

Measurements of polarization and CP properties in $ZZ \rightarrow 4l$ production with full Run2 data at ATLAS

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Outline

- Motivation
- Measurement of ZZ joint longitudinal polarization
- Measurement of CP properties in ZZ production
- Summary

Motivation

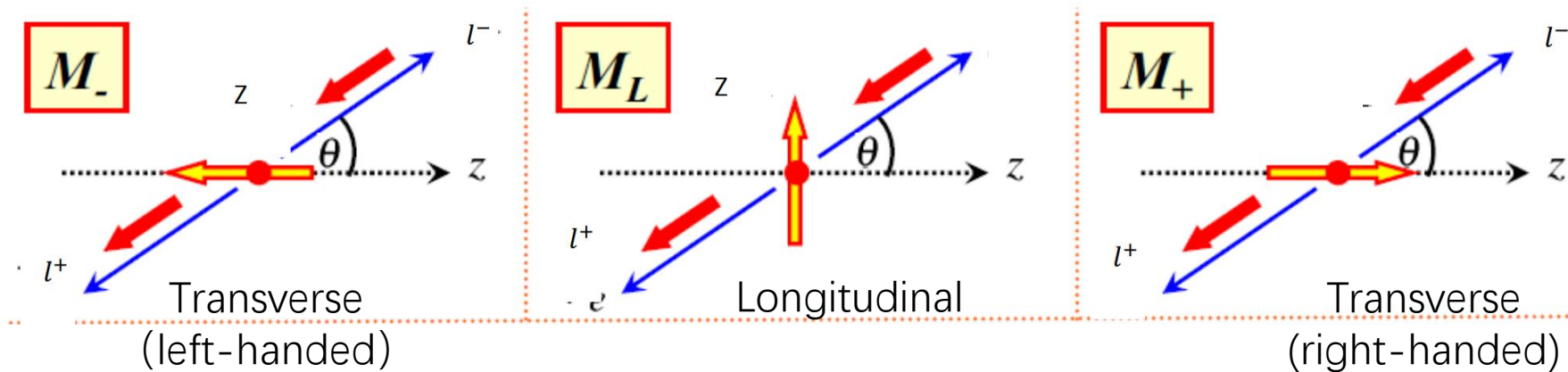


- The longitudinal polarization measurement of massive W and Z bosons is a direct way to probe the EWSB mechanism.
- The first observation of joint longitudinal polarization states of two vector bosons using WZ production process [[2211.09435](#)].
- Expected to establish the first evidence of joint longitudinal polarization states of ZZ bosons in ATLAS.
- Measurement of CP-sensitive observables in ZZ production can be used to explore the new source of CP violation in gauge boson sector.

Measurement of ZZ joint longitudinal polarization

Introduction

- Goal: Establish the first evidence of joint longitudinal polarization states of ZZ bosons in ATLAS.
- Phase space: On-shell ZZ region
 - $m_{4l} > 180 \text{ GeV}$ && $|m_{ij} - m_Z| < 10 \text{ GeV}$
- Signal: Longitudinal longitudinal components (LL) in the ZZ events
 - The polarization is defined in the ZZ rest frame.
- Background: TT (Both Z bosons are transverse), TL (One Z boson is transverse and another is longitudinal polarized), ttZ, triboson (ZWW, ZZZ, ZZW) and fake(Zjets/ttbar)

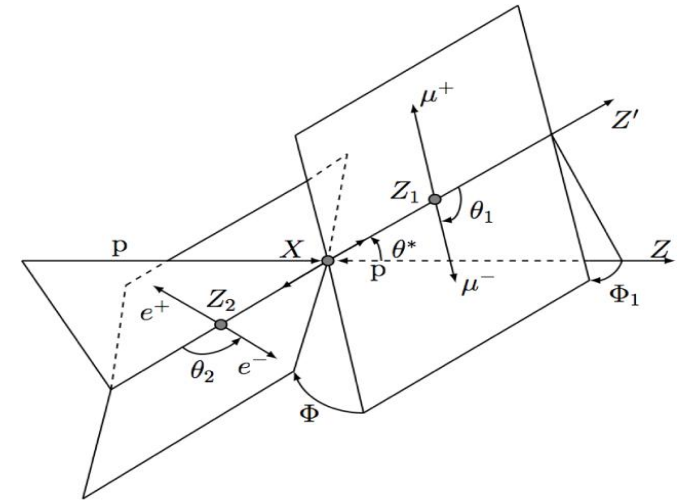


Analysis strategy

- ① To improve the sensitivity
 - Multivariate Analysis (MVA) Method: Boost decision tree (BDT) to enhance the separation power between signal and bkg
- ② To improve the accuracy of qqZZ polarized samples
 - **NLO** polarized samples are **not** available
 - Reweighted to the latest MoCaNLO program calculation ([JHEP10\(2021\)097](#))
 - NLO QCD and EW correction on the qqZZ polarized samples.
 - Loop induced ggZZ correction
- ③ To get the final results (signal strength and significance)
 - Tool: [TRExFitter](#)

Multivariate Analysis

- Due to limited statistics, very challenging to extract the LL component
- Started with BDT method
 - Signal: LL
 - Background: TT+TL
- Input variables: 5 purely angular observables
- Largely improve the sensitivity
 - Significance (LO, LL vs TT+TL, stat only): **4.38 σ**
 - For comparison, single angular variable: 2.58 σ

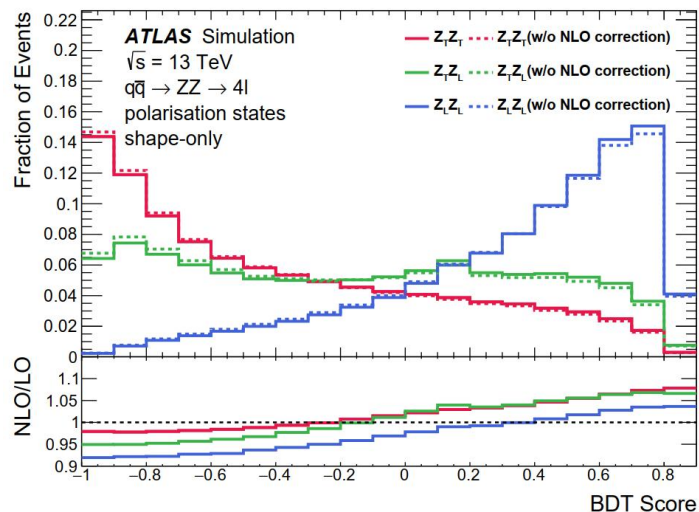


Input observables of MVA for polarization study

$\cos\theta_{1,Z\text{REST}}$	} Decay angles
$\cos\theta_{2,Z\text{REST}}$	
$\cos\theta_{Z_1,Z\text{REST}}^*$	} Production angles
$\Delta\phi_{\ell_1\ell_2,Z\text{REST}}$	} Azimuthal angles
$\Delta\phi_{\ell_3\ell_4,Z\text{REST}}$	

The higher order polarized samples

- Only LO polarized qqZZ and inclusive ggZZ samples available
- A three steps reweighting method is established to incorporate the higher order correction using MoCaNLO program ([JHEP10\(2021\)097](#))
 - Step1: 1D reweighting for each individual polarization state
 - Step2: 1D reweighting for the interference effect
 - Step3: 2D reweighting for the residual higher order corrections
- The BDT distribution comparison before and after reweighting procedure



The shape impact from this reweighting procedure on each polarized state with a maximum variation of about 10% for qqZZ sample

NLO correction and interference effect

- A three steps reweighting method is used to consider the NLO correction
 - Step1: 1D reweighting for each individual polarization state

✓ qqZZ process:

▣ Reweighting as a function of $\cos\theta_1$

$$qqZZ_{polarized}^{reco} = \frac{MoCaNLO_{polarized}^{parton}}{MG012LO_{polarized}^{particle}} * \frac{MC_{NLO}^{particle}}{MoCaNLO_{Inclusive}^{parton}} * MG012LO_{polarized}^{reco}$$

K-factor Parton shower correction qqZZ MG LO reco sample

* “MoCaNLO”: differential xs from theorists’ calculation

- ▣ The impact of the 1D reweighting corrections on the BDT discriminant is mostly of about 20% on the normalisation, and the shape variation is only of 2 – 4%.
- ▣ The difference induced by different reweighting variables is treated as a systematic uncertainty

NLO correction and interference effect

- Step2: 1D reweighting for the interference effect

- ✓ The simulated polarized samples do not consider the interference effects which is not negligible

- ✓ Interference effect:

- ▣ Reweighting as a function of $\cos\theta_1$

$$\text{InterfNLO}^{\text{reco}} = \frac{\text{MoCaNLO}_{\text{incl}}^{\text{parton}} - \sum_{\text{pol}} \text{MoCaNLO}_{\text{pol}}^{\text{parton}}}{\text{MoCaNLO}_{\text{incl}}^{\text{parton}}} \times \text{SherpaNLO}_{\text{incl}}^{\text{reco}}$$

- ▣ The difference caused by reweighting variable choice is not negligible and considered as modeling uncertainty

- Step3: 2D reweighting for the residual higher order corrections

- ✓ To consider NLO correction modelling effect (reweighting with 1 variable can hardly catch full structure of high-order contributions)

- ✓ Reweighting as a function of $\cos\theta_Z^*$ and $\Delta\phi_{l_1 l_2}$

$$\text{NLO}_{\text{final pol}}^{\text{reco}} = \frac{\text{SherpaNLO} - \text{InterfNLO}}{\sum_{\text{pol}} \text{NLO}_{\text{pol}}^{\text{reco}}} \times \text{NLO}_{\text{pol}}^{\text{reco}}$$

- ✓ The impact of this 2D reweighting on the BDT discriminant is mostly on the shape with a maximum variation of about 10%.

The difference between unpolarized and inclusive sample is treated as residual modeling uncertainty

ggZZ polarized sample and other NLO uncertainty

➤ ggZZ polarized samples

- Reweighting the inclusive ggZZ samples to get different polarization states
- Differential fraction for each component is taken from theorists' work

$$ggZZ_{pol}^{reco} = \frac{MoCaNLO_{pol}^{ggZZ,parton}}{MoCaNLO_{incl}^{ggZZ,parton}} \times Sherpa_{incl}^{ggZZ,reco}$$

- Interference effect is negligible for ggZZ process
- Alternative way: reweighting like the qqZZ, the difference taken as systematic uncertainty

$$ggZZ_{LO,polarized}^{reco} = \frac{MoCaNLO_{Polarized}^{ggZZLO,Parton}}{MadGraph012LO_{Polarized}^{qqZZ,Particle}} \times \frac{Sherpa_NLO_{Inclusive}^{Particle}}{MoCaNLO_{Inclusive}^{Parton}} \times MadGraph012LO_{Polarized}^{qqZZ,Reco}$$

➤ NLO theoretical uncertainties:

- Besides the systematics mentioned in NLO correction procedure, still theoretical uncertainties for NLO polarized samples (inputs also from theorists' work):
 - ▣ NLO EW: difference between multiplicative & additive methods
 - ▣ NLO QCD for qqZZ and ggZZ: 7-point variation with NLO correction

Systematics uncertainties

➤ Experimental uncertainties

- Lepton ID, reconstruction and isolation efficiency
- Trigger efficiency
- Lepton resolution and scale
- Pileup scale
- Luminosity

➤ Theoretical uncertainties

- QCD scale
- PDF+ α_s
- Parton shower
- ttV and VVV cross-section variation
- Variation related to NLO k-factor variation for ggZZ
- Fake related uncertainties
- Variation related to EWK NLO reweighting for inclusive qqZZ
- Uncertainties related to the higher order correction
 - ▣ Interference modeling
 - ▣ NLO residual non-closure uncertainties
 - ▣ NLO EW uncertainty
 - ▣ NLO reweighting observable choice
 - ▣ ggZZ modeling uncertainty

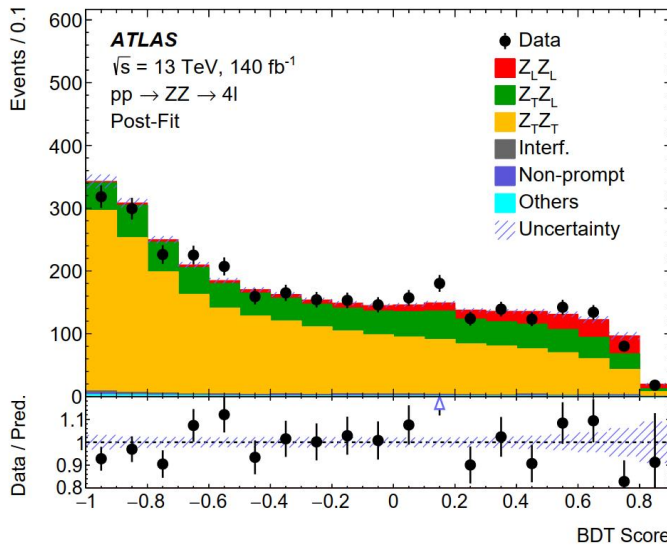
Results

➤ Signal strength:

- $\mu_{LL} = 1.15 \pm 0.27(\text{stat.}) \pm 0.11(\text{syst.})$

➤ Significance: **4.3 σ** (3.8 σ)

➡ **Evidence established**



➤ The fiducial cross-section of $Z_L Z_L$ process is measured as $2.44 \pm 0.59 \text{ fb}$, consistent with SM prediction $2.09 \pm 0.10 \text{ fb}$.

Contribution	Relative uncertainty [%]
Total	24
Data statistical uncertainty	23
Total systematic uncertainty	8.8
MC statistical uncertainty	1.7
Theoretical systematic uncertainties	
$q\bar{q} \rightarrow ZZ$ interference modelling	6.9
NLO reweighting observable choice for $q\bar{q} \rightarrow ZZ$	3.7
PDF, α_s and parton shower for $q\bar{q} \rightarrow ZZ$	2.2
NLO reweighting non-closure	1.0
QCD scale for $q\bar{q} \rightarrow ZZ$	0.2
NLO EW corrections for $q\bar{q} \rightarrow ZZ$	0.2
$gg \rightarrow ZZ$ modelling	1.4
Experimental systematic uncertainties	
Luminosity	0.8
Muons	0.6
Electrons	0.4
Non-prompt background	0.3
Pile-up reweighting	0.3
Triboson and $t\bar{t}Z$ normalisations	0.1

This analysis still dominant by statistical uncertainty

Measurement of CP properties in ZZ production

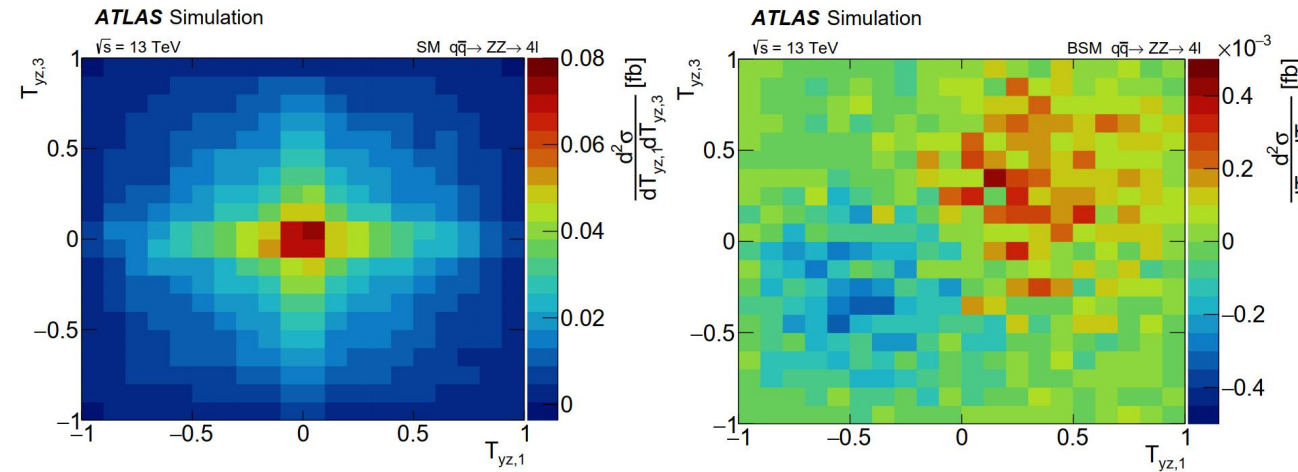
Introduction

- Goal: Search for CP-violation in ZZ(4l) on-shell events
- Focus on aTGC which appears at dim-8 and onward
 - aTGC: ZZZ, γ ZZ ([PLB817\(2021\)136311](#))
 - ✓ CP-conserving: $f_{5\gamma}, f_{5Z}, h_{3Z}, h_{4Z}$
 - ✓ CP-violating: $f_{4\gamma}, f_{4Z}, h_{1Z}, h_{2Z}$
- “f” operators predominately sensitive in on-shell ZZ region
- Only interference term considered to constrain anomalous CP-odd neutral triple gauge couplings ($f_{4\gamma}$ and f_{4Z})
 - Quadratic term will violate the unitarity and will also not induce asymmetries in the discriminating variable
- Use CP odd sensitive observable to do the constraint ★

Analysis strategy

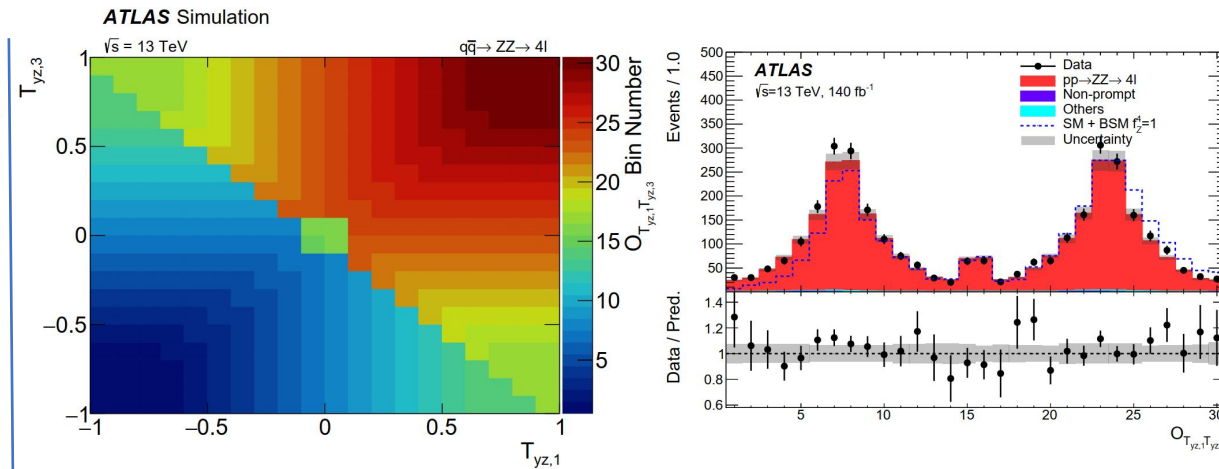
- Construct **CP sensitive angular observable** ($O_{T_{yz,1}T_{yz,3}}$) with the polar and azimuthal angles of Z boson

- Angular observable: $T_{yz,1(3)} = \sin\phi_{1(3)} * \cos\theta_{1(3)}$



SM prediction

f_{4Z} prediction



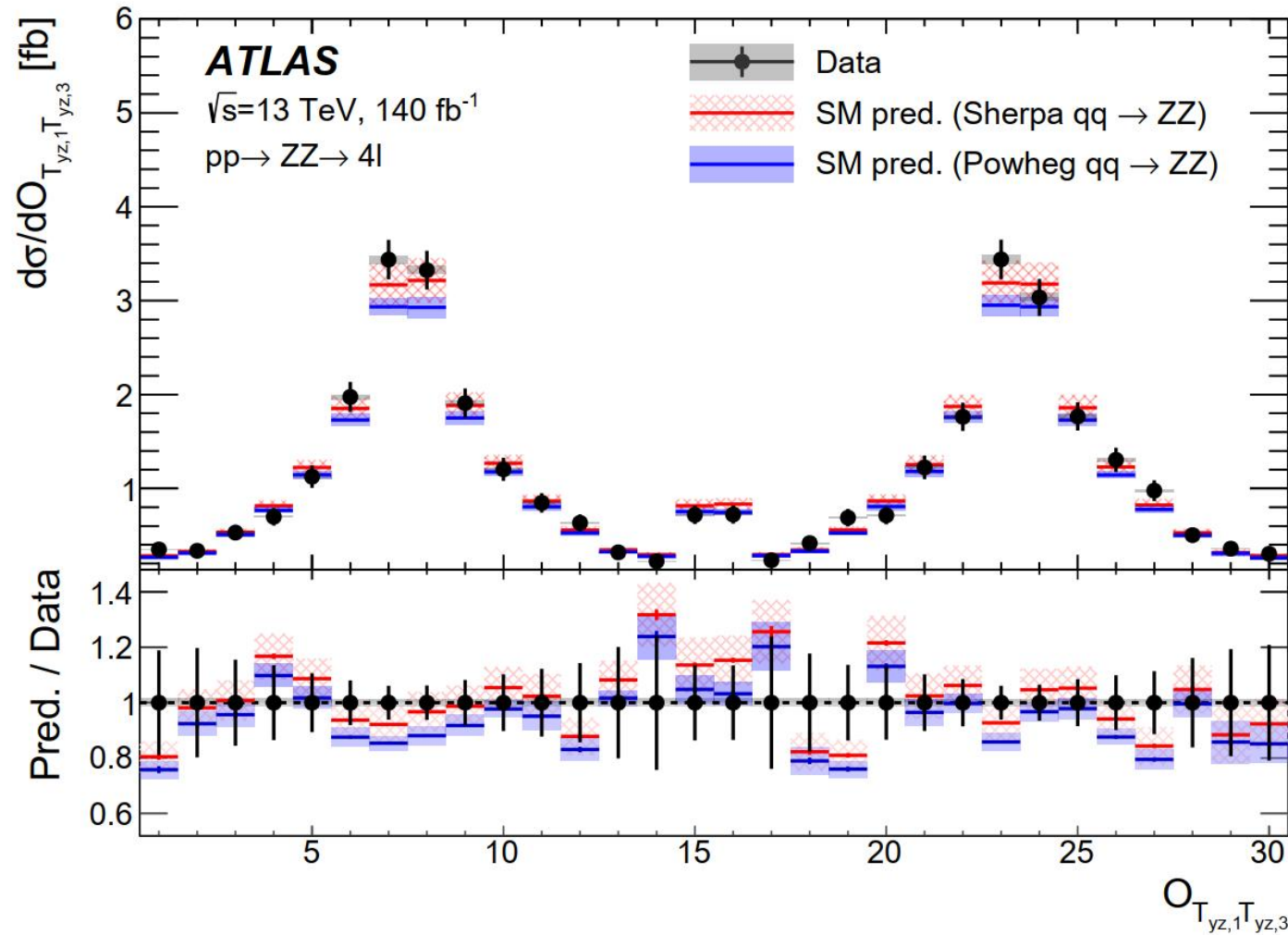
The 2D \rightarrow 1D mapping

- Use unfolding to correct the detector effects

- Bayesian iteration unfolding method
- Iteration number 2 is used

- The measured data agree closely with the prediction at the reco level
- The bins 1 to 7 and 24 to 30 are the most sensitivity bins

Results



- The measured cross-section from the data agrees closely with both SM predicted cross-sections (Sherpa and Powheg)
- The differential cross-section of a CP-sensitive angular observable ($O_{T_{yz1}T_{yz2}}$) used to constrain anomalous CP-odd neutral triple gauge couplings.

aNTGC parameter	Interference only	
	Expected	Observed
f_Z^4	$[-0.16, 0.16]$	$[-0.12, 0.20]$
f_γ^4	$[-0.30, 0.30]$	$[-0.34, 0.28]$

The first constraints on CP-odd aNTGC parameters using only linear interference terms with a dedicated CP-sensitive observable

Summary

- The polarization and CP properties in $ZZ \rightarrow 4l$ production are measured with full Run2 data at ATLAS
- **Established the first evidence of joint longitudinal polarization states of ZZ bosons in ATLAS.**
 - Signal strength:
$$\mu_{LL} = 1.15 \pm 0.27(\text{stat.}) \pm 0.11(\text{syst.})$$
 - Significance: **4.3 σ** (3.8 σ)
- The differential cross-section of a CP sensitive angular observable ($o_{T_{yz1}T_{yz2}}$) used to constrain anomalous CP-odd neutral triple gauge couplings (f_{4Z} and $f_{4\gamma}$).

aNTGC parameter	Interference only	
	Expected	Observed
f_Z^4	$[-0.16, 0.16]$	$[-0.12, 0.20]$
f_γ^4	$[-0.30, 0.30]$	$[-0.34, 0.28]$

Stay tuned for new Run 3 results!

Backup

Phase space and samples

- Data: Full Run2 dataset @13 TeV
- MC Samples:

LO

$qq \rightarrow ZZ \rightarrow 4l$		Generator	DSID	Cross-section (fb)
TT 0 or 1 jet	inclusive	MADGRAPH + PYTHIA 8	502354	20.486
TT 2 jets	inclusive	MADGRAPH + PYTHIA 8	502357	3.1879
TT 2 jets EW	inclusive	MADGRAPH + PYTHIA 8	502360	0.32478
TL 0 or 1 jet	inclusive	MADGRAPH + PYTHIA 8	502355	7.4671
TL 2 jets	inclusive	MADGRAPH + PYTHIA 8	502358	1.7441
TL 2 jets EW	inclusive	MADGRAPH + PYTHIA 8	502361	0.1552
LL 0 or 1 jet	inclusive	MADGRAPH + PYTHIA 8	502356	1.7441
LL 2 jets	inclusive	MADGRAPH + PYTHIA 8	502359	0.2829
LL 2 jets EW	inclusive	MADGRAPH + PYTHIA 8	502362	0.0438

qqZZ

Process		Generator	DSID	Cross-section fb (k-factor if not 1)
$gg (\rightarrow H^{(*)}) \rightarrow ZZ^{(*)} \rightarrow 4\ell$	inclusive, $m_{4\ell} > 130$ GeV	SHERPA 2.2.2	345706	10.091 (1.7)
$pp \rightarrow W^{(*)}W^{(*)}Z^{(*)} \rightarrow 4\ell 2\nu$	inclusive	SHERPA 2.2.2	364243	1.7973
$pp \rightarrow W^{(*)}Z^{(*)}Z^{(*)} \rightarrow 5\ell 1\nu$	inclusive	SHERPA 2.2.2	364245	0.18812
$pp \rightarrow Z^{(*)}Z^{(*)}Z^{(*)} \rightarrow 6\ell$	inclusive	SHERPA 2.2.2	364247	0.014458
$pp \rightarrow Z^{(*)}Z^{(*)}Z^{(*)} \rightarrow 4\ell 2\nu$	inclusive	SHERPA 2.2.2	364248	0.38556
$pp \rightarrow t\bar{t} + \ell\ell$	$t\bar{t}Z, m_{\ell\ell} > 5$ GeV	SHERPA 2.2.0	410142	113.09 (1.09)

ggZZ & Other bkg

- Event selection

Category	Requirement
Event Preselection	Fire at least one lepton trigger ≥ 1 vertex with 2 or more tracks
Four-lepton signature	At least 4 leptons (e, μ)
Lepton kinematics	$p_T > 20$ GeV for leading two leptons
Lepton separation	$\Delta R_{ij} > 0.05$ for any two leptons
J/ψ -Veto	$m_{ij} > 5$ GeV for all SFOS pairs
Trigger matching	Baseline leptons matched to at least one lepton trigger
Quadruplet formation	At least one quadruplet with 2 Same-Flavor, Opposite-Sign (SFOS) pairs
On-shell ZZ pair	$m_{4l} > 180$ GeV
On-shell Z boson	$ m_{ij} - m_Z < 10$ GeV

On Shell

The definition of angular variables

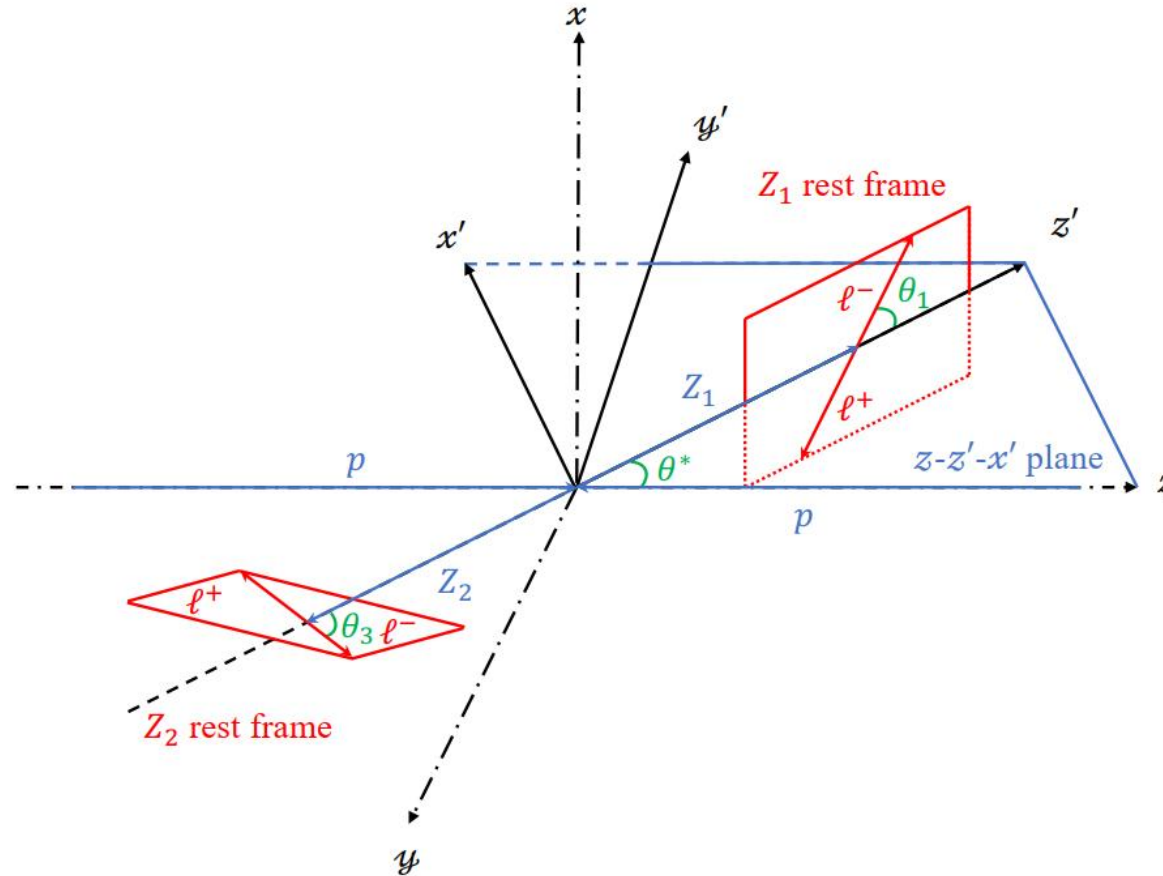
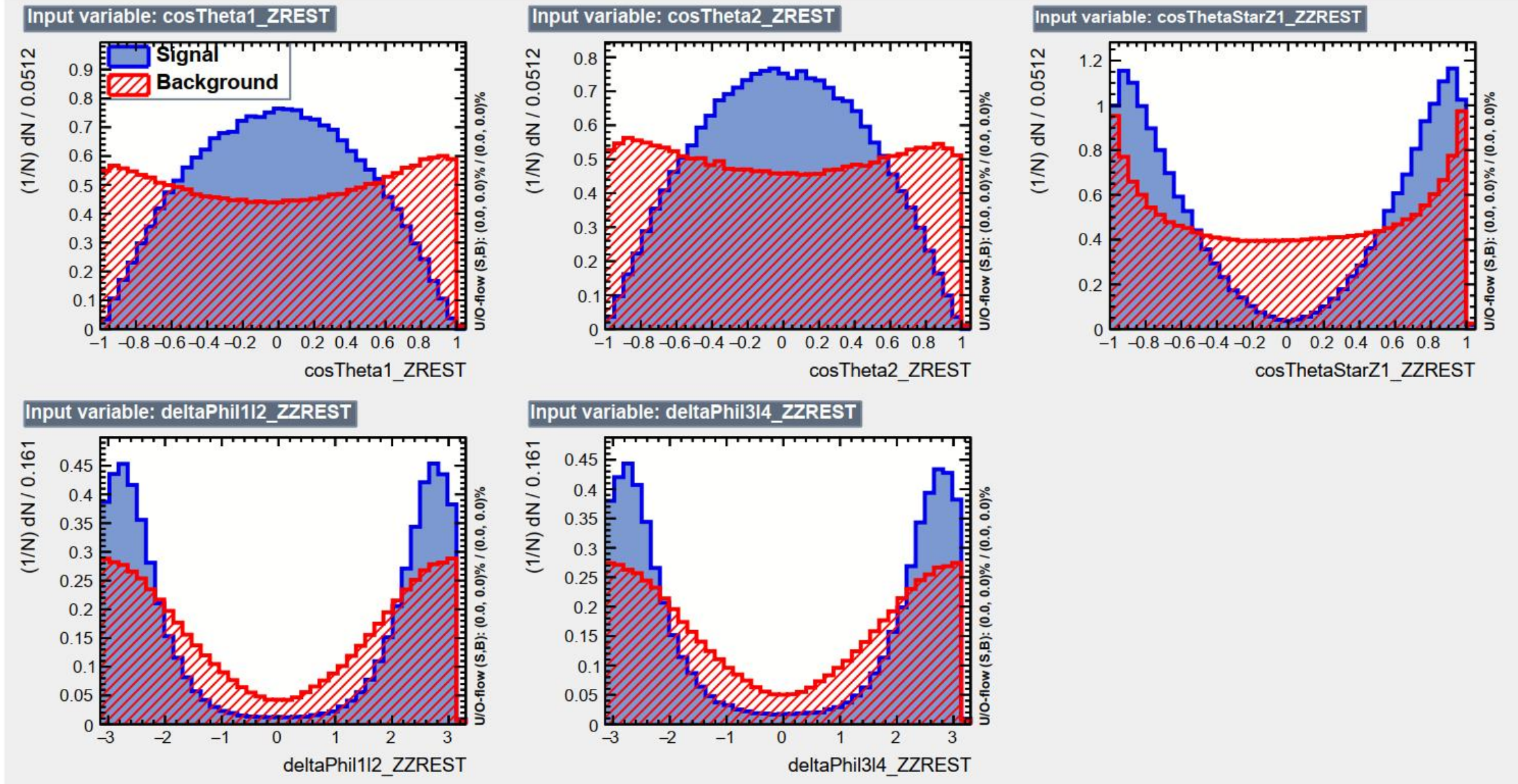


Figure 2: Definition of the angles used for the polarisation measurement and the reference frame used to define the CP-sensitive angles. The xyz -frame (dot-dashed) is the laboratory frame with the z -axis along the beam direction. The $x'y'z'$ -frame (solid) is a new frame used to define the CP-sensitive angles. The z' -axis is defined as the direction of motion of the Z_1 boson in the four-lepton rest frame. The x' -axis defines the reaction plane containing the laboratory z -axis and the z' -axis. The right-hand rule gives the y' -axis.

Multivariate Analysis



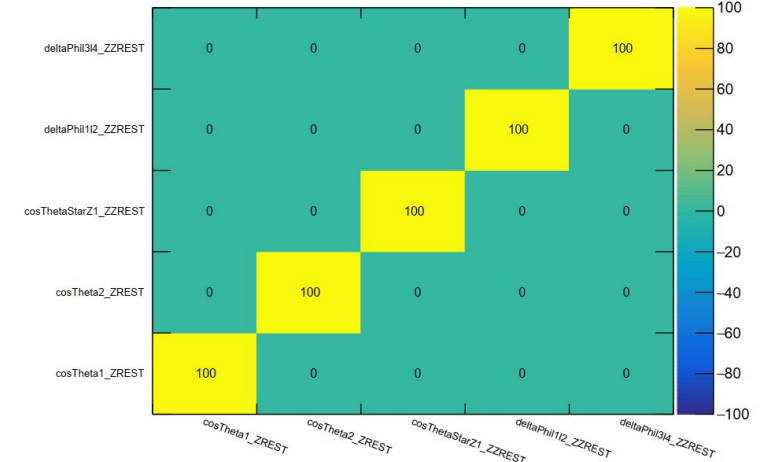
Multivariate Analysis

Rank	BDT observables	Importance
1	$\Delta\phi_{\ell_3\ell_4,ZZREST}$	2.231×10^{-1}
2	$\Delta\phi_{\ell_1\ell_2,ZZREST}$	2.212×10^{-1}
3	$\cos\theta_{Z1,ZZREST}^*$	2.086×10^{-1}
5	$\cos\theta_{1,ZREST}$	1.806×10^{-1}
6	$\cos\theta_{2,ZREST}$	1.665×10^{-1}

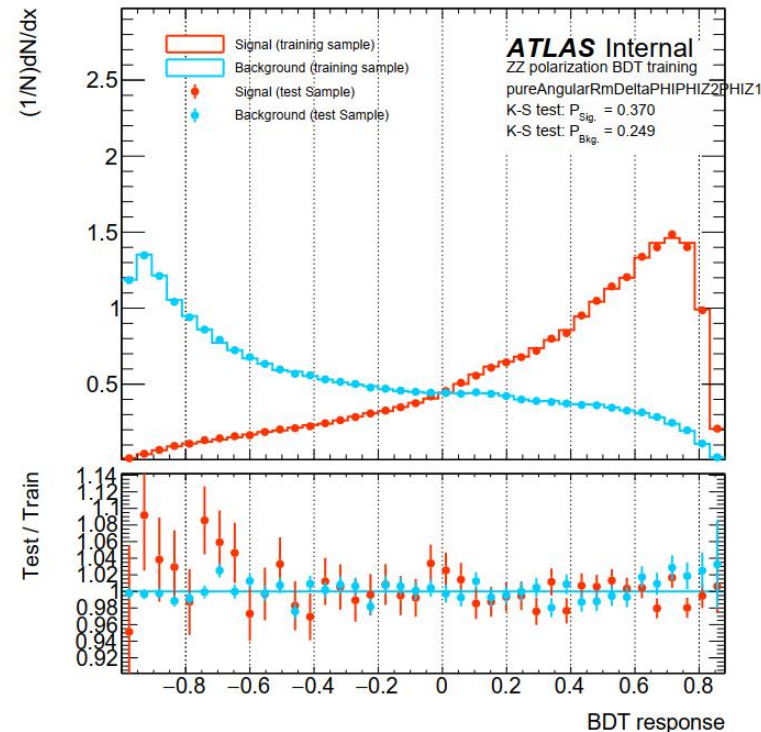
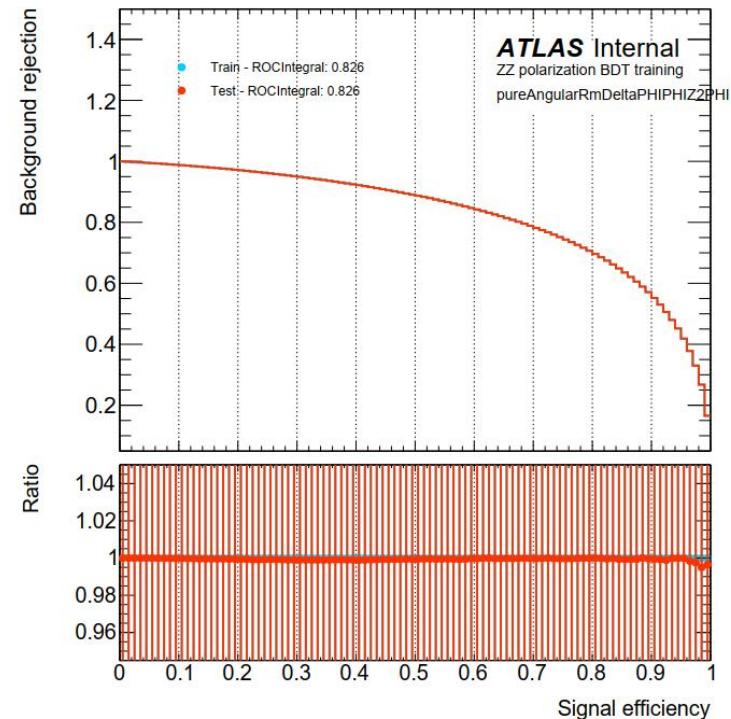
BDT parameters	value
NTrees	850
MaxDepth	3
MinNodeSize	1%
nCuts	100
Shrinkage	0.1

ATLAS Internal

CorrelationMatrix(Signal) : pureAngularRmDeltaPHIPHIZ2PHIZ1

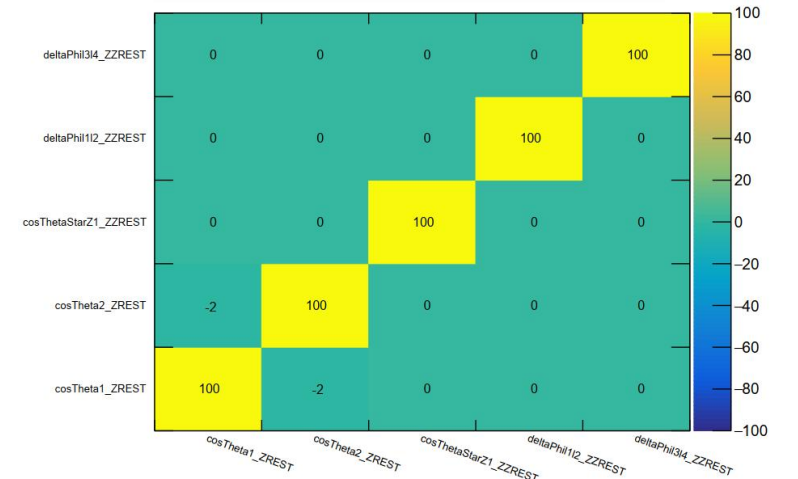


(a) correlation among observables in signal



ATLAS Internal

CorrelationMatrix(Background) : pureAngularRmDeltaPHIPHIZ2PHIZ1



(b) correlation among observables in background

Systematics uncertainties

- Theoretical systematics on SM MC samples
 - QCD scale
 - envelope of variation of μ_R, μ_F to 0.5 and 2 scale
 - PDF+ α_s
 - envelope of σ of 100 NNPDF3.0 variations and MMHT & CT14NNLOPDF
 - Parton Shower uncertainty for qqZZ
 - comparing the truth-born distributions of the nominal SHERPA and alternative POWHEG samples
 - ttV and VVV cross-section variation
 - a conservative flat 15% variation for ttV cross-section from [the measurement](#)
 - a conservative flat 40% variation for VVV cross-sections from [the measurement](#)
 - Variation related to EWK NLO reweighting for qqZZ
 - virtual EW correction k-factor applied on qqZZ sample
 - to account for non-factorizing effects for high QCD active events, as the size of correction
 - Variation related to NLO k-factor variation for ggZZ
 - uncertainty of NLO k-factor reweighting on ggZZ sample

Zjj analysis

- Data: Full Run2 dataset @13 TeV
- $\Delta\phi_{jj}$ variable is used to search for anomalous weak-boson self-interactions using dimension-six EFT

Wilson coefficient	Includes $ \mathcal{M}_{d6} ^2$	95% confidence interval [TeV ⁻²]		<i>p</i> -value (SM)
		Expected	Observed	
c_W/Λ^2	No	[-0.30, 0.30]	[-0.19, 0.41]	45.9%
	Yes	[-0.31, 0.29]	[-0.19, 0.41]	43.2%
\tilde{c}_W/Λ^2	No	[-0.12, 0.12]	[-0.11, 0.14]	82.0%
	Yes	[-0.12, 0.12]	[-0.11, 0.14]	81.8%
c_{HWB}/Λ^2	No	[-2.45, 2.45]	[-3.78, 1.13]	29.0%
	Yes	[-3.11, 2.10]	[-6.31, 1.01]	25.0%
$\tilde{c}_{HWB}/\Lambda^2$	No	[-1.06, 1.06]	[0.23, 2.34]	1.7%
	Yes	[-1.06, 1.06]	[0.23, 2.35]	1.6%

The results are almost unaffected with/without the pure dimension-six contributions.

