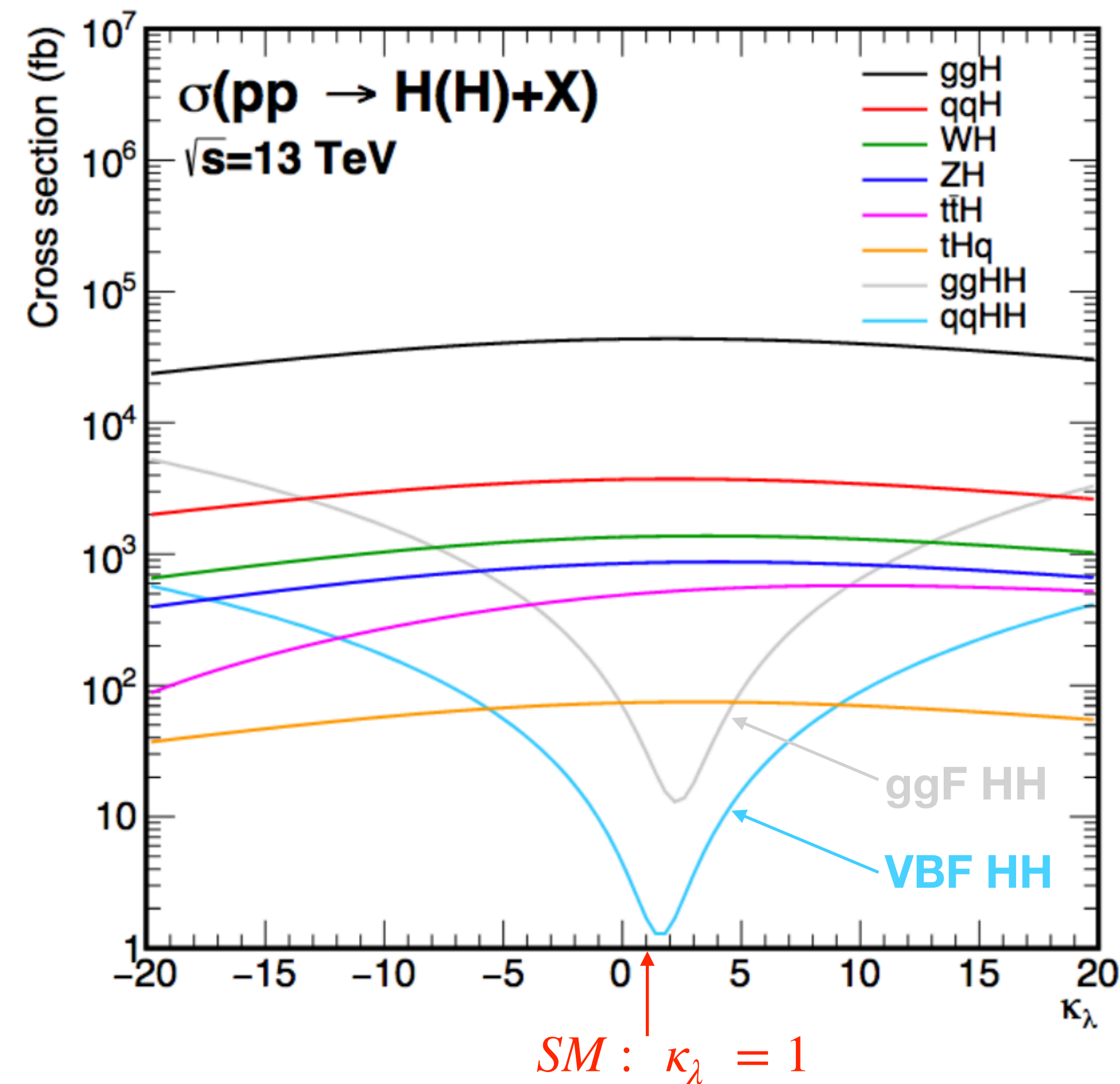
- Dedicated ggF and VBF regions
- Improved background modeling
- Fully harmonized and optimized MVA strategy
- Optimized binning

Thanks for your attention!

Back up

→ Varying the value of κ_λ OR $\kappa_2\mathcal{V}$

- Lead to significant enhancement to HH production
- Allowed in many BSM scenarios, which makes it possible to probe new physics



Large branching ratio

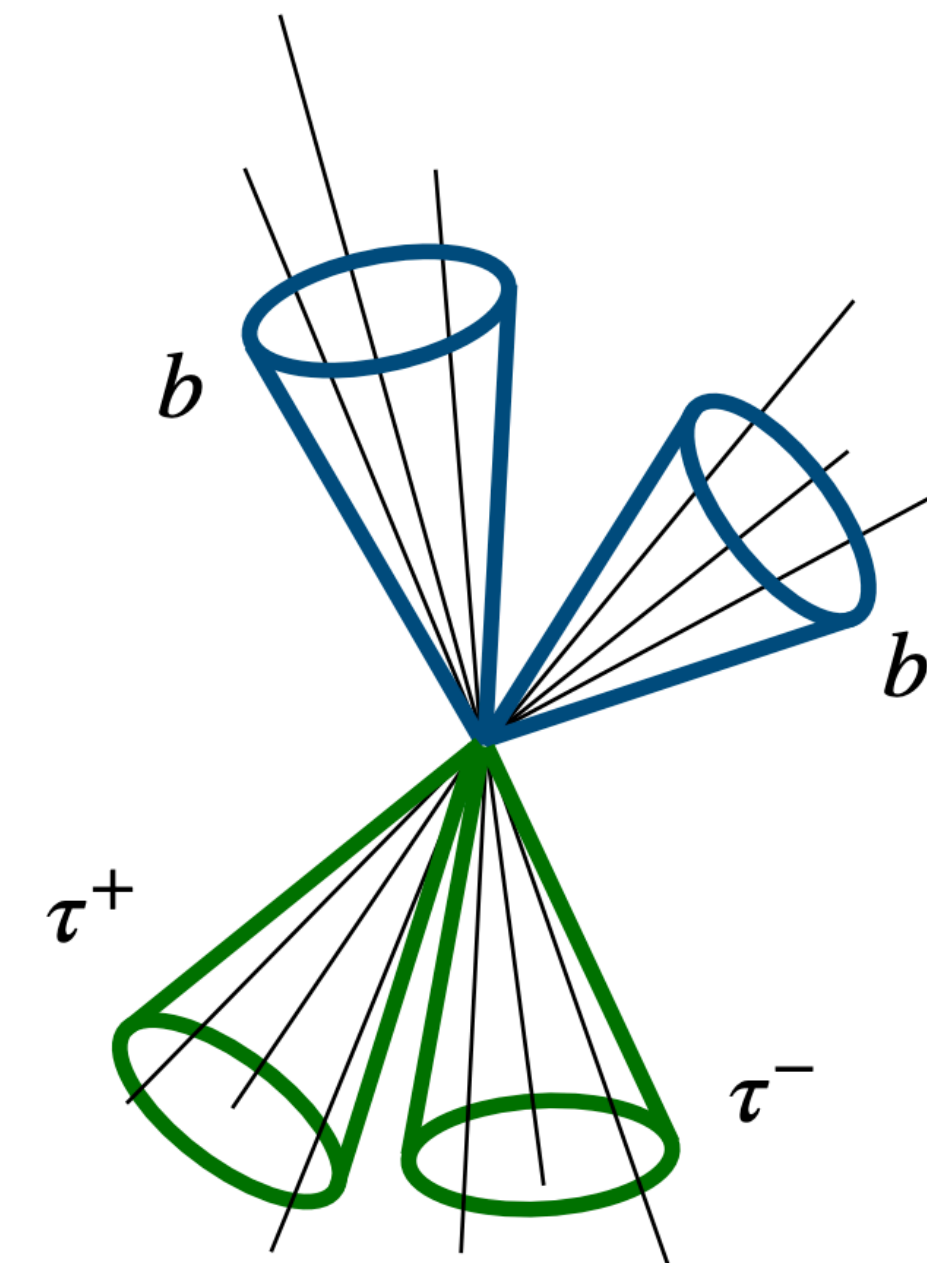


Clean final state

	bb	WW	$\tau\tau$	ZZ	$\gamma\gamma$
bb	34 %				
WW	25 %	4.6 %			
$\tau\tau$	7.3 %	2.7 %	0.39 %		
ZZ	3.1 %	1.1 %	0.33 %	0.069 %	
$\gamma\gamma$	0.26 %	0.10 %	0.028 %	0.012 %	0.0005 %

→ HH → bbtatau final state

- One of the most sensitive channels
- Medium branch ratio and S/B



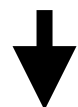
→ Data samples

- full Run 2 dataset @ 13TeV with $L = 140\text{ fb}^{-1}$ collected by ATLAS detector

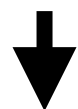
→ Monte Calo (MC) Samples

- Signal samples generation:

A representative number of samples



Sample combination technique



Samples with a fine grid in plane ($\kappa_\lambda, \kappa_{2\nu}$)

- Improved bkg samples:
Considering Dilepton ttbar, Sherpa 2.2.11
V+jets → reduction of stat. Unc by 30~50%

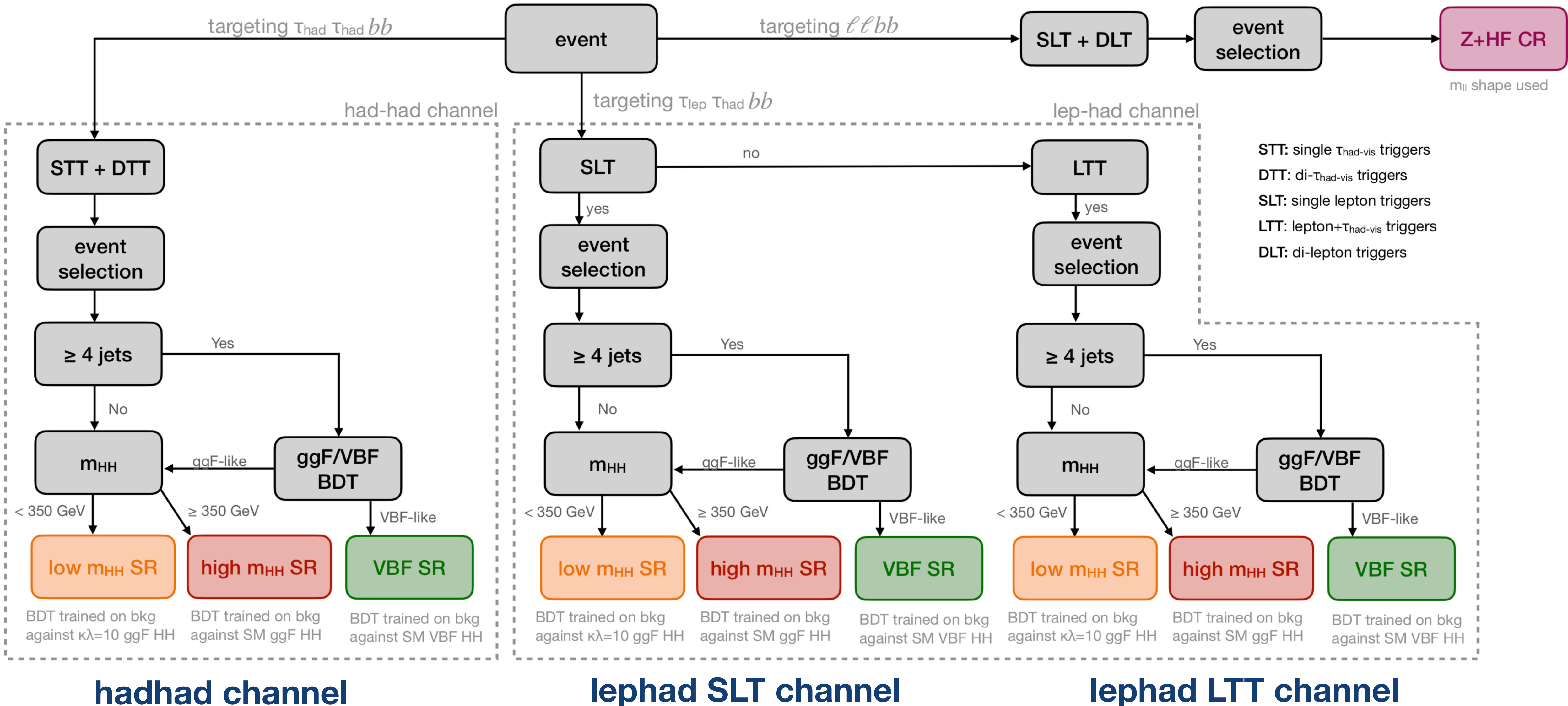
→ Results

- Upper limit on $\mu_{ggF+VBF}, \mu_{ggF}, \mu_{VBF}$
- 95% CL interval for modifier $\kappa_\lambda, \kappa_{2\nu}$

Targeting at 10~20% improvement!

Process	ME generator	ME QCD order
Signal		
$gg \rightarrow HH$ (ggF with $\kappa_\lambda = 1, 10$)	POWHEG BOX v2	NLO
$qq \rightarrow qqHH$ (VBF with varied $\kappa_\lambda, \kappa_{2\nu}, \kappa_V$)	MADGRAPH5_AMC@NLO 2.7.3	LO
Top-quark		
$t\bar{t}$	POWHEG BOX v2	NLO
t -channel	POWHEG BOX v2	NLO
s -channel	POWHEG BOX v2	NLO
Wt	POWHEG BOX v2	NLO
$t\bar{t}Z$	SHERPA 2.2.1	NLO
$t\bar{t}W$	SHERPA 2.2.8	NLO
Vector boson + jets		
W/Z +jets	SHERPA 2.2.11	NLO (≤ 2 jets) LO (3,4,5 jets)
Diboson		
WW, WZ, ZZ	SHERPA 2.2.1	NLO (≤ 1 jet) LO (2,3 jets)
Single Higgs boson		
ggF	POWHEG BOX v2	NNLO
VBF	POWHEG BOX v2	NLO
$qq \rightarrow WH$	POWHEG BOX v2	NLO
$qq \rightarrow ZH$	POWHEG BOX v2	NLO
$gg \rightarrow ZH$	POWHEG BOX v2	NLO
$t\bar{t}H$	POWHEG BOX v2	NLO

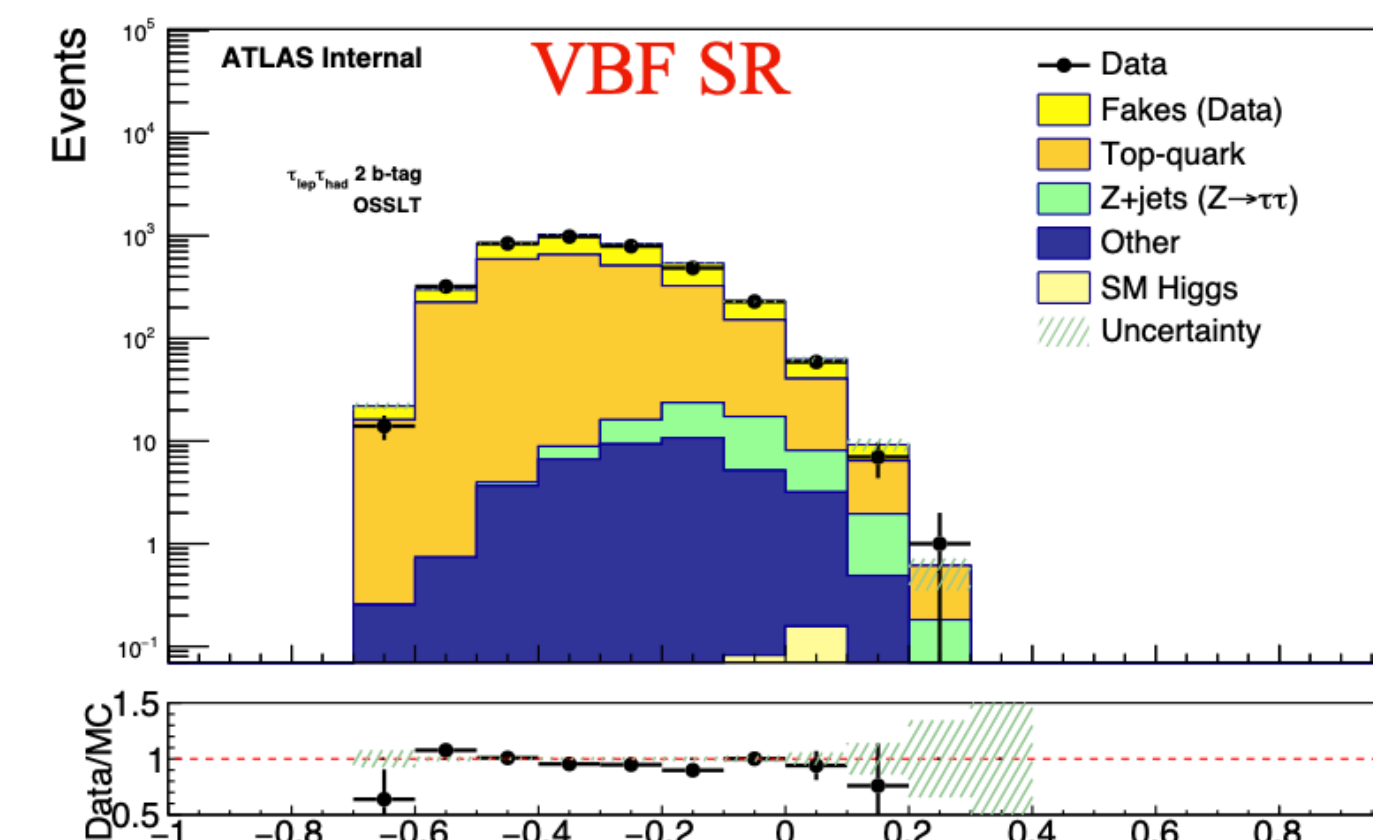
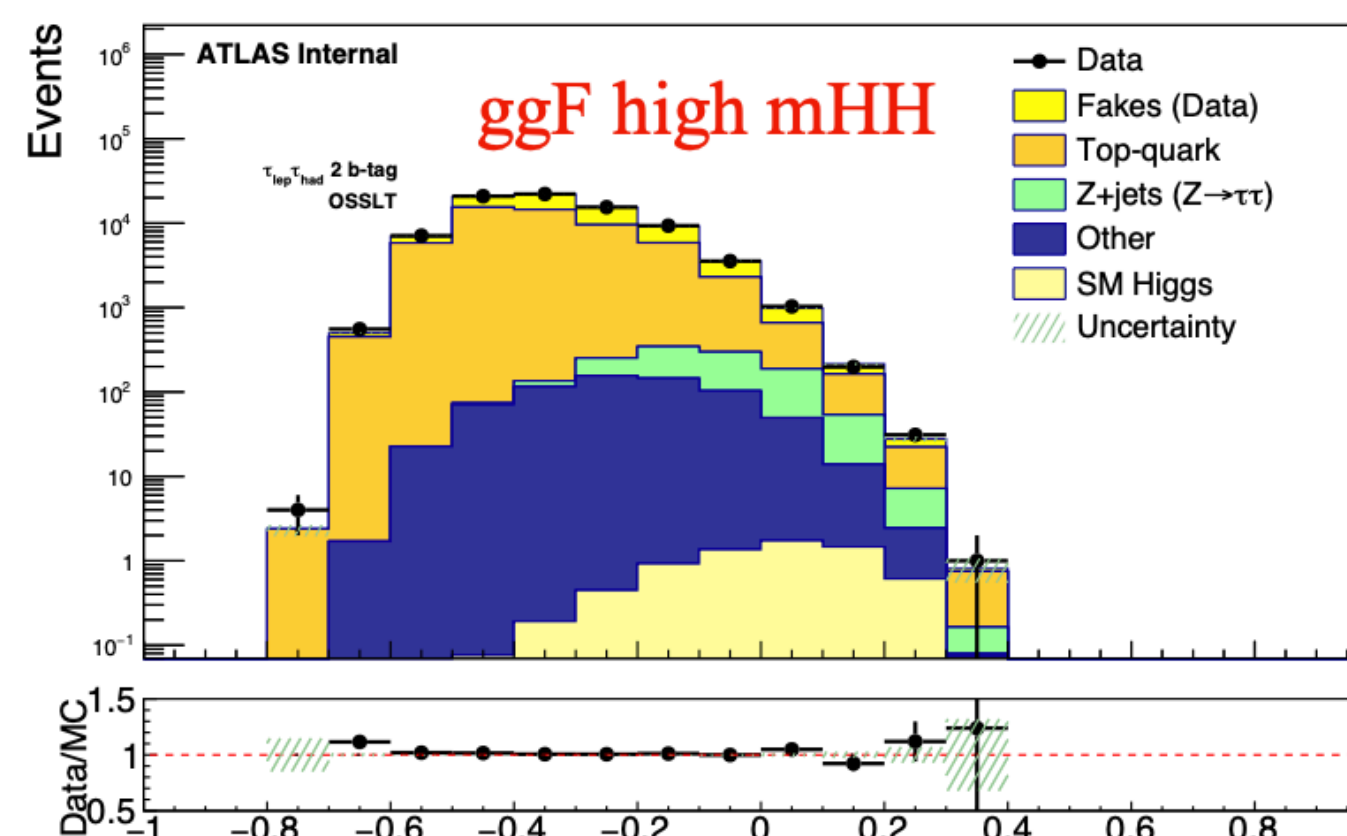
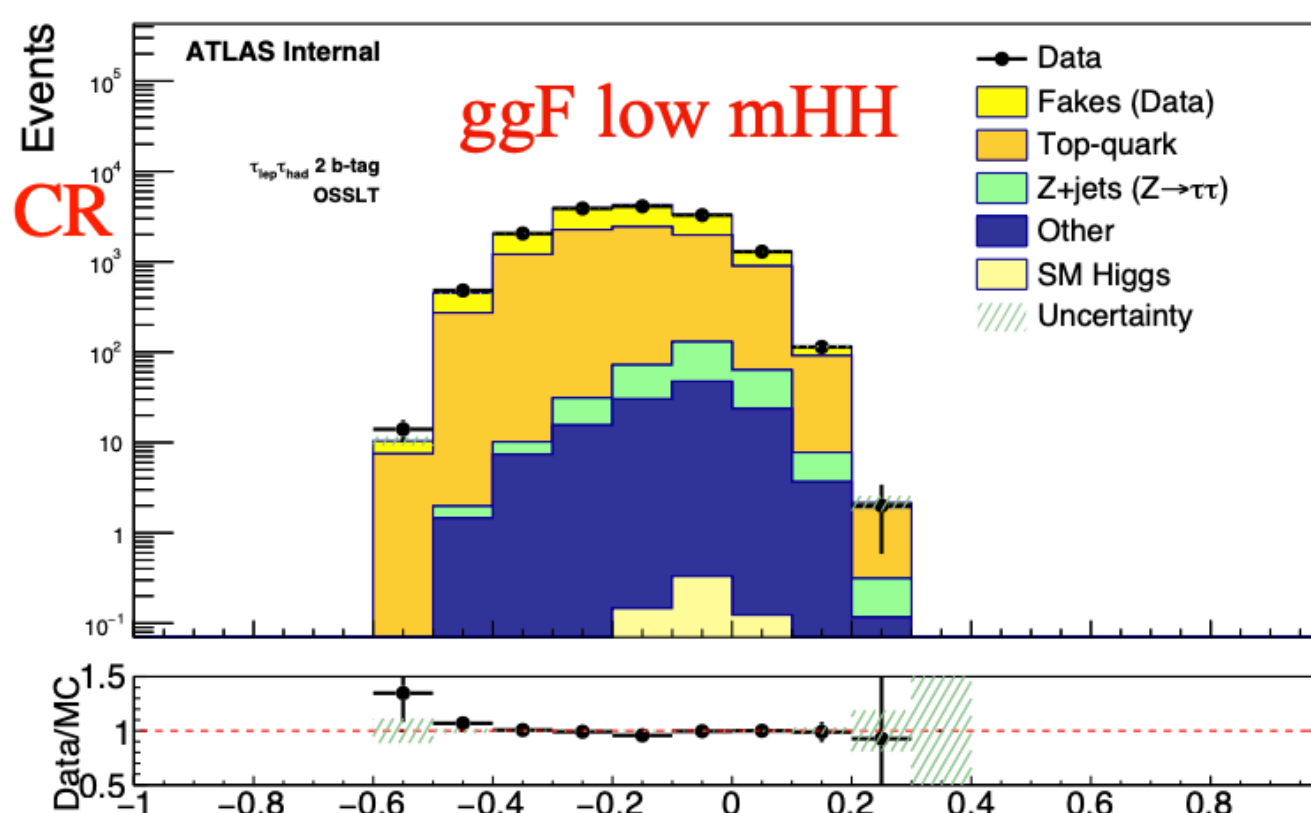
→ A sketch depicting the analysis strategy



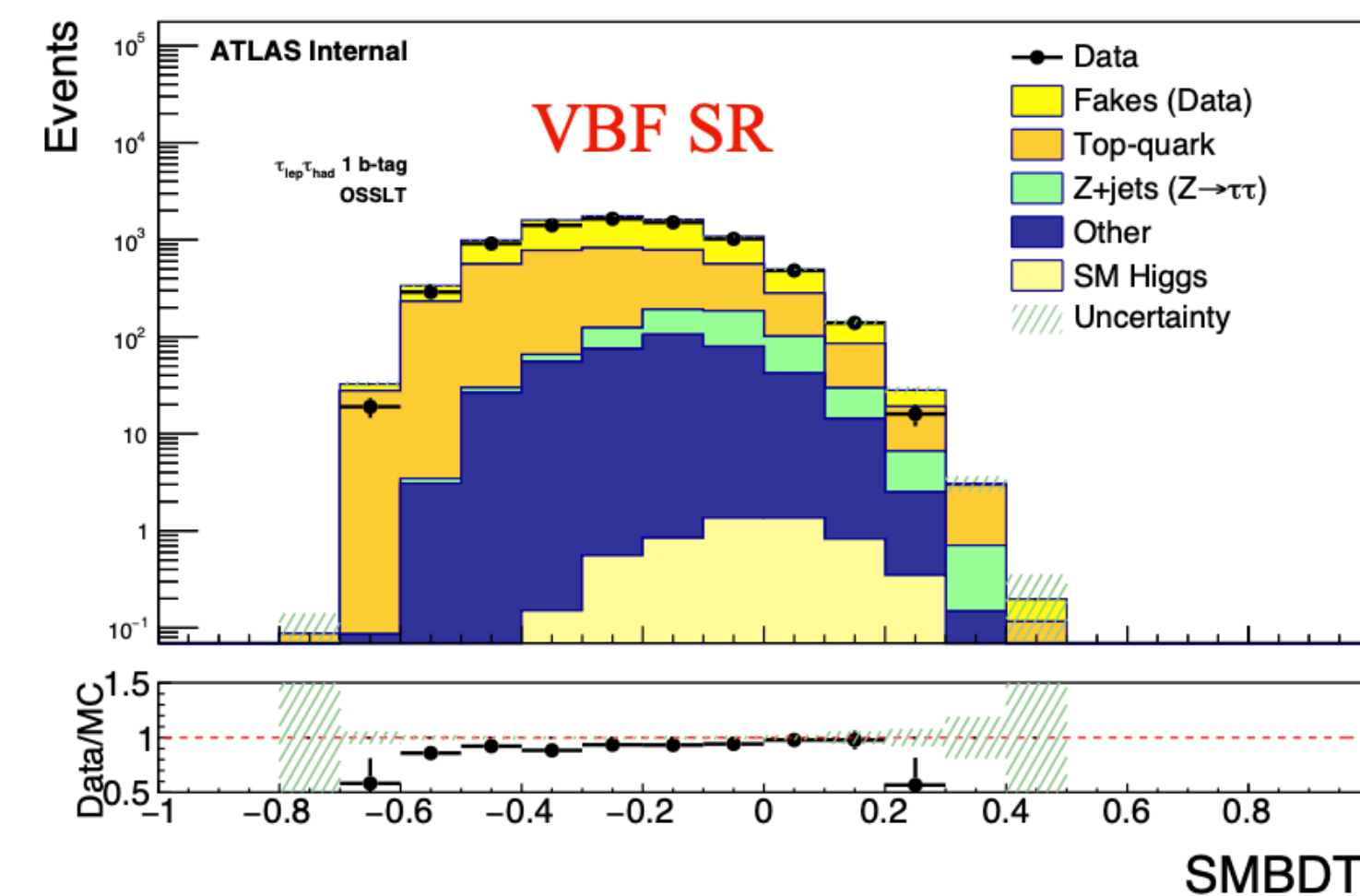
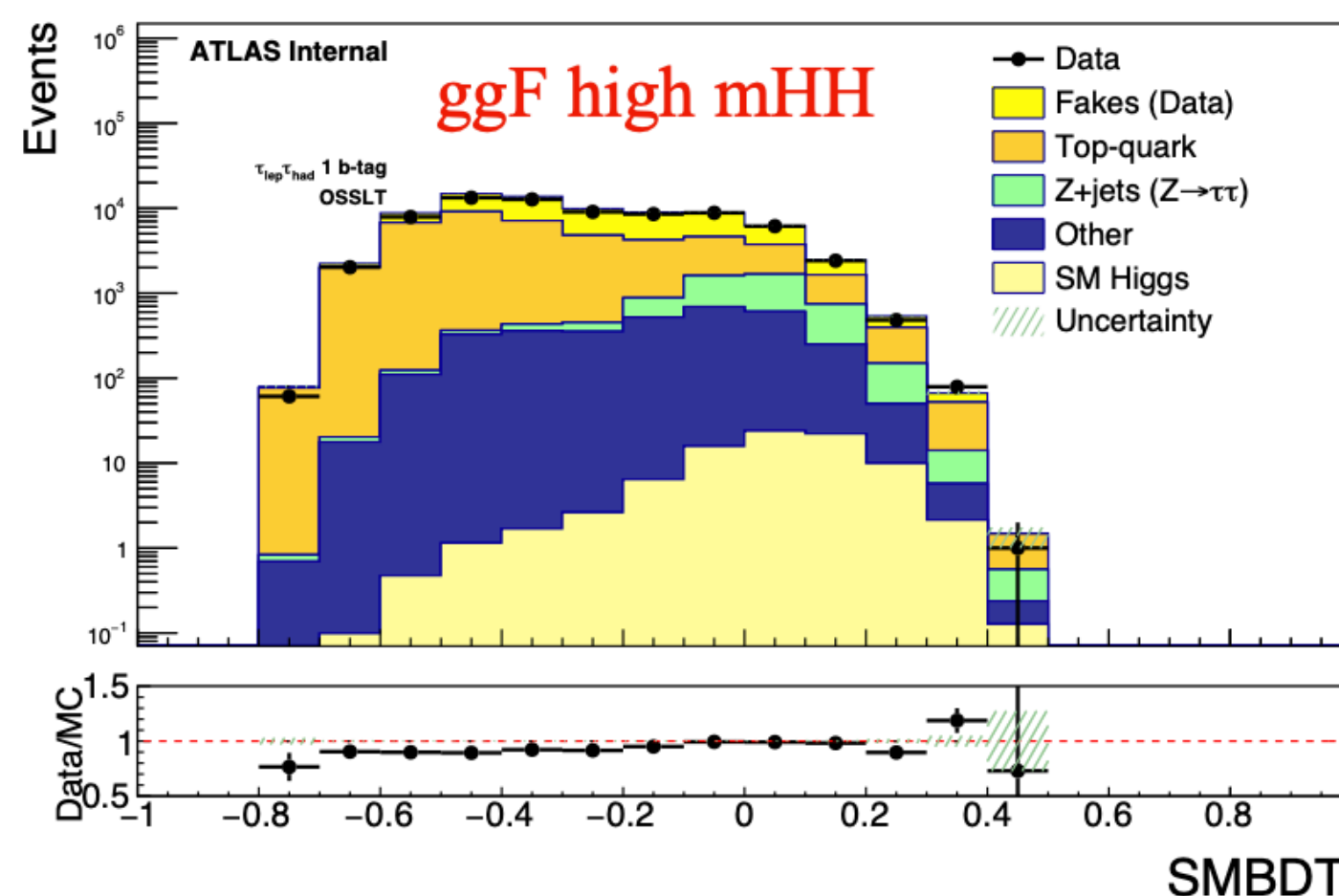
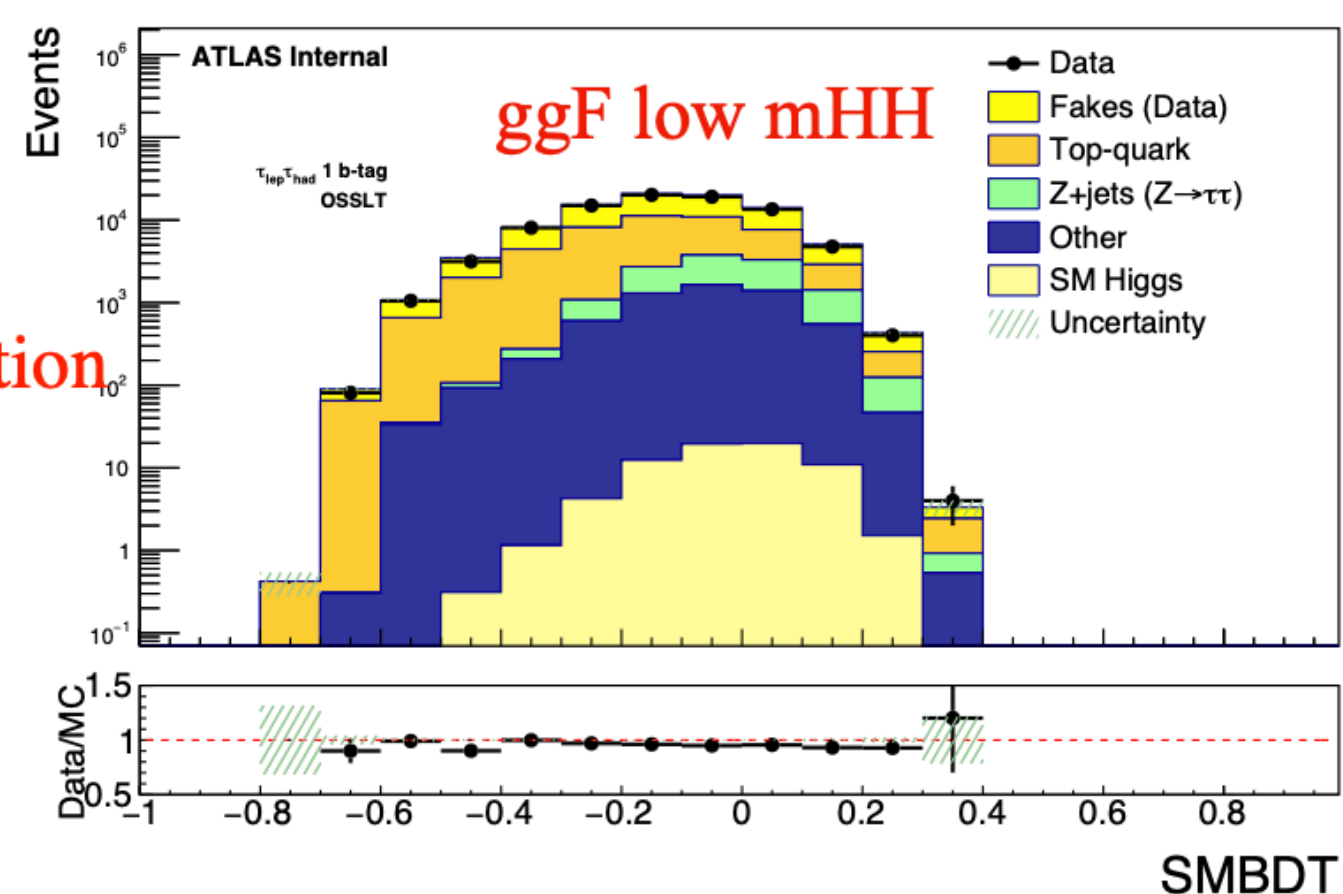
Background Estimation: Fake τ_{had} in LepHad validation

- To validate the ability of the combined fake factor method to describe the MVA shape (**plots shown only for SLT, LTT similar behaviour**)
 - The combined FFs were applied to multi-jet control region (1btag) and $t\bar{t}$ control region (mBB > 150)

Closure test $t\bar{t}$ CR

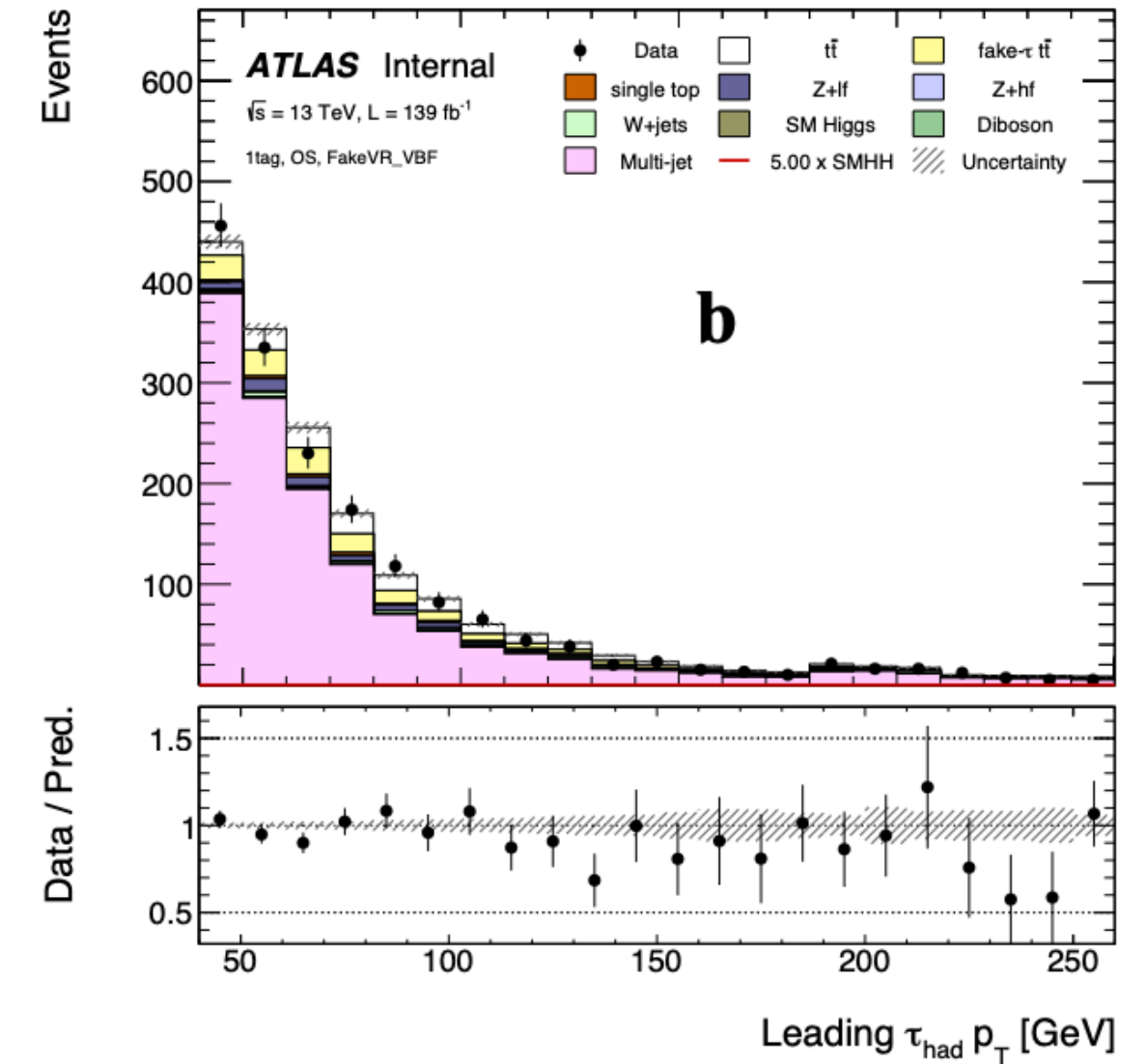
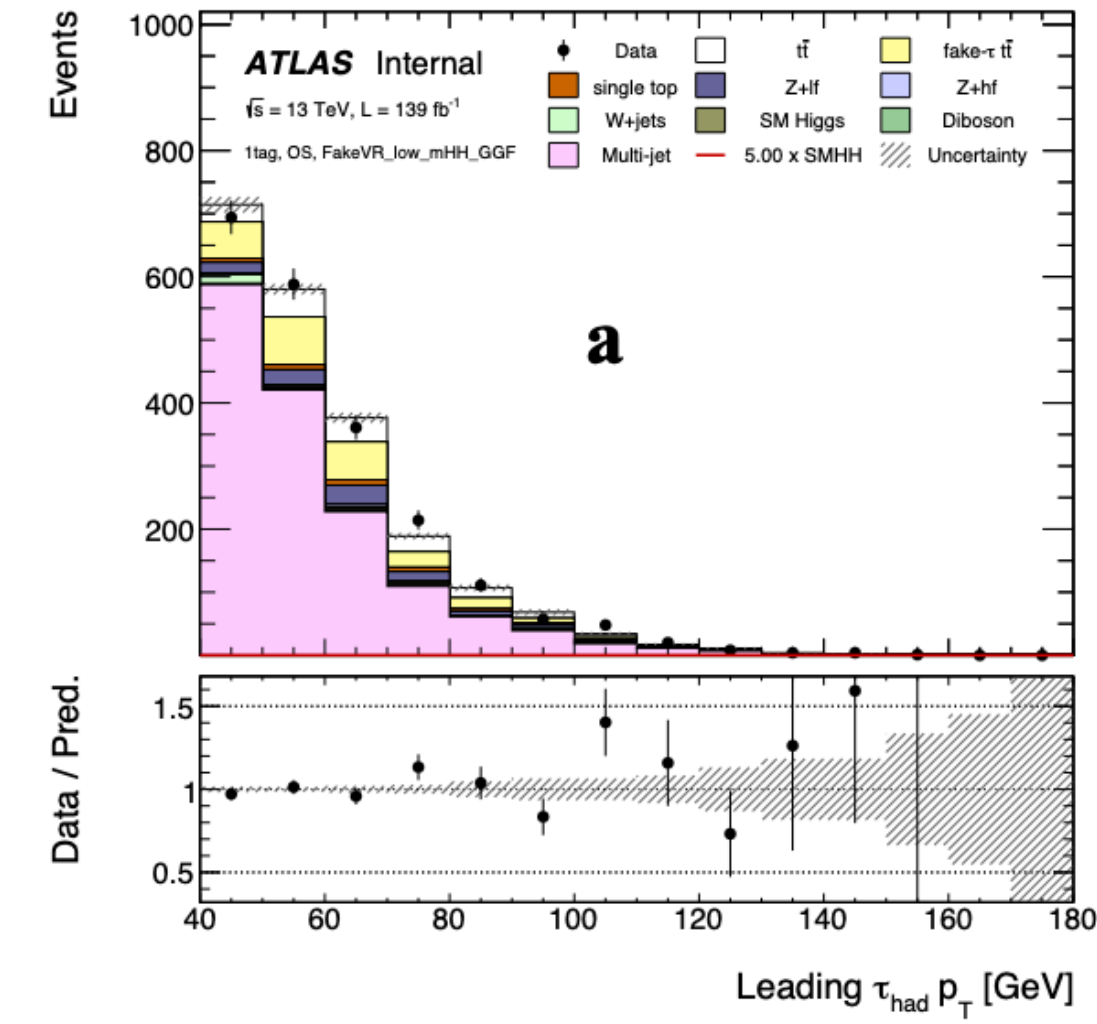
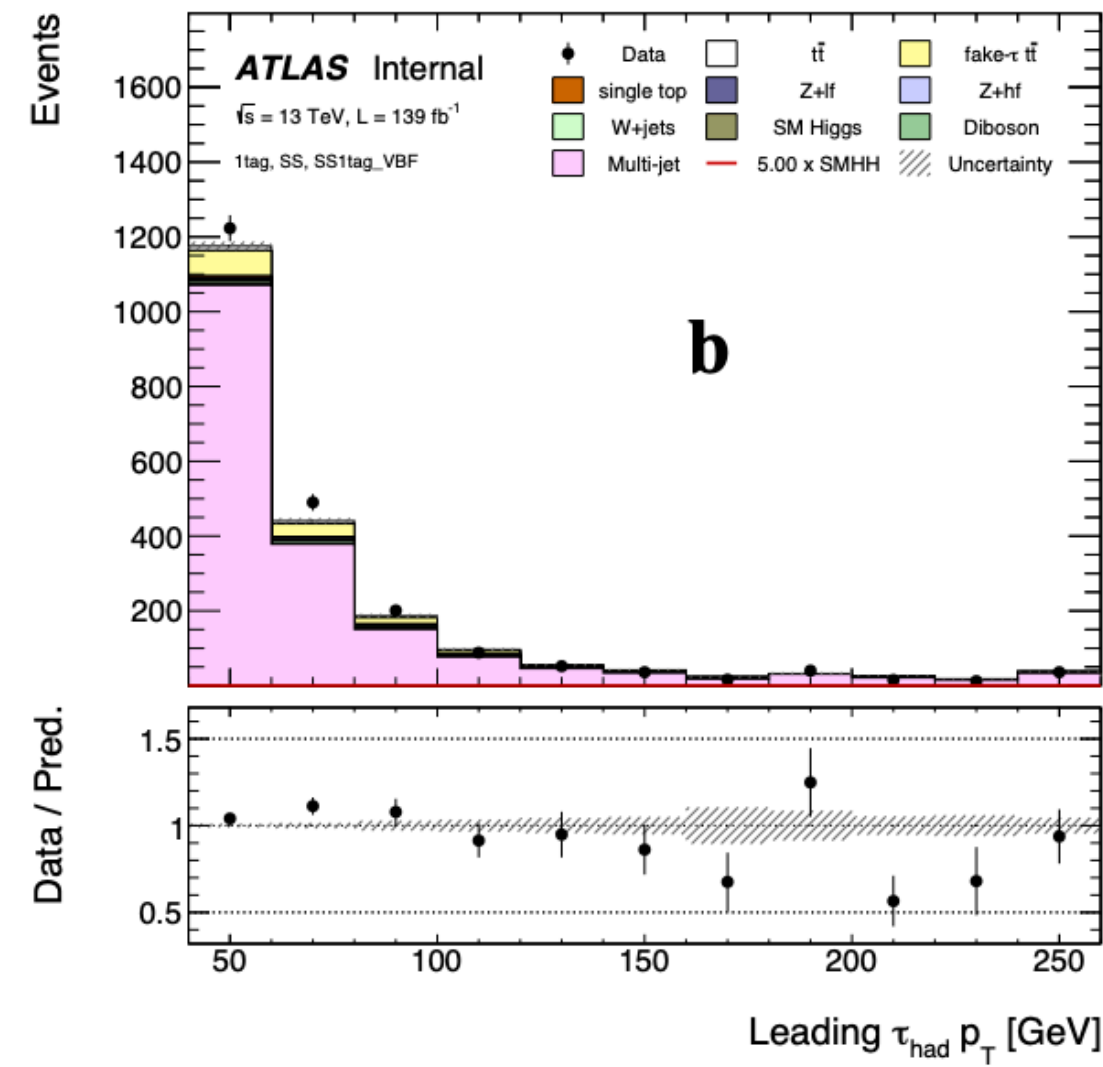
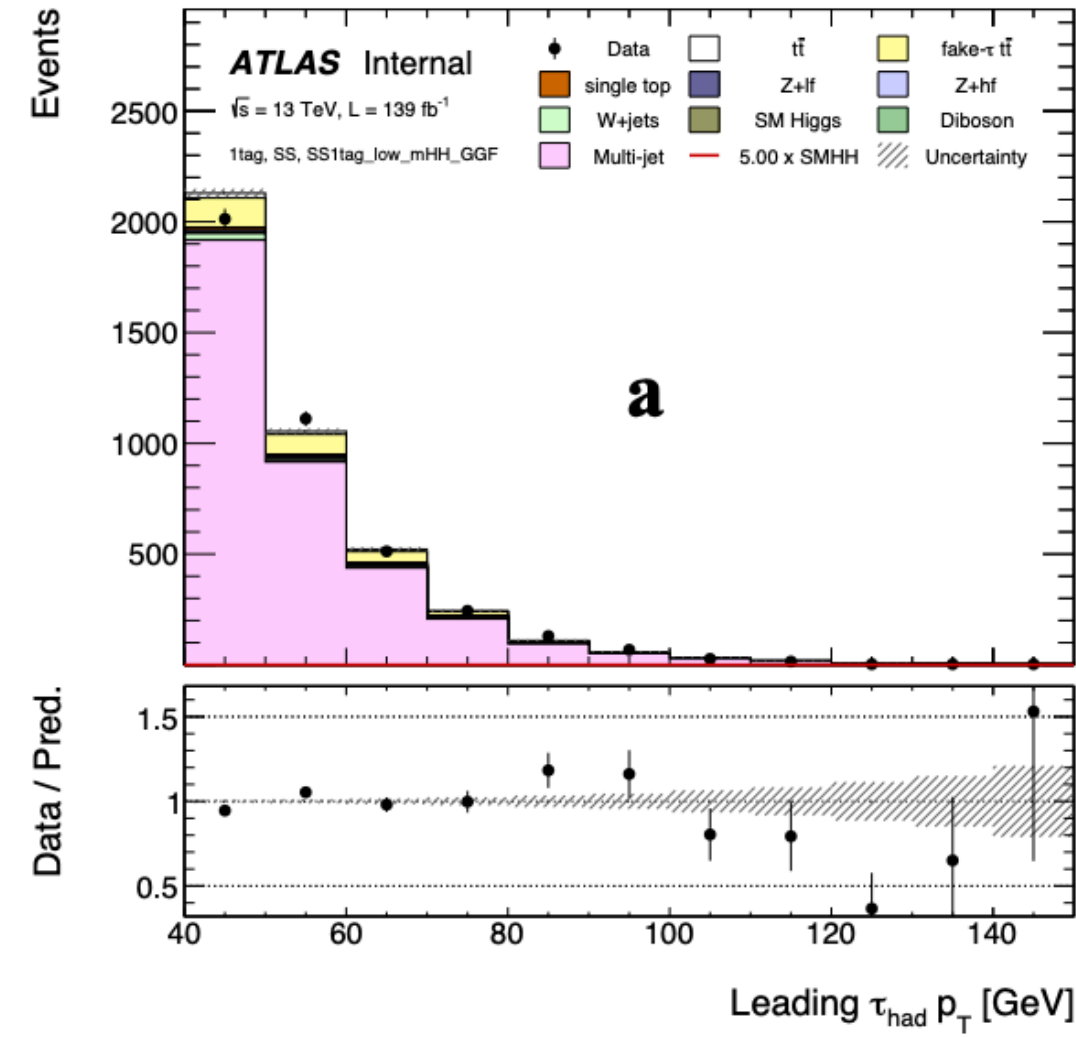


1btag validation

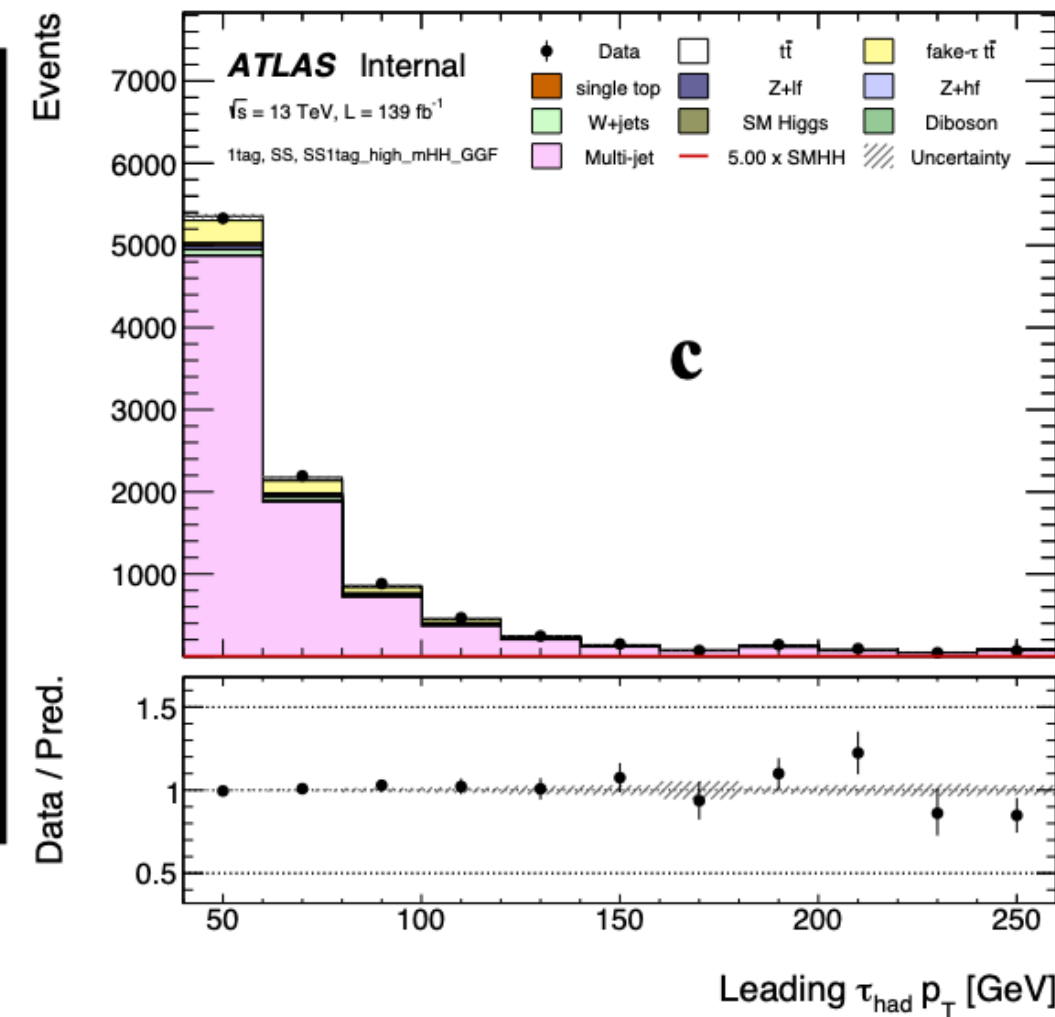


Background Estimation: Fake τ_{had} in HadHad validation

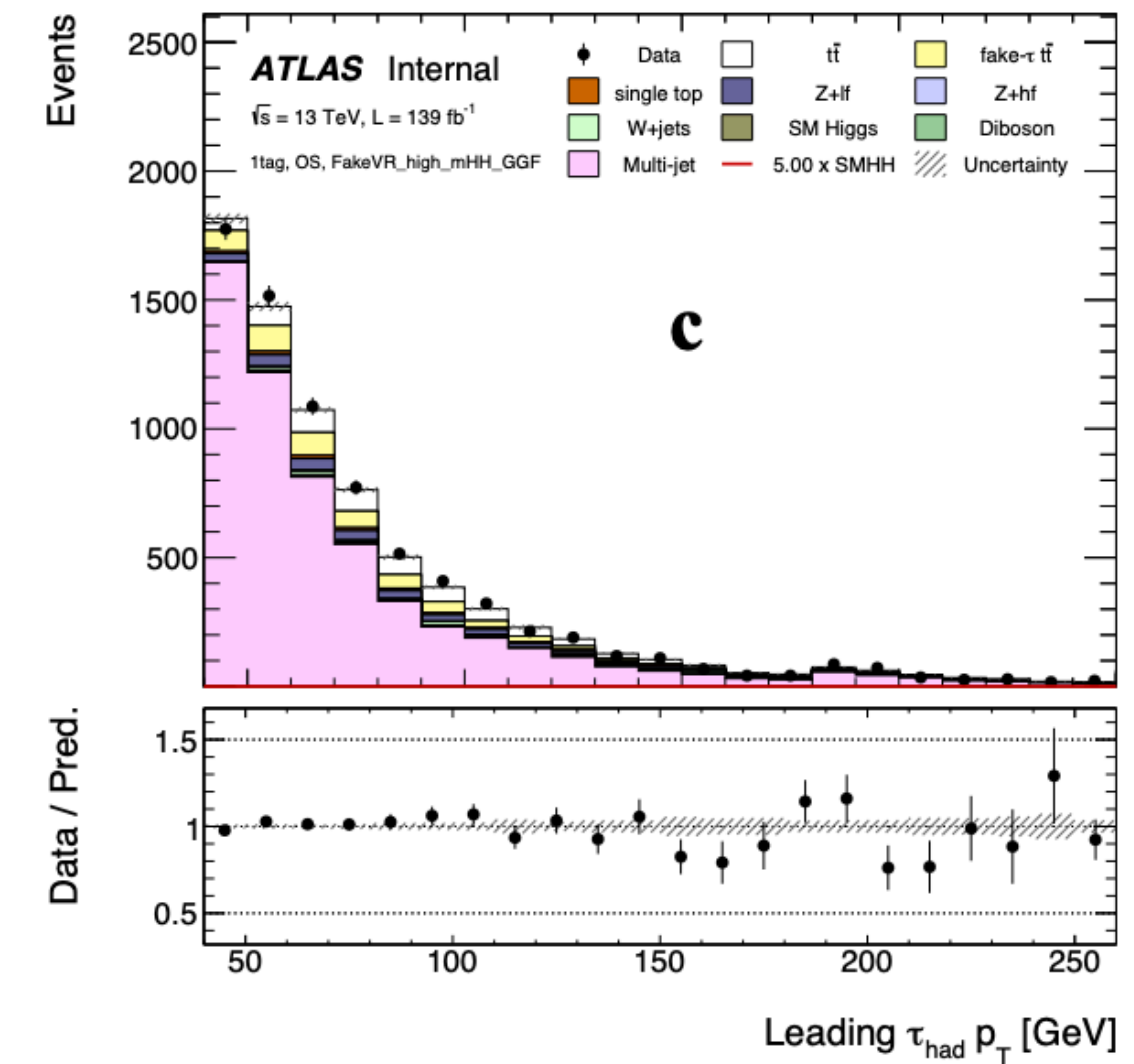
30



Closure check of the fake factor method in 1-btag SS ID-region showing the leading $\tau_{\text{had}} p_T$ distributions for the (a) low- m_{HH} ggF, (b) high- m_{HH} ggF and (c) VBF categories in the $\tau_{\text{had}}\tau_{\text{had}}$ channel



Validation of the multi-jet estimate in the 1-btag OS multi-jet validation region showing the leading $\tau_{\text{had}} p_T$ distributions for the (a) low- m_{HH} ggF, (b) high- m_{HH} ggF and (c) VBF categories in the $\tau_{\text{had}}\tau_{\text{had}}$ channel.



→ Considering the uncertainties from:

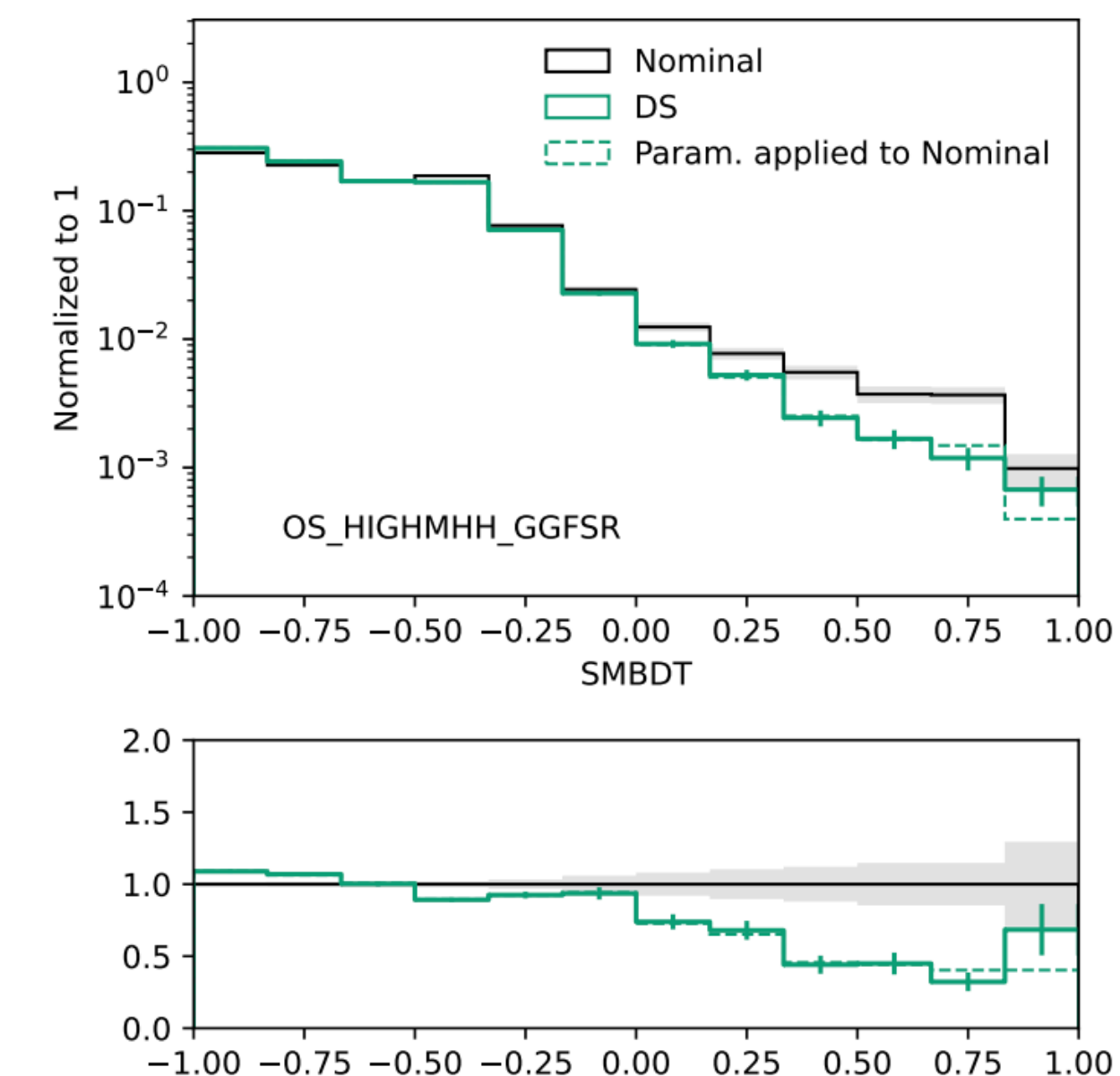
- Experimental uncertainties
- Background modeling for MC-based processes: $t\bar{t}$ bar, Z+HF, single-top, single Higgs
- Background modeling for data-driven processes: fake-tau in lephad and hadhad
- Signal modeling: ggF HH, VBF HH

→ Modeling uncertainties (take the difference between nominal and alternative)

- Acceptance: event yield variation in SRs due to imperfect modeling
- Shape: shape variation in SRs due to imperfect modeling

Table 67: Relative acceptance uncertainties obtained for the single top Wt in each $\tau_{\text{lep}}\tau_{\text{had}}$ - SLT SR and inclusively.

Region	low- m_{HH} ggF SR	high- m_{HH} ggF SR	VBF SR	Inclusive SR
Interference	up: 6.7%	up: - 22.9%	up: - 14.0%	up: - 9.8%
PS	up: - 4.5%	up: - 4.6%	up: 1.7%	up: - 4.2%
ME	up: 6.2%	up: 3.0%	up: 20.3%	up: 5.3%
FSR	up: 5.1%, down: - 4.9%	up: 2.7%, down: - 5.7%	up: 12.7%, down: - 7.8%	up: 4.3%, down: - 5.4%
ISR	up: 1.2%, down: - 1.2%	up: 4.0%, down: - 3.1%	up: 12.0%, down: - 10.5%	up: 3.2%, down: - 2.6%
PDF	up: 1.1%	up: 1.4%	up: 0.4%	up: 0.9%



(h) high- m_{HH} ggF SR (**Interference**)

→ Binned likelihood

$$L(\mu, \tau, \theta, \gamma) = \prod_{i \in \text{bins}} \text{Po}(N_i | \nu_i(\mu, \tau, \theta, \gamma)) \times \prod_k \exp\left(-\frac{\theta_k^2}{2}\right) \times \prod_{i \in \text{bins}} f(\gamma_i)$$

Model prediction (pointing to ν_i)
Obs. data (pointing to N_i)

Poisson term for every bin
Compares fit model prediction for bin i to observed event count

Constrained nuisance parameters
Systematic uncertainties

“Beeston-Barlow -gammas”
Statistical uncertainties in MC templates

Event yield in each bin as a linear combination of histogram templates

$$\nu_i(\mu, \tau, \theta, \gamma) = \mu \sum_{j \in \text{signal}} \underline{h_{i,j}(\theta)} + \gamma_i \sum_{j \in \text{bkg}} \underline{\tau_j h_{i,j}(\theta)}$$

→ Implementation

- The fit model is defined in terms of python/C++ code based on the Root HistFactory
- In this analysis, WSMaker is used.

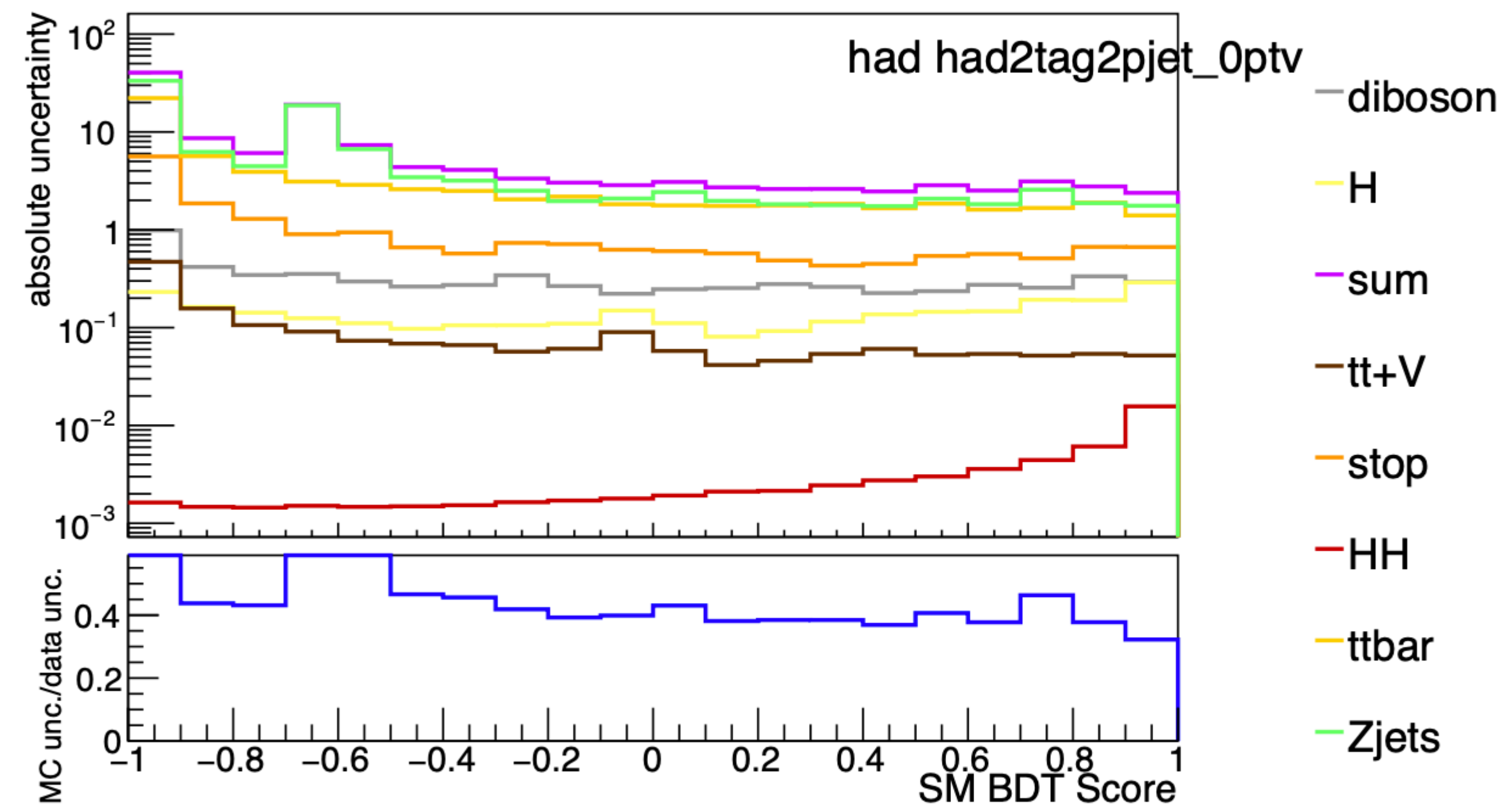
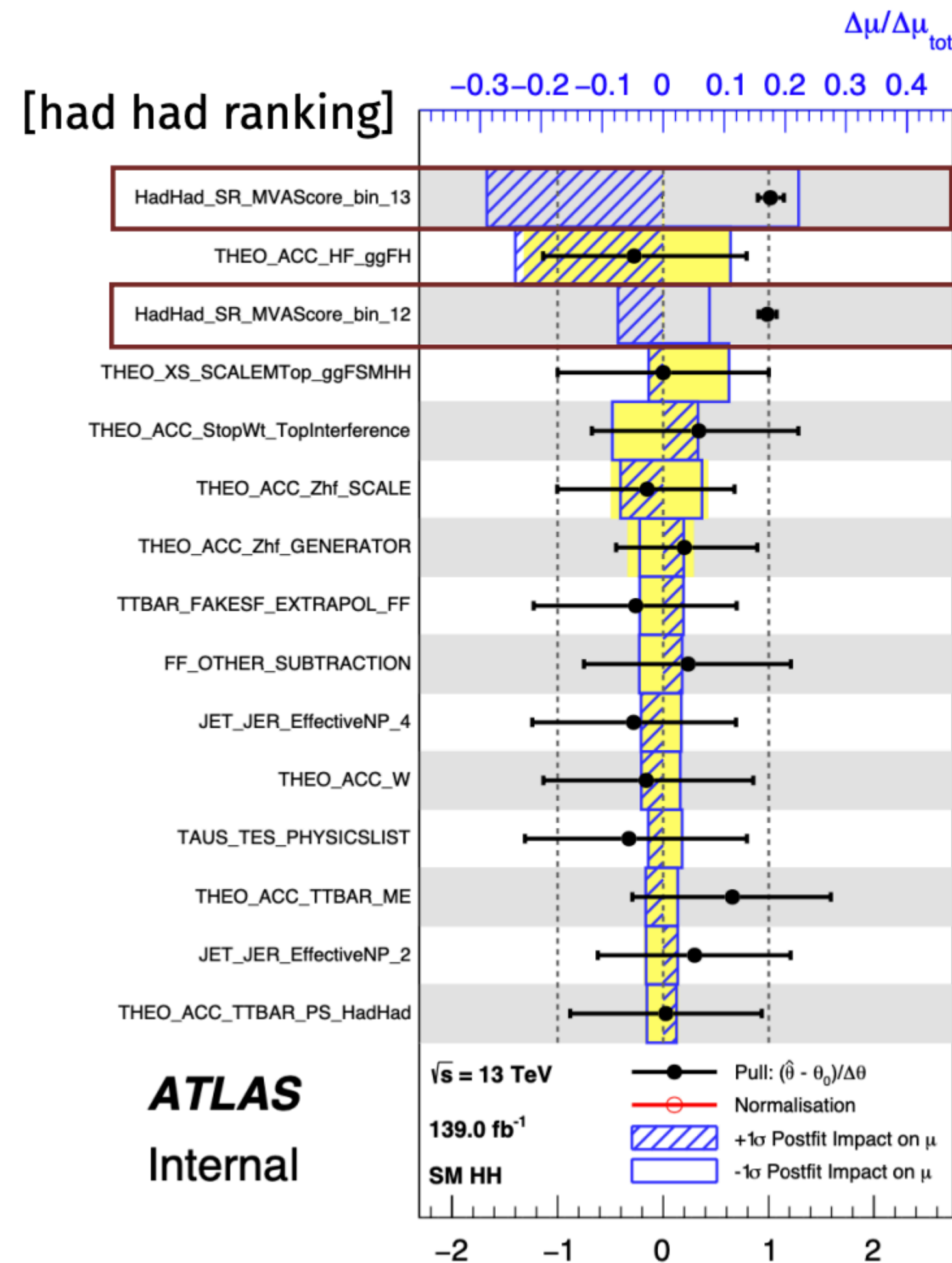
→ Hadhad channel

- For upper limit on HH signal strength, the improvement equally comes from new BDT binning, the usage of improved samples, the new optimized BDT
- For κ_λ interval, the new optimized BDT brings largest relative improvement
- For $\kappa_{2\nu}$ interval, the introduction of a dedicated VBF SR brings largest relative improvement

	simultaneous fit									
MCStat+Float Fit	Upper limit on μ_{HH}		Upper limit on μ_{VBF}		Upper limit on μ_{ggF}		95% Confidence interval for κ_λ		95% Confidence interval for $\kappa_{2\nu}$	
Baseline (previous analysis) without systematics	3.46		778		12.5		[-2.79, 9.58]		[-0.58, 2.71]	
Baseline with new BDT output transformation (<i>trafo60</i> , ≥ 1 bkg evt/bin)	3.28	-5.2%	713	-8%	11.3	-10%	[-2.73, 9.56]	-0.6%	[-0.51, 2.64]	-4.3%
Moving to Sherpa 2.2.11, extending the ttbar sample	3.09	-10.7%	747	-4%	11.9	-5%	[-2.64, 9.49]	-1.9%	[-0.48, 2.60]	-6.4%
New BDT (architecture + variables) w/ one inclusive SR	2.94	-15.0%	630	-19%	9.51	-24%	[-2.31, 9.01]	-8.5%	[-0.52, 2.66]	-3.3%
High m_{HH} , low m_{HH} categorisation for ggF SR + VBF SR (each with own BDT)	2.92	-15.6%	90	-88%	3.04	-76%	[-2.34, 8.85]	-9.5%	[-0.34, 2.51]	-13.4%

Improved description of backgrounds

- MC statistical uncertainty currently very high ranked (but result is stat. limited)



- had had channel as example:
 - total MC stat uncertainty dominated by Z+jets and ttbar

Usage of dilepton ttbar sample

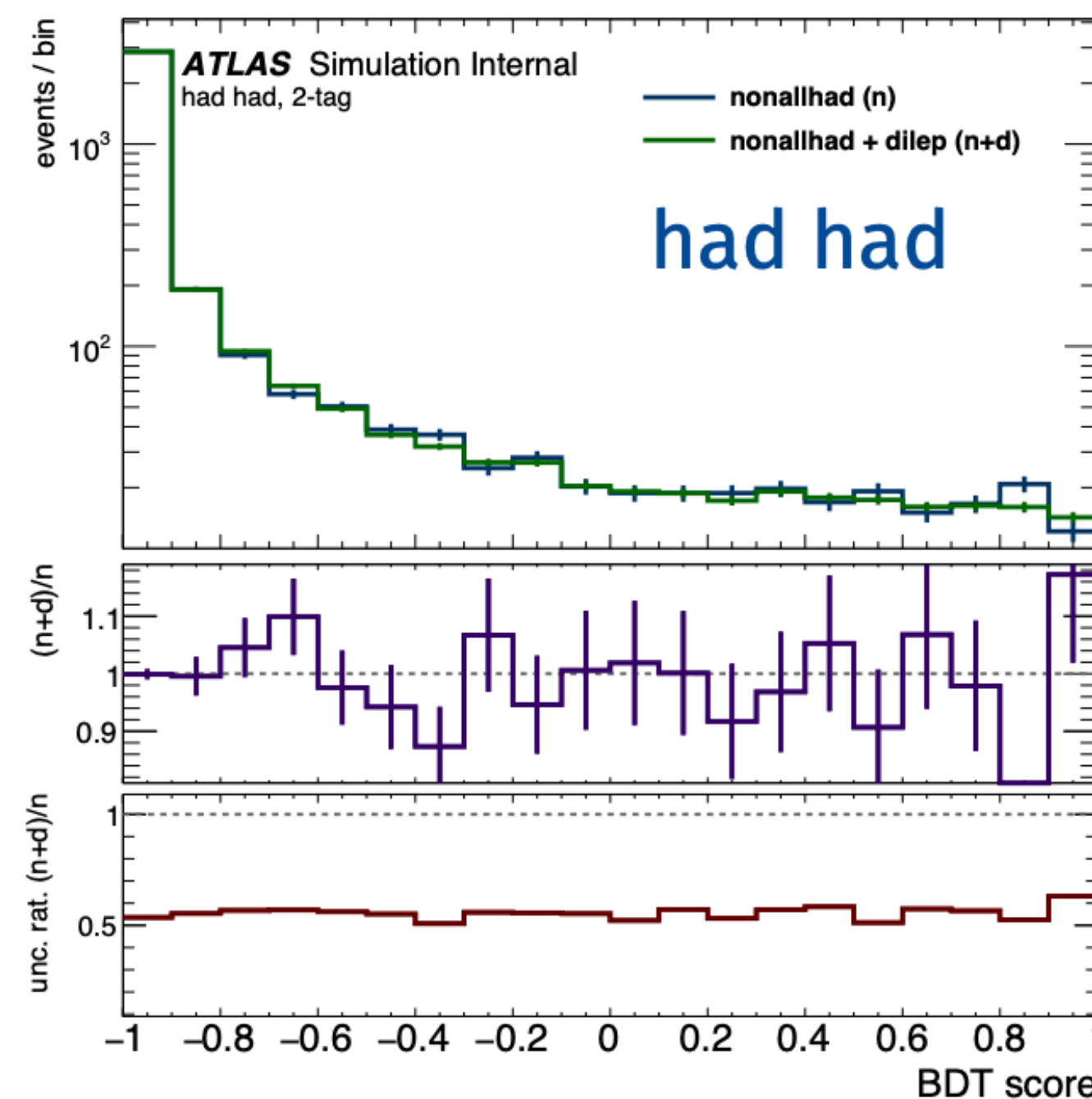
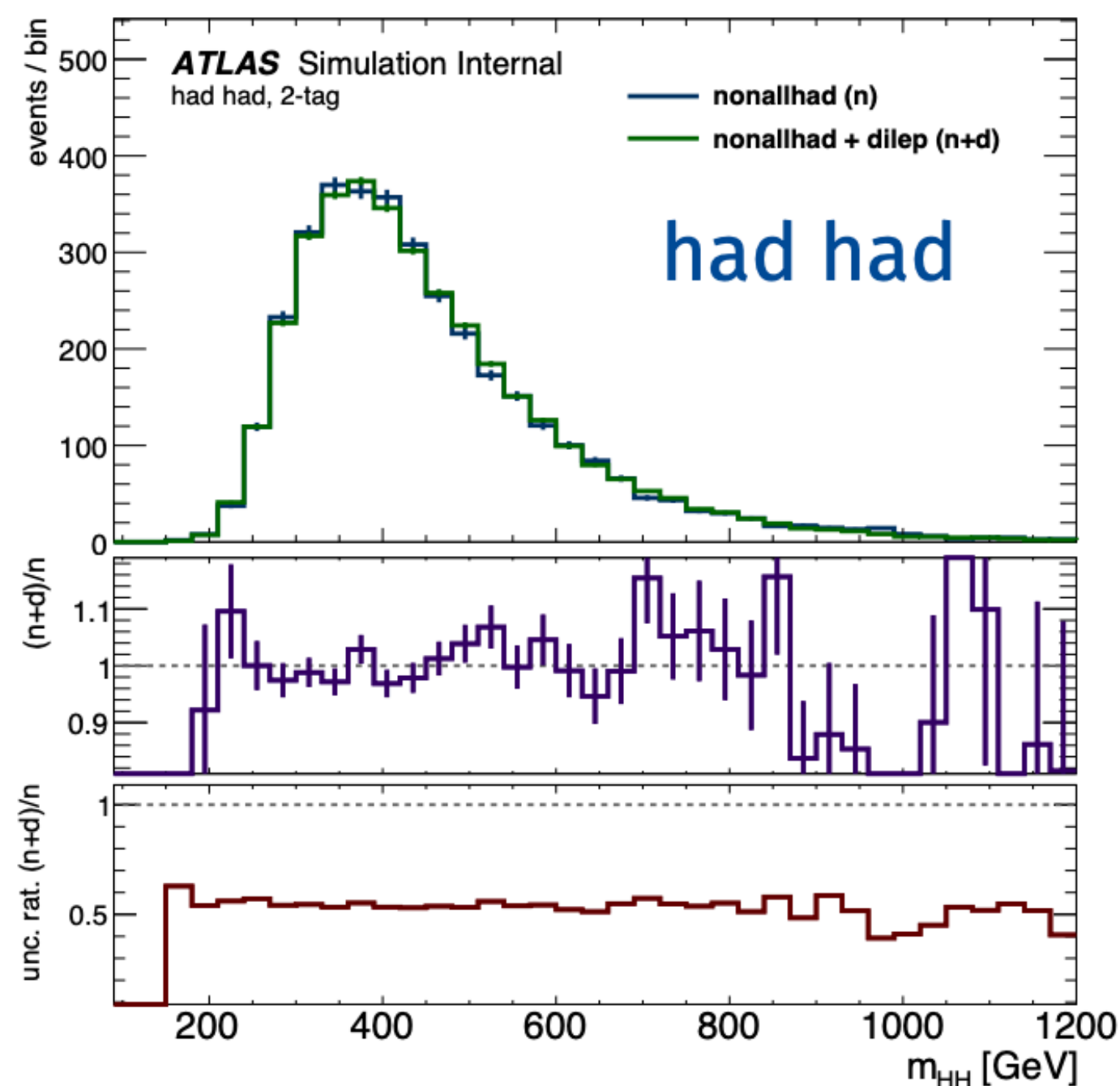
- For the previous round, only the nonallhad ttbar sample (DSID=410470) was used
→ add dedicated dilepton ttbar sample (and remove overlap)

$$\text{nonallhad} = 1L + 2L \longrightarrow 4/5 \text{ } 1L \text{ and } 1/5 \text{ } 2L$$

BR: $4/9$ $1/9$

reduction of unc. to $1/\sqrt{5 \cdot 0.68} \sim 0.54$

	dilepton	nonallhad	ratio
mc16a	80 M	119 M	67 %
mc16d	99 M	149 M	67 %
mc16e	139 M	199 M	70 %
Σ	319 M	468 M	68 %



← normalisation and shape comparison

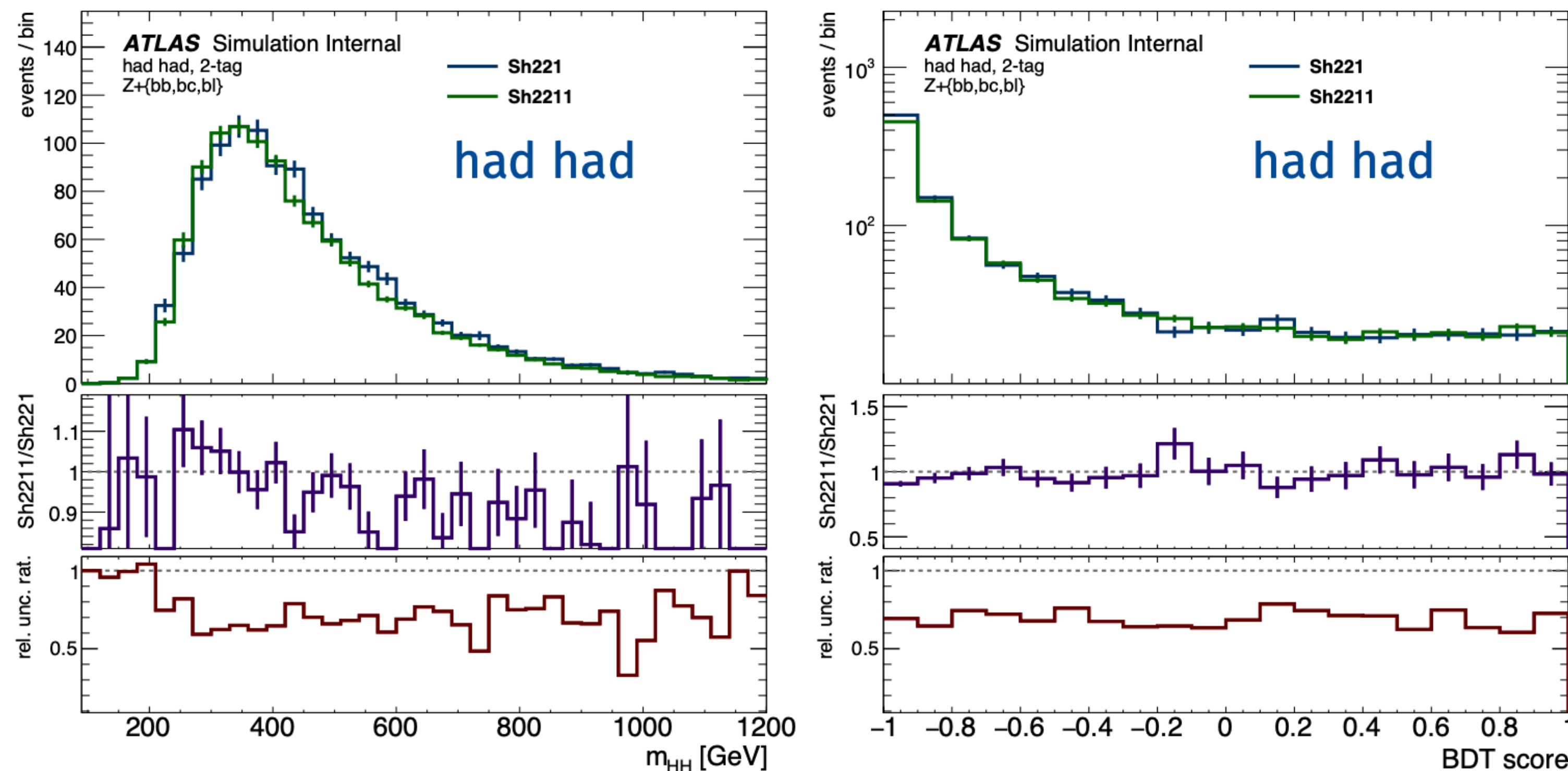
← ratio (nonallhad + dilep)/nonallhad

← reduction in MCStat uncertainty/bin

similar studies ongoing in lep had channel

Sherpa 2.2.11 vs. Sherpa 2.2.1

- Compared new Sherpa 2.2.11 V+jets samples to baseline Sherpa 2.2.1 in had had channel



Reasonable closure in the shapes [Sherpa 2.2.11 is a different generator after all]

Reduction of MC stat. unc. by ~ 35% (~ x2 more events)

Similar studies in the lep had channel ongoing

(also need to migrate sample in Z+hf CR to Sherpa 2.2.11)

- CxAOD production with systematic uncertainties ~ 80% complete [[here](#)]
- Requested aMC@NLO+Pythia 8 FxFx derivations for NLO vs. NLO generator comparison [[here](#)]
- Sherpa 2.2.11 EVNT will be further extended by a factor 2 [[here](#)]

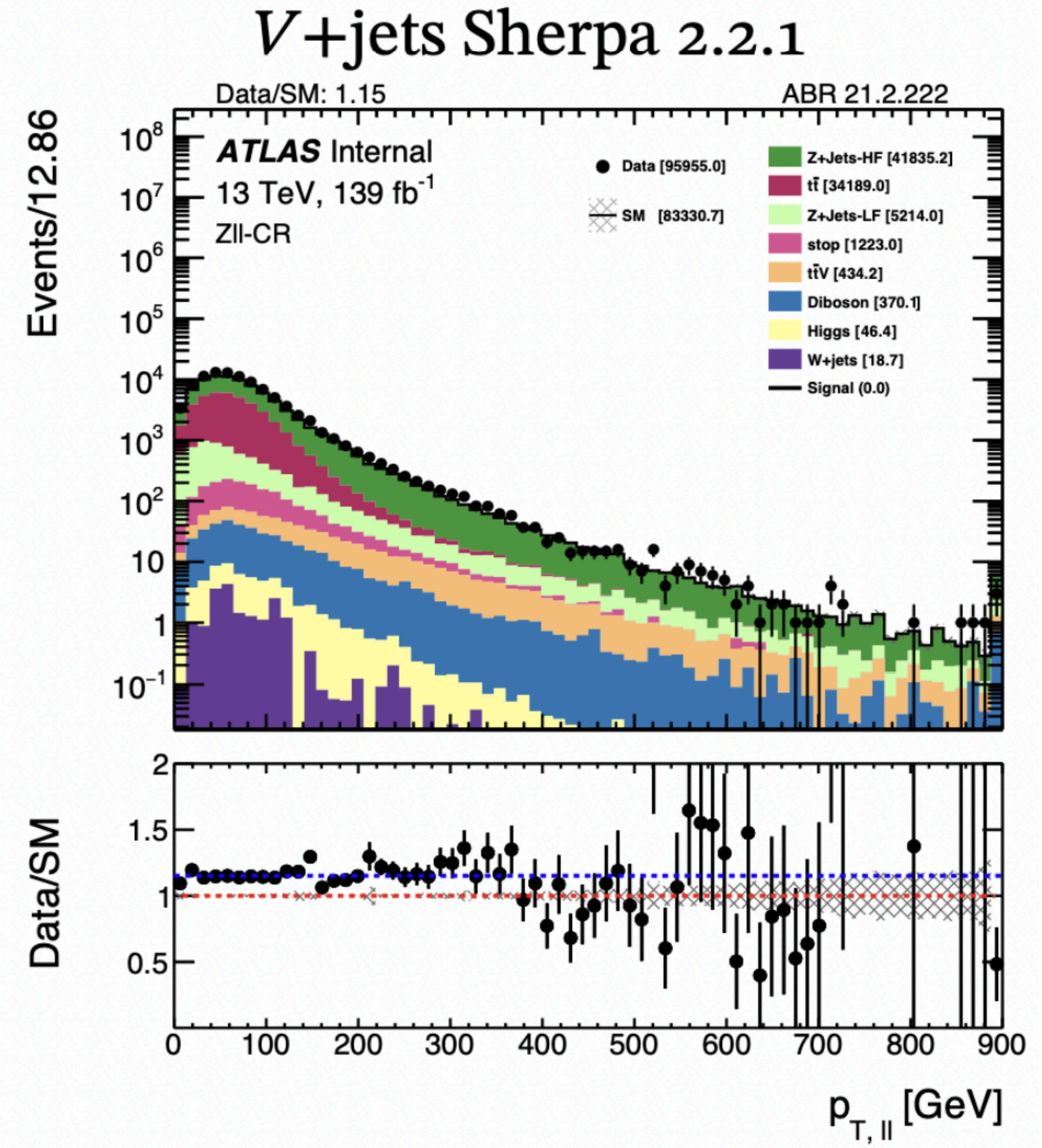
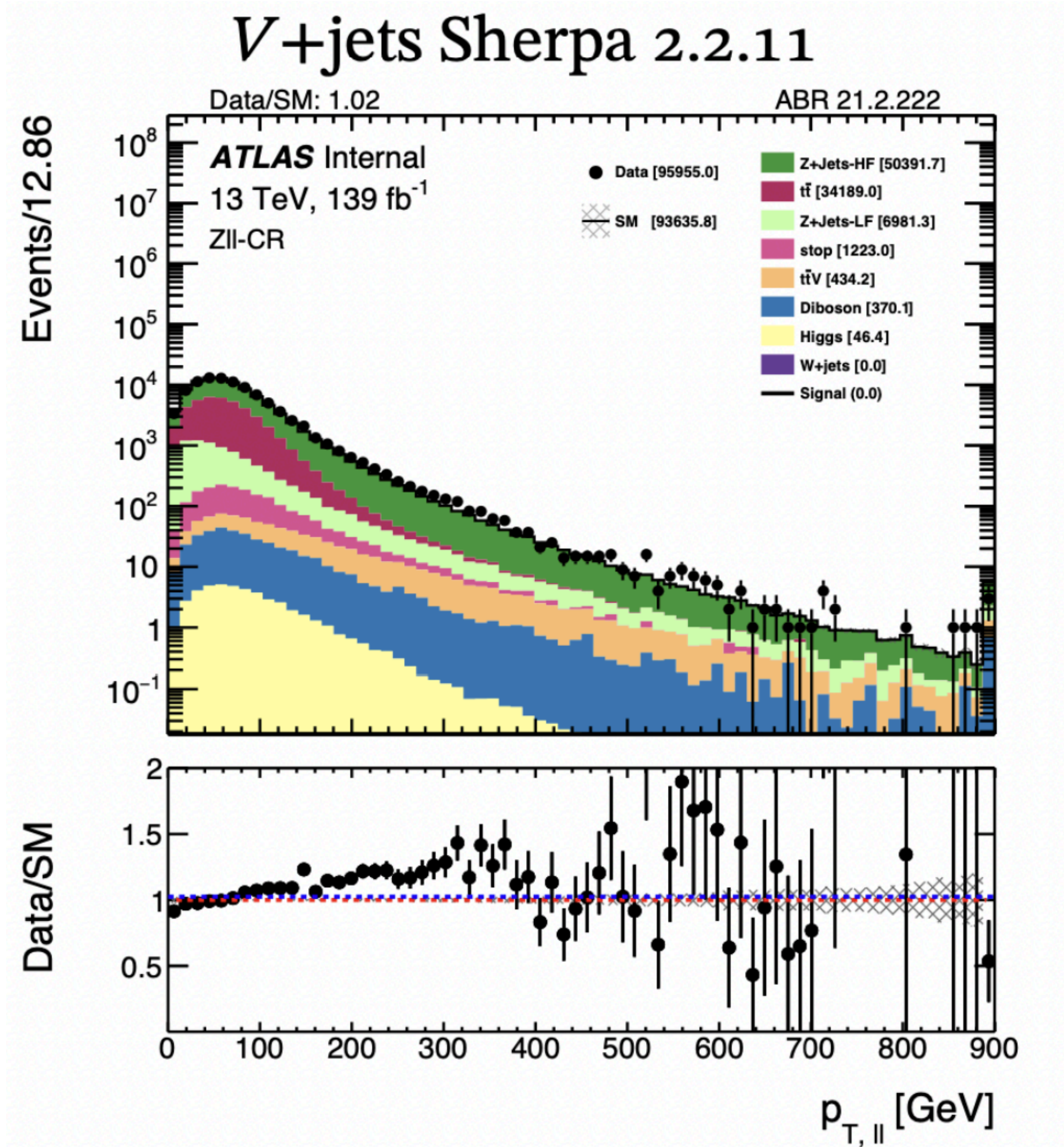
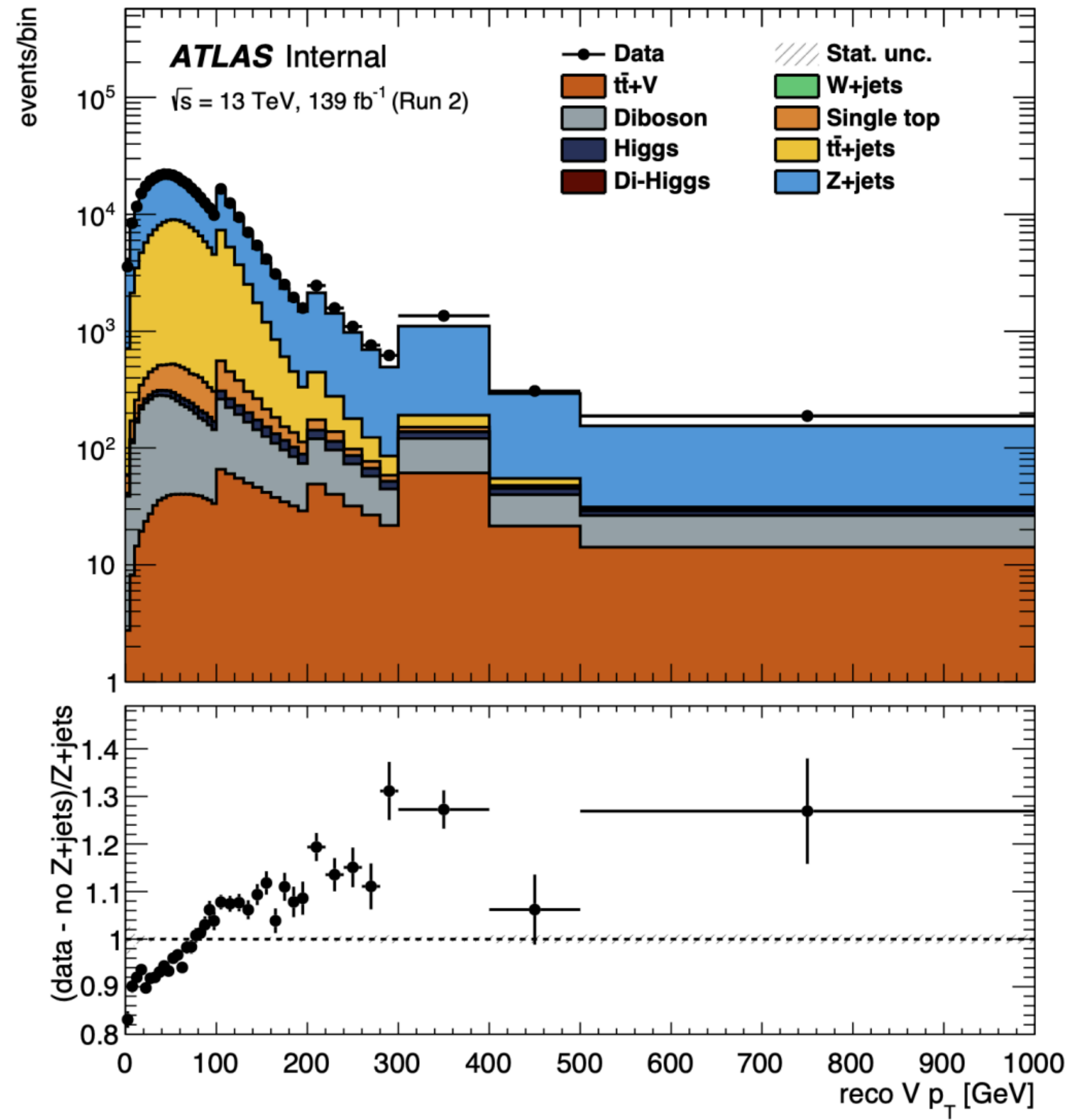
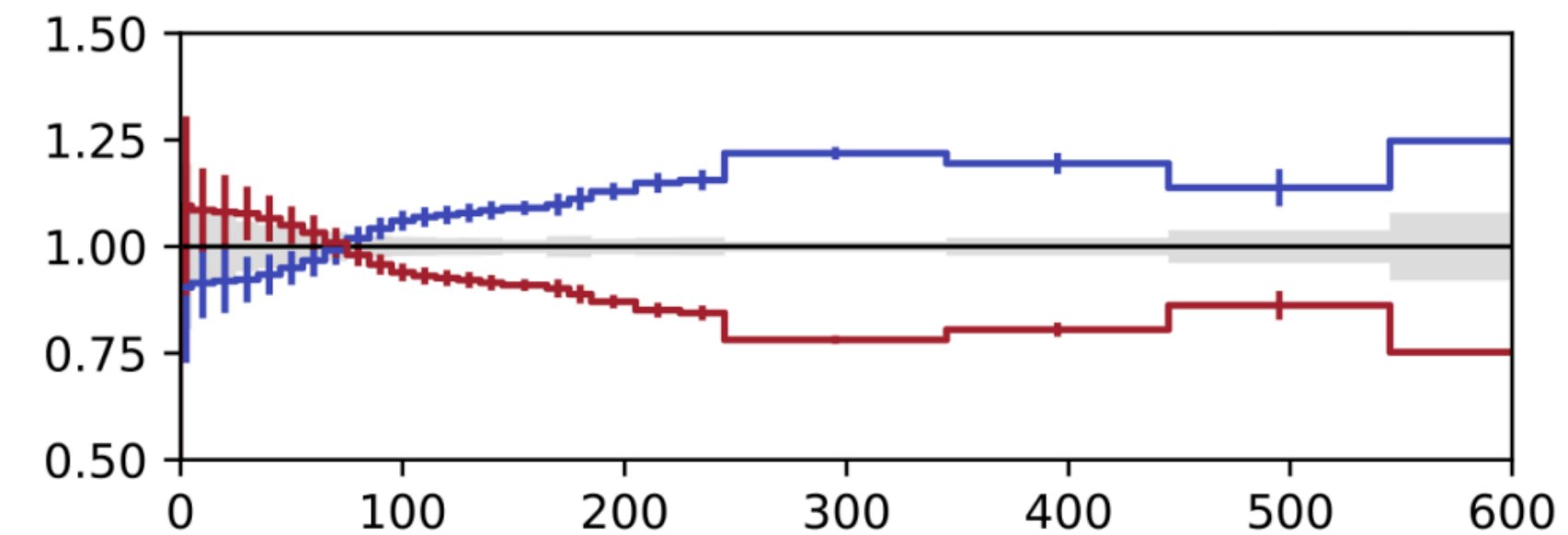
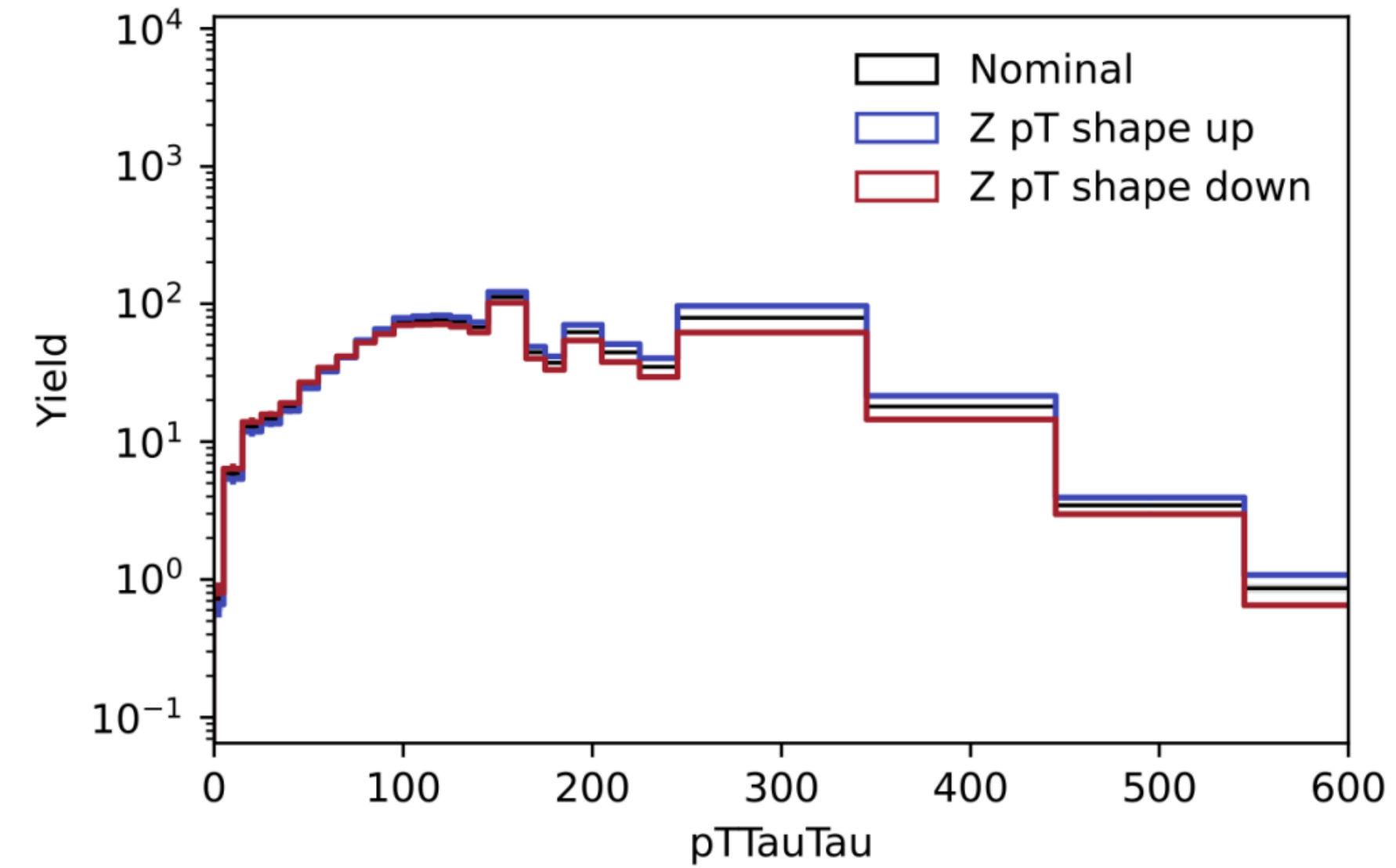


Figure 29: Data/MC comparison in the old $Z + HF$ control region, before adjustment of the cuts.



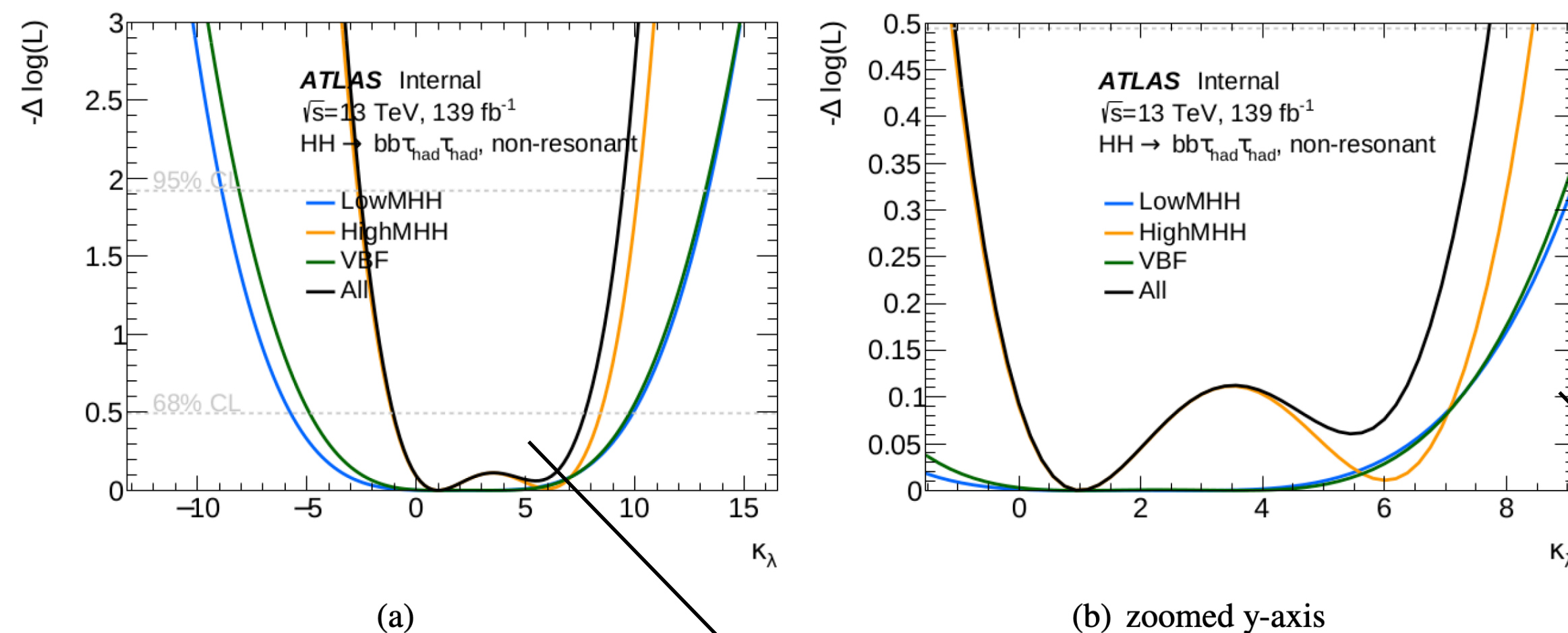
(a)



(b)

Figure 35: **a** Definition of the $V \text{ } p_T$ shape uncertainty covering the full difference between the data and the nominal MC prediction in the Z CR. **b** Resulting binned parameterization of the shape uncertainty.

$\tau_{\text{had}}\tau_{\text{had}}$ category		$\tau_{\text{lep}}\tau_{\text{had}}$ categories	
STT	DTT	SLT	LTT
e/μ selection			
No loose e/μ		Exactly one loose e/μ	
		e (μ) must be tight (medium and have $ \eta < 2.5$)	
		$p_{\text{T}}^e > 25, 27 \text{ GeV}$	$18 \text{ GeV} < p_{\text{T}}^e < \text{SLT cut}$
		$p_{\text{T}}^\mu > 21, 27 \text{ GeV}$	$15 \text{ GeV} < p_{\text{T}}^\mu < \text{SLT cut}$
$\tau_{\text{had-vis}}$ selection			
Two loose $\tau_{\text{had-vis}}$		One loose $\tau_{\text{had-vis}}$	
		$ \eta < 2.3$	
$p_{\text{T}} > 100, 140, 180 \text{ (25) GeV}$	$p_{\text{T}} > 40 \text{ (30) GeV}$		$p_{\text{T}} > 30 \text{ GeV}$
Jet selection			
≥ 2 jets with $ \eta < 2.5$			
Leading jet $p_{\text{T}} > 45 \text{ GeV}$	Trigger dependent	Leading jet $p_{\text{T}} > 45 \text{ GeV}$	Trigger dependent
Event-level selection			
Trigger requirements passed			
Collision vertex reconstructed			
$m_{\tau\tau}^{\text{MMC}} > 60 \text{ GeV}$			
Opposite-sign electric charges of $e/\mu/\tau_{\text{had-vis}}$ and $\tau_{\text{had-vis}}$			
Exactly two b -tagged jets			
$m_{bb} < 150 \text{ GeV}$			



Previous analysis projected to HL-LHC

Figure 157: Negative logarithm of the likelihood ratio comparing different κ_λ hypotheses to an Asimov dataset constructed under the SM hypothesis in the $\tau_{\text{had}}\tau_{\text{had}}$ channel. All the other couplings are fixed to their SM prediction. The intersections of the solid curves with the horizontal dashed lines indicate the 68% and 95% CL intervals. Subfigure (b) shows the scan zoomed in the y-axis.

Current analysis projected to HL-LHC

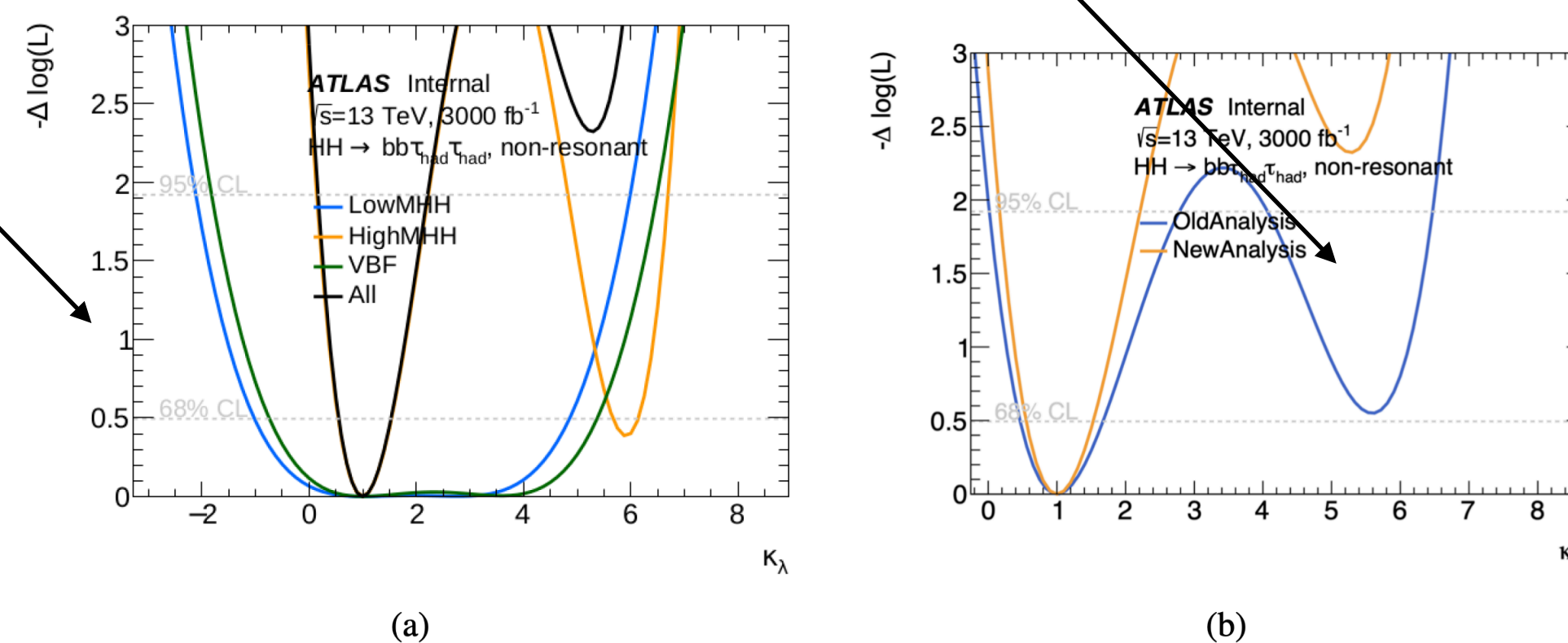


Figure 158: Negative logarithm of the likelihood ratio comparing different κ_λ hypotheses to an Asimov dataset constructed under the SM hypothesis in the $\tau_{\text{had}}\tau_{\text{had}}$ channel projected at HL-LHC. Subfigure (b) compares the old analysis sensitivity to the one of the new legacy analysis strategy at HL-LHC.