

Probing New Physics with di-Higgs signal

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Motivation

- Matter anti-Matter asymmetry¹:

$$Y_B = \frac{n_B - n_{\bar{B}}}{s} = (8.59 \pm 0.11) \times 10^{-11}$$

- Electroweak Baryogenesis:



Andrey Dmitriyevich Sakharov

Sakharov Conditions:

1. Departure from thermal equilibrium
Strong First Order Electroweak Phase Transition (SFOEWPT)
2. C and CP violation
3. Baryon Number violation

1. Ade, P. A. R., et al. Planck 2015 results.

Motivation

- Reason for singlet model:

Simpliest model that can generate SFOEWPT.

Observed correlation between
SFOEWPT and **enhanced** $h_2 h_1 h_1$ couplings

S. Profumo, M. J. Ramsey-Musolf and G. Shaughnessy, JHEP 0708, 010 (2007)

J. R. Espinosa, T. Konstandin and F. Riva, Nucl. Phys. B 854, 592 (2012)

J. M. No and M. Ramsey-Musolf, Phys. Rev. D 89, 095031 (2014)

Outline

- Introduction to the xSM
- EW phase transition in the xSM
- Review of resonant di-Higgs search
- Analysis of di-Higgs 4b final state
- Result
- Bouns: non-resonant di-Higgs search with SMEFT
- Summary

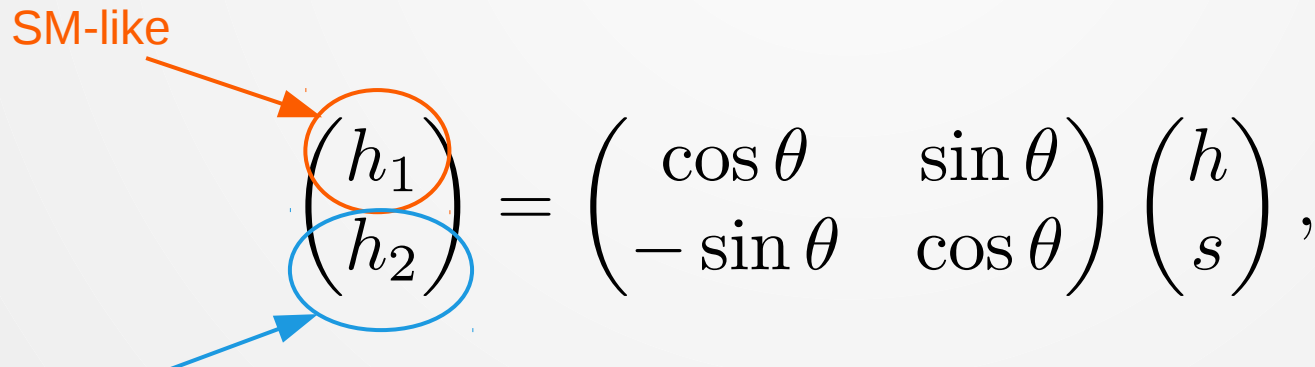
Introduction to the xSM

Introduction to the xSM

$$V(H, S) = -\mu^2 (H^\dagger H) + \lambda (H^\dagger H)^2 + \frac{a_1}{2} (H^\dagger H) S + \frac{a_2}{2} (H^\dagger H) S^2 + \frac{b_2}{2} S^2 + \frac{b_3}{3} S^3 + \frac{b_4}{4} S^4$$

$$H \rightarrow h + v_0 \quad S \rightarrow s + x_0$$

SM-like


$$\begin{pmatrix} h_1 \\ h_2 \end{pmatrix} = \begin{pmatrix} \cos \theta & \sin \theta \\ -\sin \theta & \cos \theta \end{pmatrix} \begin{pmatrix} h \\ s \end{pmatrix},$$

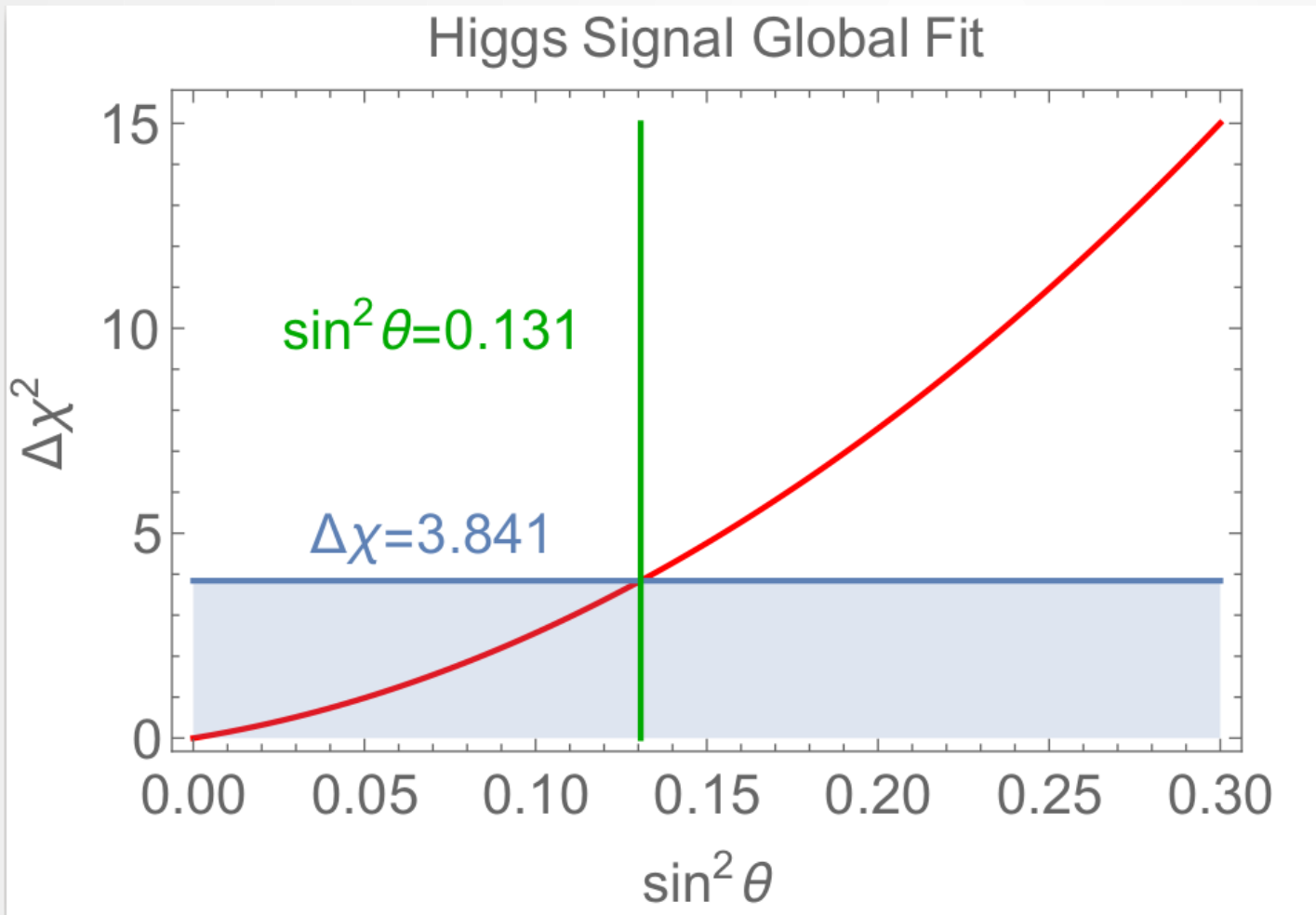
singlet-like

$$-\pi/4 < \theta < \pi/4$$

Introduction to the xSM

$$g_{h_1 XX} = \cos \theta g_{h XX}^{\text{SM}}, \quad g_{h_2 XX} = \sin \theta g_{h XX}^{\text{SM}}$$

$$\mu_{h_1 \rightarrow XX} = \frac{\sigma_{h_1} \cdot \text{BR}}{\sigma_{h_1}^{\text{SM}} \cdot \text{BR}^{\text{SM}}} = \cos^2 \theta \quad \mu_{h_2 \rightarrow XX} = \sin^2 \theta \left(\frac{\sin^2 \theta \Gamma^{\text{SM}}(m_2)}{\Gamma_{h_2}} \right)$$



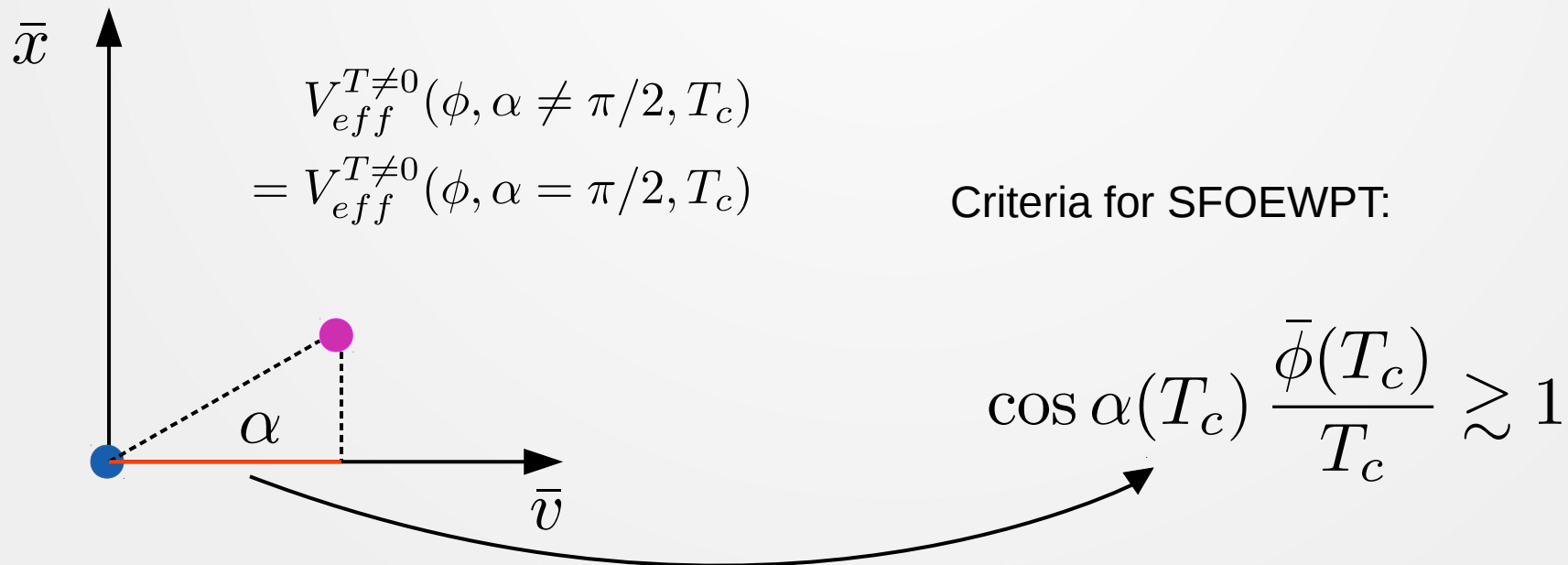
LHC Run2 data
with Lilith package

EWPT in the xSM

EWPT in the xSM

$$V_{\text{eff}}^{\text{high-}T}(h, s, T) \approx V_{\text{tree}}(h, s) + \frac{T^2}{24} [\text{Tr} M_{ij}^2(h, s) + 3m_A^2(h) + m_t^2(h)/2]^1$$

$$\bar{v}(T)/\sqrt{2} = \bar{\phi}(T) \cos \alpha(T), \quad \bar{x}(T) = \bar{\phi}(T) \sin \alpha(T)$$



EWPT in the xSM

Parameter Scan:

$$a_1/\text{TeV}, \quad b_3/\text{TeV} \in [-1, 1], \quad x_0/\text{TeV} \in [0, 1], \quad b_4, \lambda \in [0, 1]$$

$$\sin^2 \theta < 0.131$$

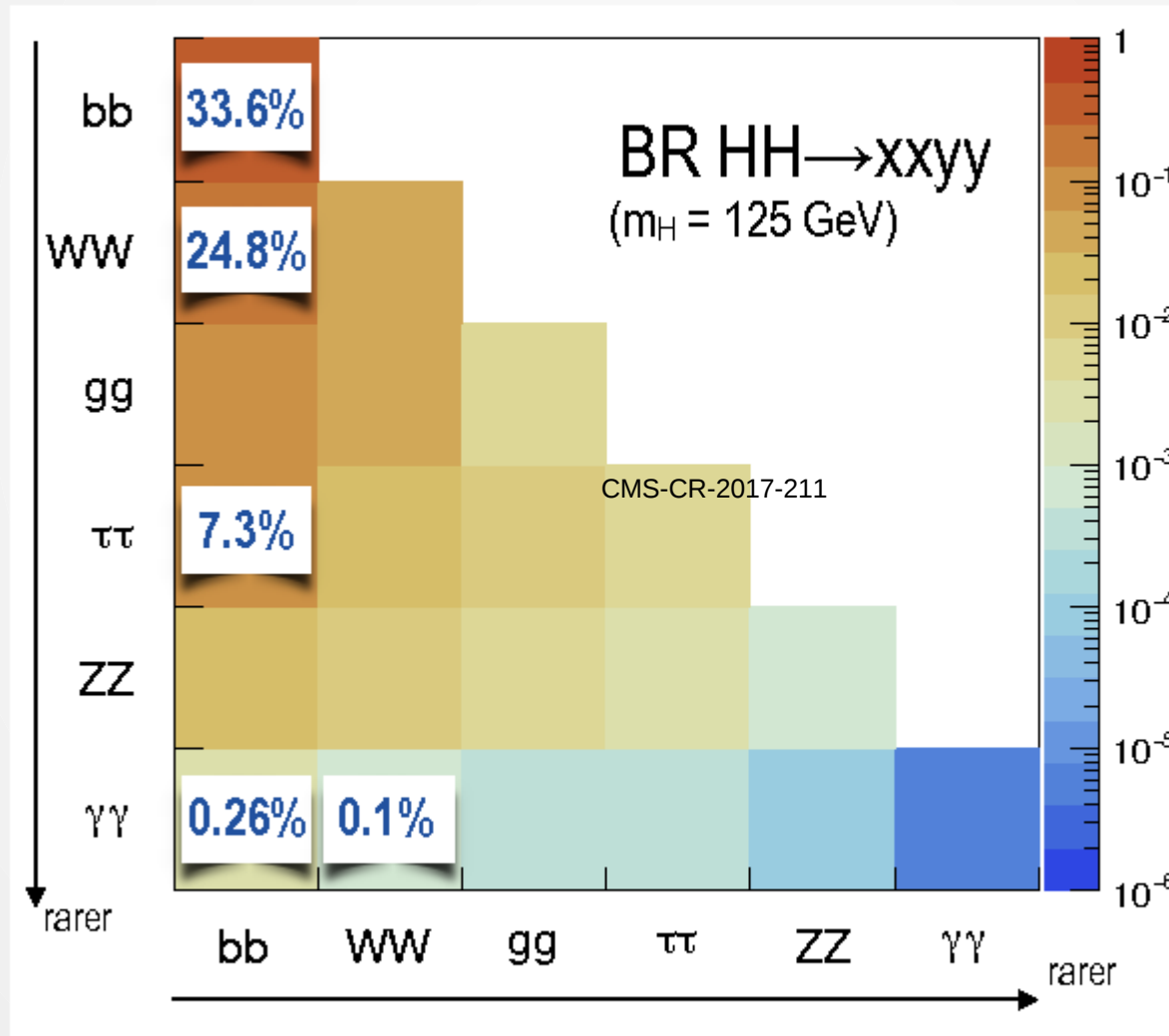
$$\Delta\mathcal{O} = (c_\theta^2 - 1)\mathcal{O}^{\text{SM}}(m_1) + s_\theta^2 \mathcal{O}^{\text{SM}}(m_2) = s_\theta^2 [\mathcal{O}^{\text{SM}}(m_2) - \mathcal{O}^{\text{SM}}(m_1)] \quad \mathcal{O} = S, T$$

$$\Delta\chi^2(m_2, c_\theta) = \sum_{i,j} [\Delta\mathcal{O}_i(m_2, c_\theta) - \Delta\mathcal{O}_i^0] (\sigma^2)_{ij}^{-1} (\Delta\mathcal{O}_j(m_2, c_\theta) - \Delta\mathcal{O}_j^0) < 5.99$$

we identify benchmark points with maximum and minimum signal rate from 11 consecutive h_2 mass windows of width 50 GeV ranging from 300 to 850 GeV.

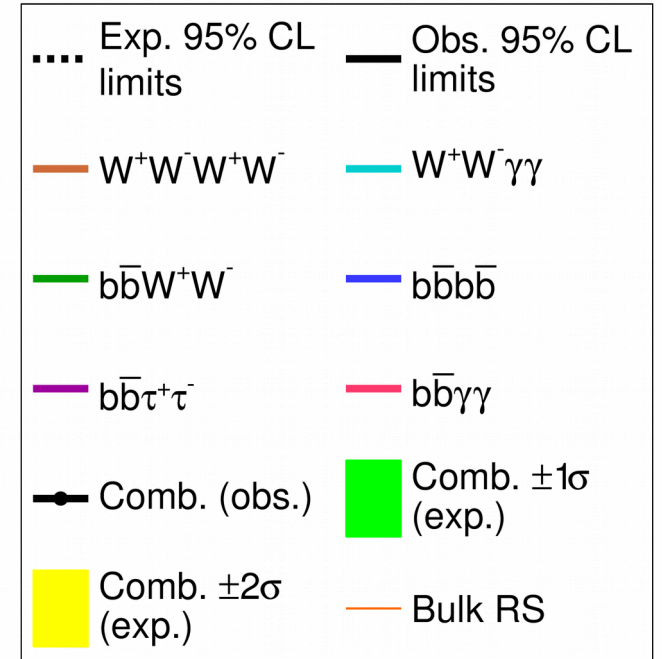
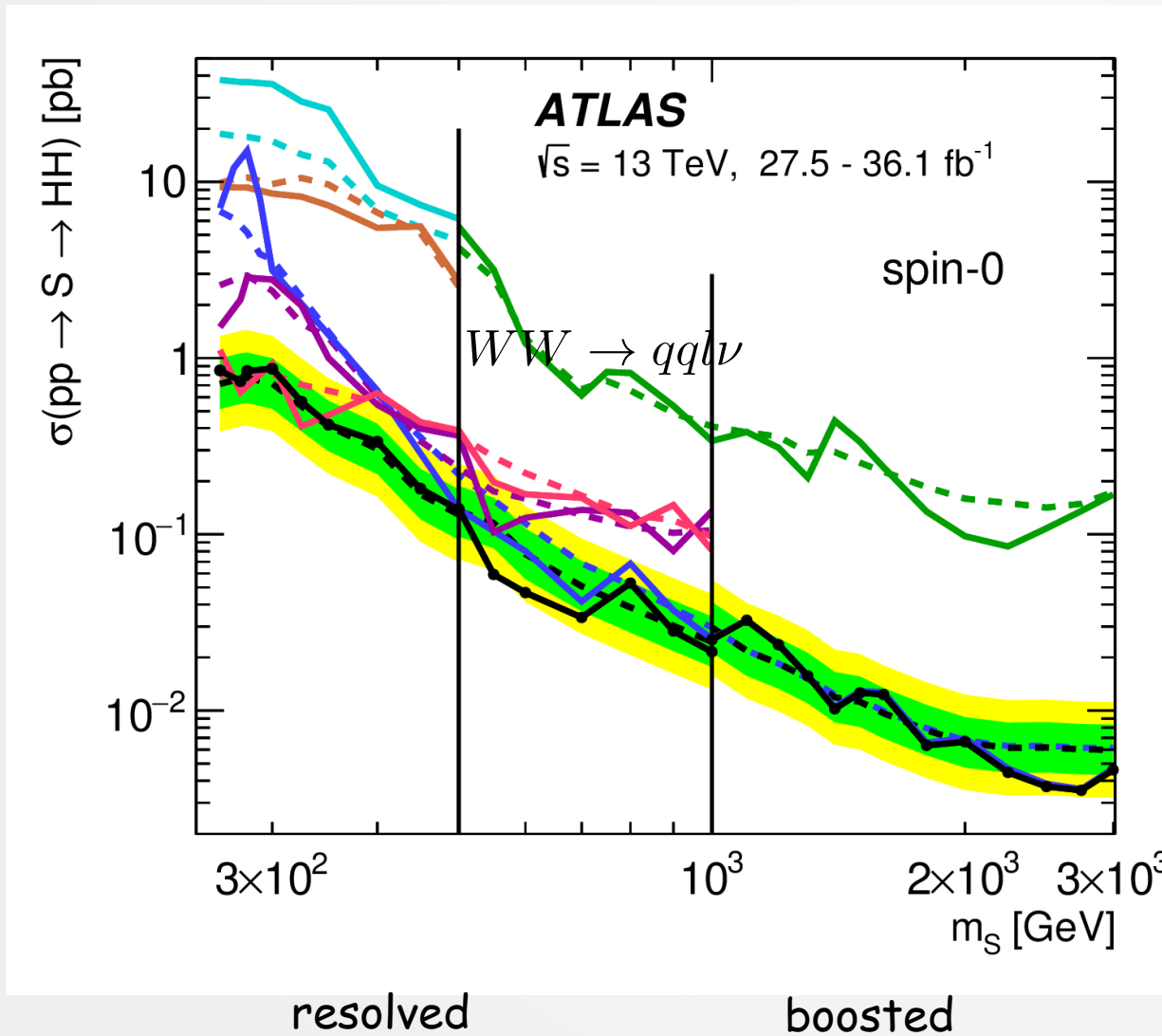
Review of resonant di-Higgs search

Review of resonant di-Higgs search

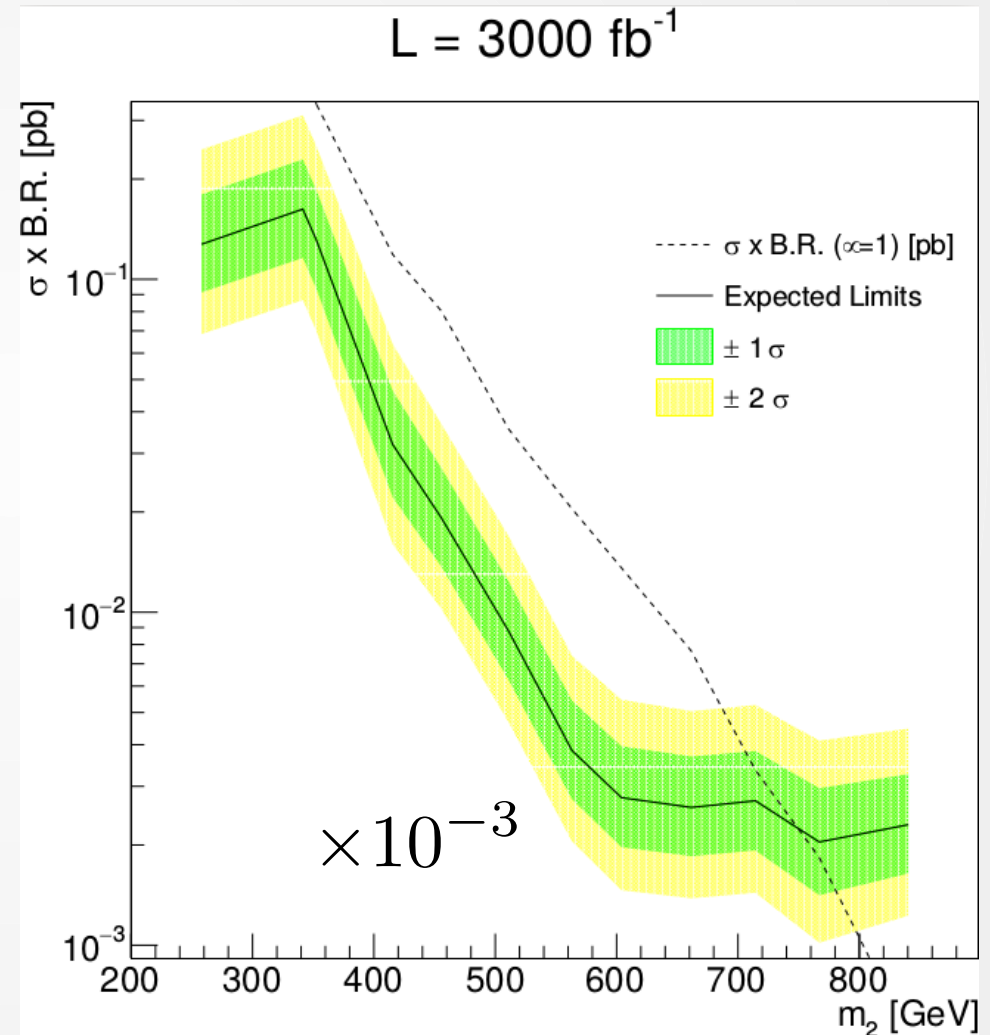
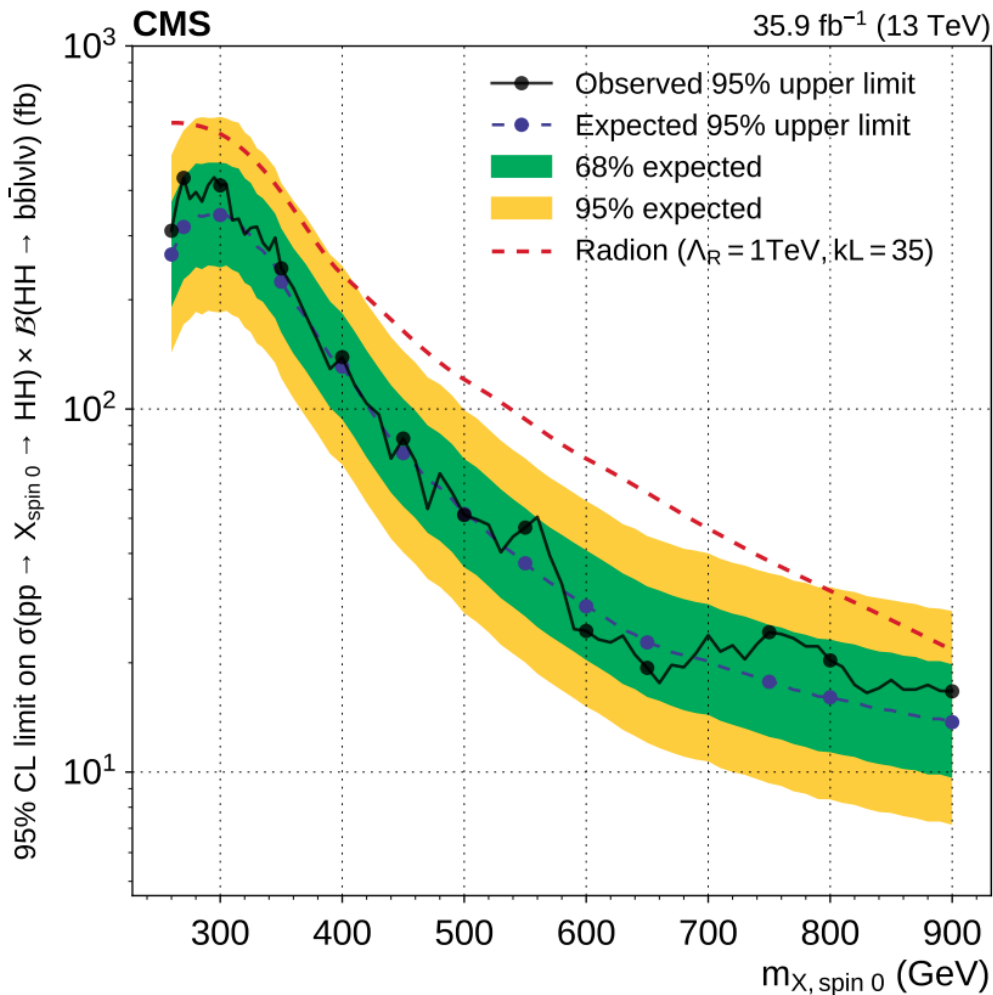


CMS-CR-2017-211

Review of resonant di-Higgs search



Review of resonant di-Higgs search



Naive rescale with $hh \rightarrow b\bar{b}l\nu l\nu$ and luminosity, it is **1000 times** better than current result!

Review of resonant di-Higgs search

Possible reason:

1. underestimation of the systematic uncertainties
2. The use of Heavy Mass Estimator (HME)

Review of resonant di-Higgs search

Heavy Mass Estimator (HME):

$$\dot{E}_{Tx} = p_x(\nu_{\ell_1}) + p_x(\nu_{\ell_2}), \quad (23)$$

$$\dot{E}_{Ty} = p_y(\nu_{\ell_1}) + p_y(\nu_{\ell_2}), \quad (24)$$

$$\sqrt{p^2(\ell_1, \nu_{\ell_1})} = M_W, \quad (25)$$

$$20 \text{ GeV} < \sqrt{p^2(\ell_2, \nu_{\ell_2})} < 45 \text{ GeV}, \quad (26)$$

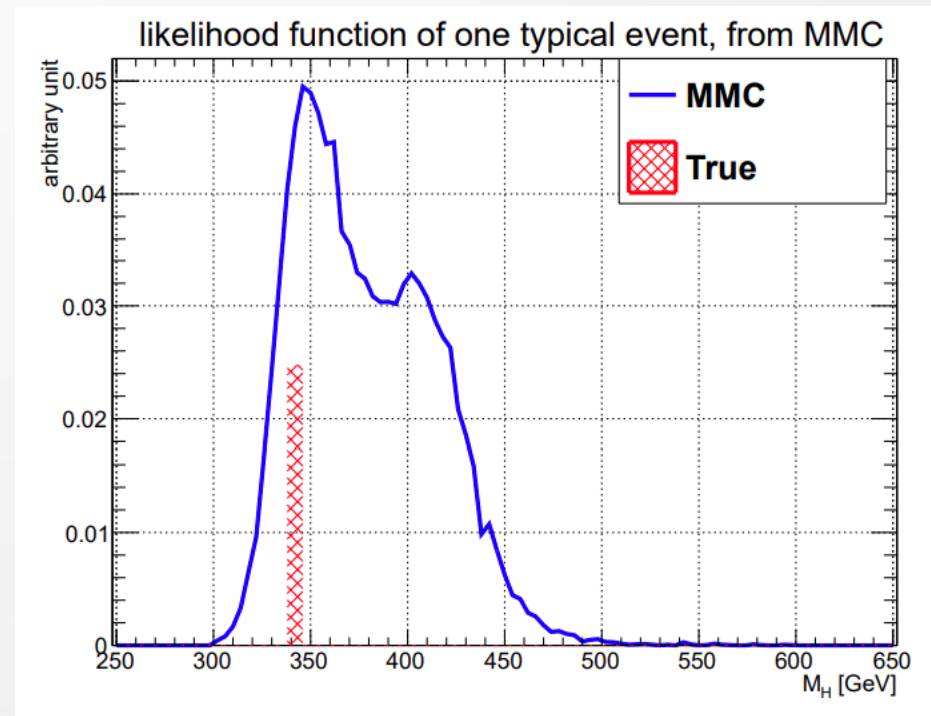
$$(p(\ell_1) + p(\ell_2) + p(\nu_{\ell_1}) + p(\nu_{\ell_2}))^2 = m_{h_1}^2, \quad (27)$$

$$(p(b_1) + p(b_2))^2 = m_{h_1}^2, \quad (28)$$

3+3=6 unknown variables,
5 eq.s + 1 constraint,
4 are neutrino related,

$$\eta_{\nu_1}, \phi_{\nu_1}$$

For **each event**, scan the two variables with prior distribution of $\eta_{\nu_1} \phi_{\nu_1}$, and verify that whether they satisfy the off-shell constraint, if they do, then calculate m_{h_2} and record the value. Record the peak of the m_{h_2} distribution as m_{h_2} for this event.



Analysis of di-Higgs 4b final state

We follow the resolve analysis of ATLAS to calibrate our simulation:

1. Select events with #b tagged jets ≥ 4 with $p_T > 40$ GeV and $|\eta| < 2.5$ and select 4 b-tagged jets as candidates with highest p_T
2. Selecting two di-jets systems: $\Delta R_{bb} < 1.5$, $p_T > 200(150)$ GeV

3.
$$p_T^{\text{lead}} > \begin{cases} 400 \text{ GeV} & \text{if } m_{4j} > 910 \text{ GeV,} \\ 200 \text{ GeV} & \text{if } m_{4j} < 600 \text{ GeV, } p_T^{\text{subl}} > \\ 0.65 m_{4j} - 190 \text{ GeV} & \text{otherwise,} \end{cases} \begin{cases} 260 \text{ GeV} & \text{if } m_{4j} > 990 \text{ GeV,} \\ 150 \text{ GeV} & \text{if } m_{4j} < 520 \text{ GeV,} \\ 0.23 m_{4j} + 30 \text{ GeV} & \text{otherwise,} \end{cases} \quad |\Delta\eta_{\text{dijets}}| < \begin{cases} 1.0 & \text{if } m_{4j} < 820 \text{ GeV} \\ 1.6 \times 10^{-3} m_{4j} - 0.28 & \text{otherwise.} \end{cases}$$

4. extra jets $p_T > 30$ GeV and $|\eta| < 1.5$ within $\Delta R_{bb} < 1.5$ with di-jet system, need to pass the cuts:

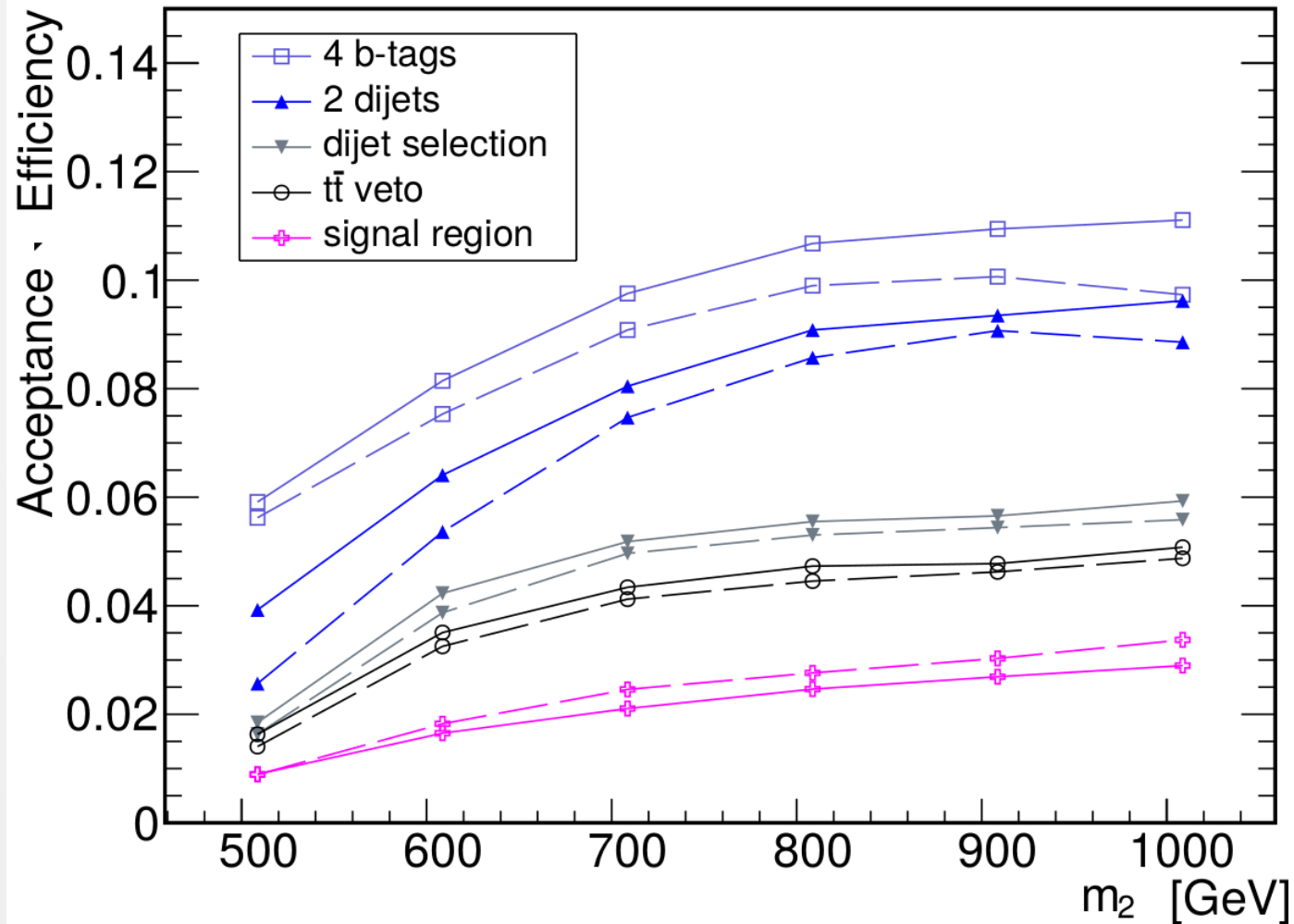
$$X_{tt} = \sqrt{\left(\frac{m_W - 80.4 \text{ GeV}}{0.1 m_W}\right)^2 + \left(\frac{m_t - 172.5 \text{ GeV}}{0.1 m_t}\right)^2} < 3.2$$

5. Finally the signal region cuts:

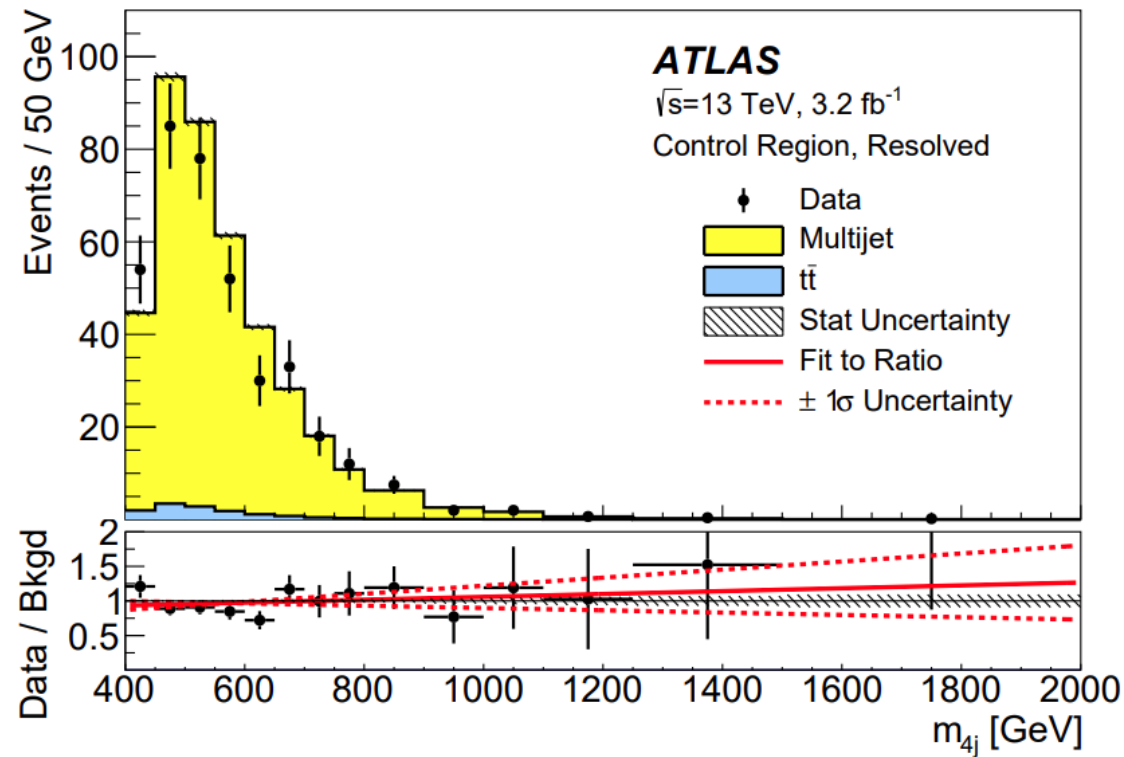
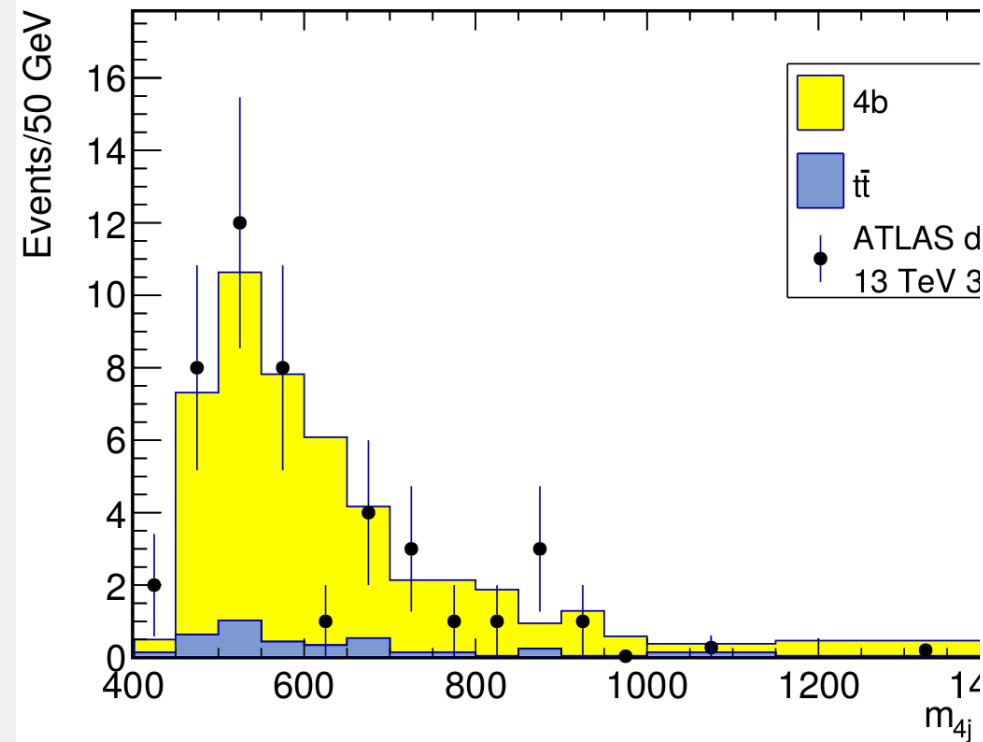
$$X_{h_1 h_1} = \sqrt{\left(\frac{m_{2j}^{\text{lead}} - 120 \text{ GeV}}{0.1 m_{2j}^{\text{lead}}}\right)^2 + \left(\frac{m_{2j}^{\text{subl}} - 113 \text{ GeV}}{0.1 m_{2j}^{\text{subl}}}\right)^2} < 1.6$$

Analysis of di-Higgs 4b final state

Analysis of di-Higgs 4b final state



Analysis of di-Higgs 4b final state



$$N_{bbcc} = N_{4b} \times \frac{\sigma_{bbcc}}{\sigma_{4b}} \times \left(\frac{\epsilon_c^{\text{tag}}}{\epsilon_b^{\text{tag}}} \right)^2$$

Analysis of di-Higgs 4b final state

We then use the BDT to optimize the cut to forecast 14TeV sensitivity:

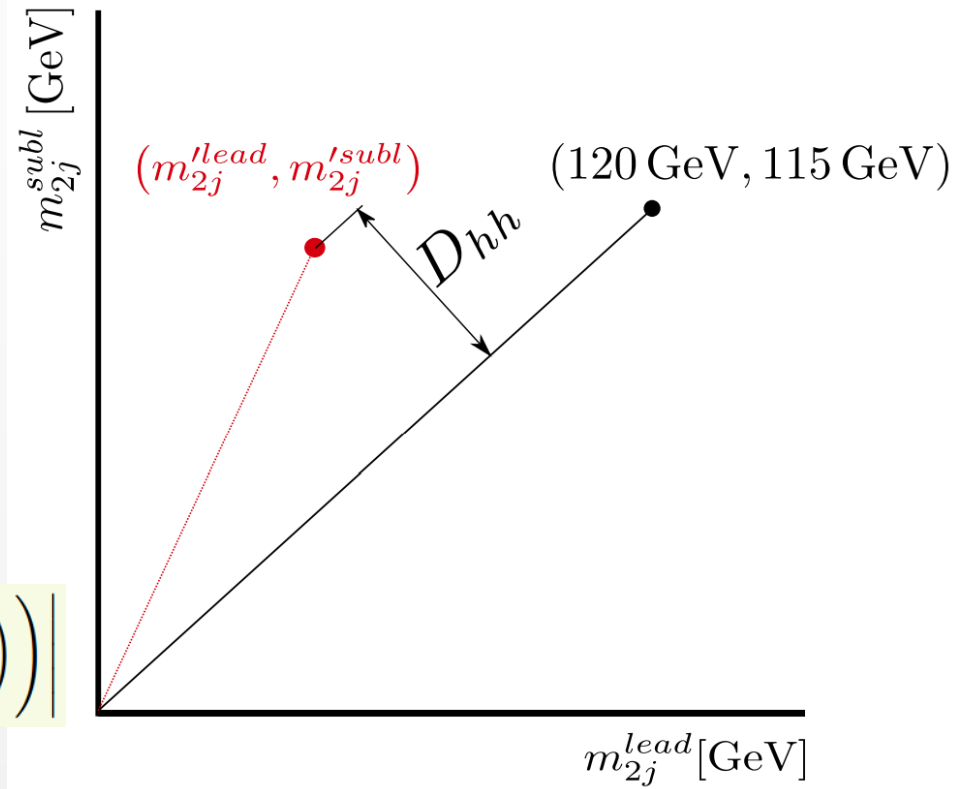
1. selecting di-jet system:

4 b jets with $p_T > 30$ GeV and $|\eta| < 2.5$

$$\left. \begin{aligned} \frac{360}{m_{4j}} - 0.5 < \Delta R_{jj}^{\text{lead}} < \frac{655}{m_{4j}} + 0.475 \\ \frac{235}{m_{4j}} < \Delta R_{jj}^{\text{subl}} < \frac{875}{m_{4j}} + 0.35 \end{aligned} \right\} \text{if } m_{4j} < 1250 \text{ GeV,}$$

$$\left. \begin{aligned} 0 < \Delta R_{jj}^{\text{lead}} < 1 \\ 0 < \Delta R_{jj}^{\text{subl}} < 1 \end{aligned} \right\} \text{if } m_{4j} > 1250 \text{ GeV.}$$

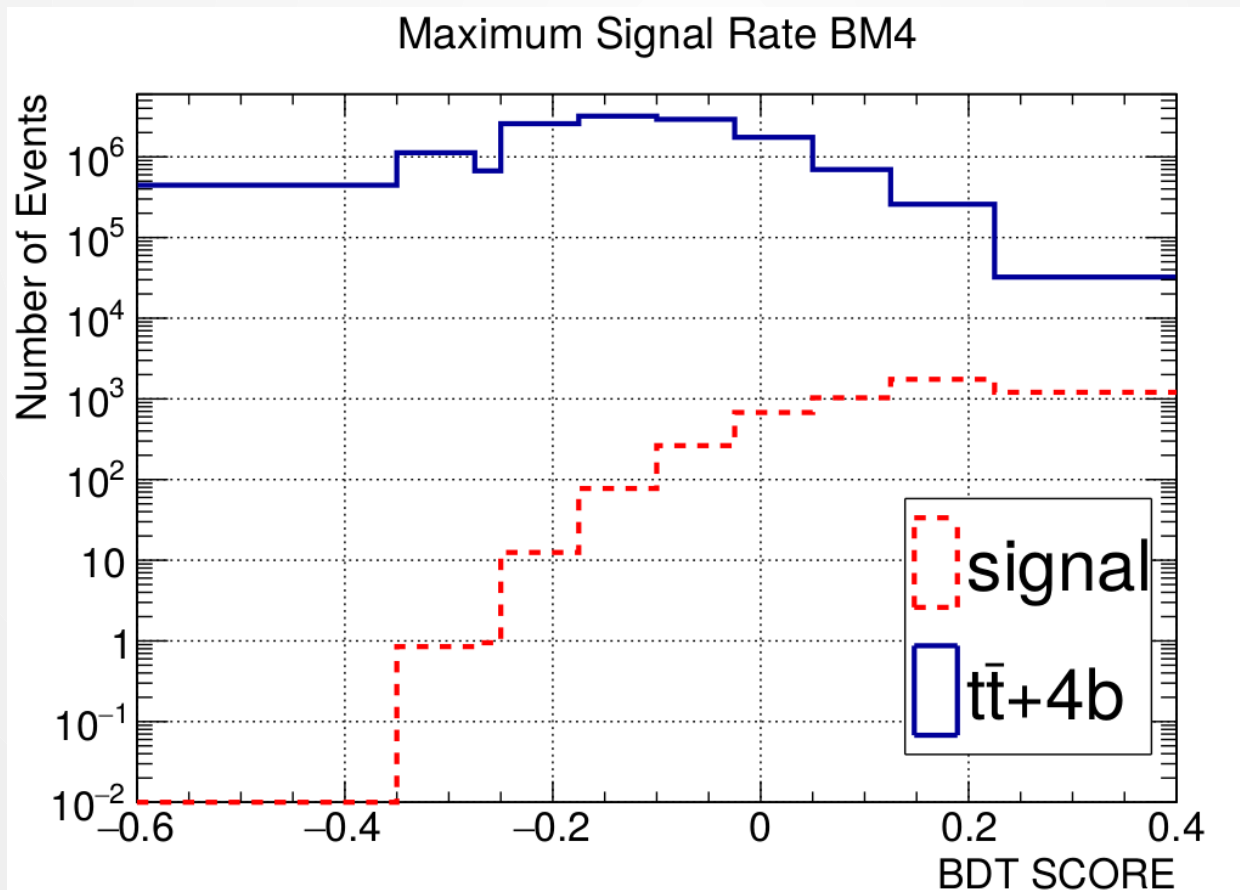
$$D_{h_1 h_1} = \sqrt{(m_{2j}^{\text{lead}})^2 + (m_{2j}^{\text{subl}})^2} \left| \sin \left(\tan^{-1} \left(\frac{m_{2j}^{\text{subl}}}{m_{2j}^{\text{lead}}} \right) - \tan^{-1} \left(\frac{115}{120} \right) \right) \right|$$



Analysis of di-Higgs 4b final state

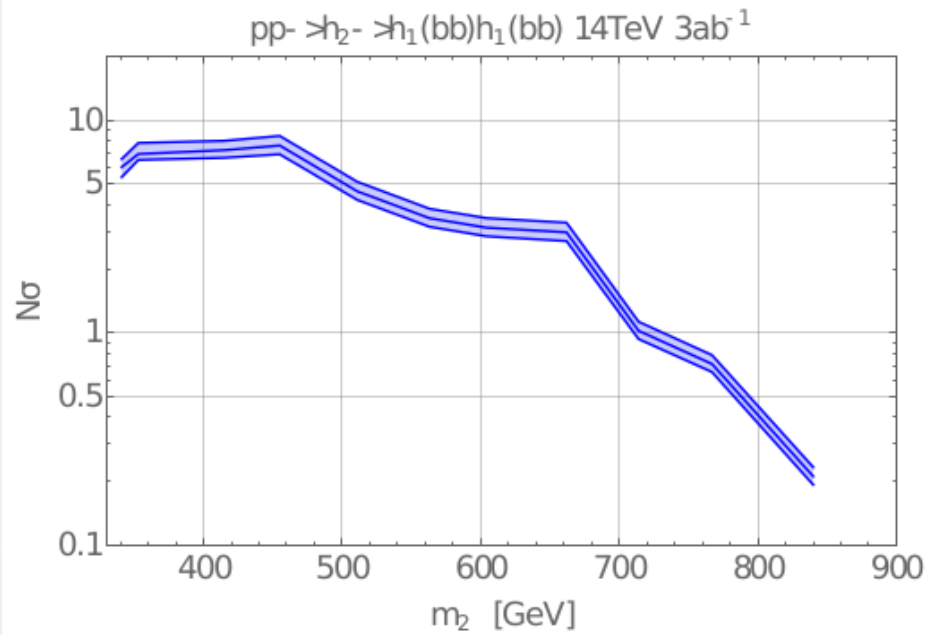
Put the following variables into the BDT

$$p_T^{\text{lead}}, p_T^{\text{subl}}, \Delta R_{jj}^{\text{lead}}, \Delta R_{jj}^{\text{subl}}, \Delta R_{h_1 h_1}, \Delta \phi_{h_1 h_1}, \Delta \eta_{h_1 h_1}, m_{2j}^{\text{lead}}, m_{2j}^{\text{subl}}, X_{h_1 h_1}, m_{4j},$$

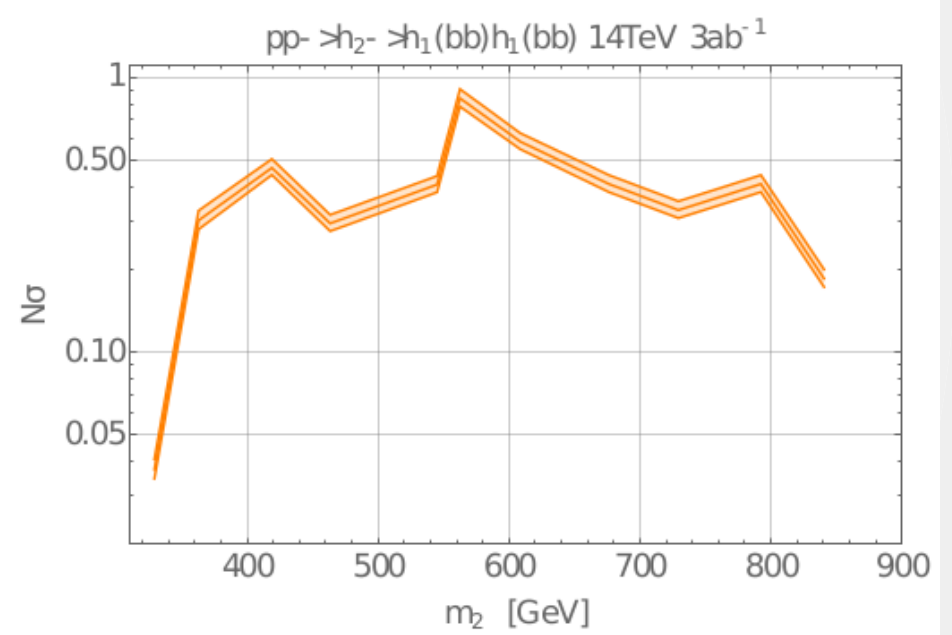


$$m_{h_2} = 445 \text{ GeV}$$

Result



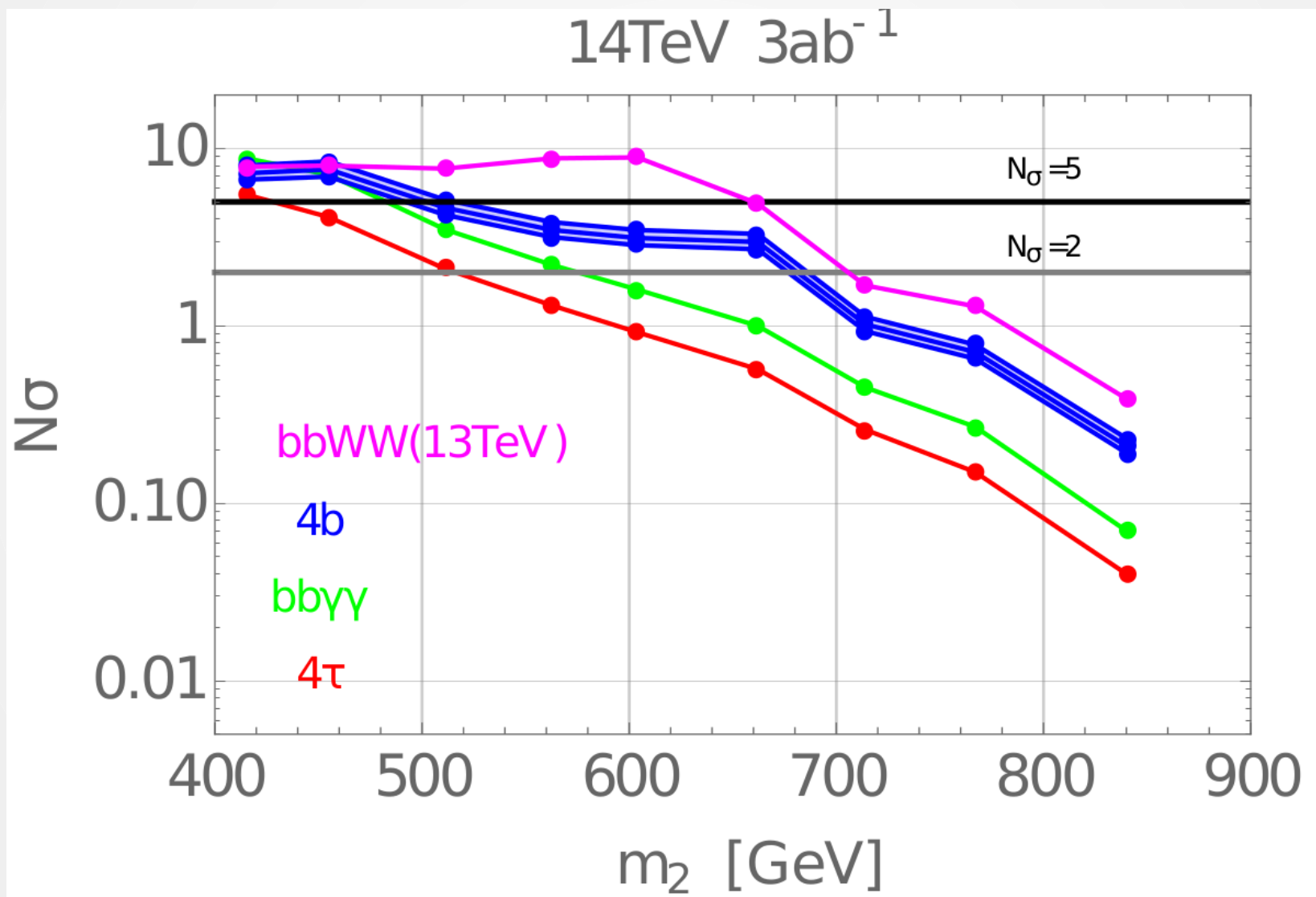
(a) BM_{\max} benchmark



(b) BM_{\min} benchmark

convert $1 - CL_b$ to N_σ

Result



convert $1 - \text{CL}_b$ to N_σ

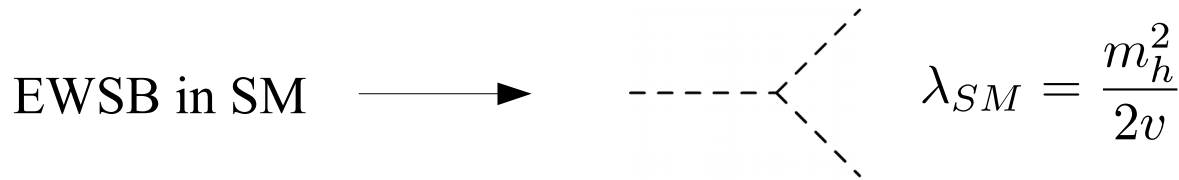
Summary

1. Di-Higgs resonant search is a good way to test EWPT.
2. $b\bar{b}\gamma\gamma$ is the best channel for relatively light h_2 .
3. $4b$ is good for $m_{h_2} > 500 \text{ GeV}$ but not as good as $b\bar{b}WW$.

Bouns: non-resonant di-Higgs production

DiHiggs in SM EFT

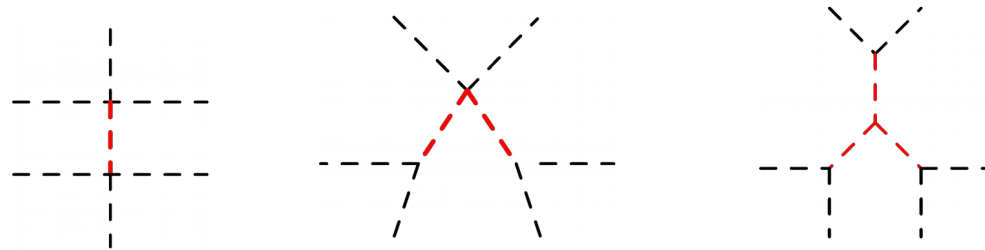
JHEP 1805 (2018) 061 T.Cobett, A. Joglekar, H.-L Li, J.-H Yu



Leading Order Correction in SM EFT:

$$c_H (H^\dagger H)^3$$

Tree Level Produce:



Need Interaction:

HH Φ

$$2 \otimes 2 = 3 \oplus 1$$

Triplet and Singlet

HHH Φ

$$2 \otimes 2 \otimes 2 = 4 \oplus 2$$

Quadruplet and Doublet

$$c_{HD} |H^\dagger D_\mu H|^2$$

$$c_{HD} \sim c_H$$

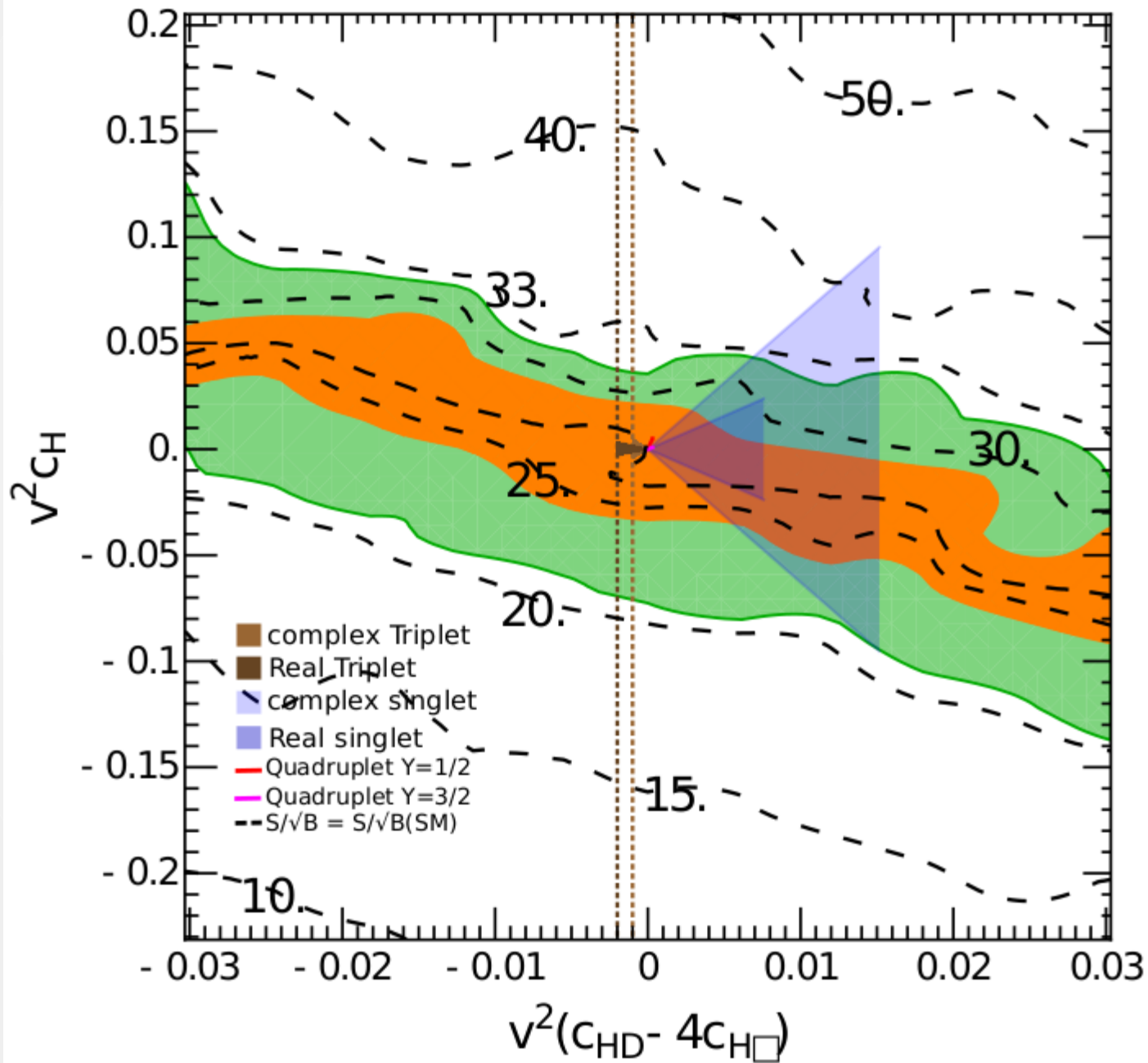
Strong T parameter constraint

Correction to λ_{SM} can not be observed even in 100TeV pp collider for $M=1\sim 2\text{TeV}$.

No T parameter constraint, Possible to generate correction to λ_{SM} which can be observed in 100TeV pp collider for $M=1\sim 2\text{TeV}$.

Theory:	C_H	C_{H□}	C_{HD}	C_{eH}	C_{uH}	C_{dH}
\mathbb{R} Singlet	$-\frac{\lambda_{HS}}{2} \frac{g_{HS}^2}{M^4}$	$-\frac{g_{HS}^2}{2M^4}$	-	-	-	-
\mathbb{C} Singlet	$-\left(\frac{ g_{HS} ^2 \lambda'_{H\Phi}}{2M^4} + \frac{\text{Re}[g_{HS}^2 \lambda_{H\Phi}]}{M^4}\right)$	$-\frac{ g_{HS} ^2}{M^4}$	-	-	-	-
2HDM, Type I	$\frac{ Z_6 ^2}{M^2}$	-	-	$\frac{Z_6}{M^2} Y_l c_\beta$	$\frac{Z_6}{M^2} Y_u c_\beta$	$\frac{Z_6}{M^2} Y_d c_\beta$
Type II:	$\frac{ Z_6 ^2}{M^2}$	-	-	$-\frac{Z_6}{M^2} Y_l s_\beta$	$\frac{Z_6}{M^2} Y_u c_\beta$	$-\frac{Z_6}{M^2} Y_d s_\beta$
Lepton-Specific:	$\frac{ Z_6 ^2}{M^2}$	-	-	$-\frac{Z_6}{M^2} Y_l s_\beta$	$\frac{Z_6}{M^2} Y_u c_\beta$	$\frac{Z_6}{M^2} Y_d c_\beta$
Flipped:	$\frac{ Z_6 ^2}{M^2}$	-	-	$\frac{Z_6}{M^2} Y_l c_\beta$	$\frac{Z_6}{M^2} Y_u c_\beta$	$-\frac{Z_6}{M^2} Y_d s_\beta$
\mathbb{R} Triplet ($Y = 0$)	$-\frac{g^2}{M^4} \left(\frac{\lambda_{H\Phi}}{8} - \lambda\right)$	$\frac{g^2}{8M^4}$	$-\frac{g^2}{2M^4}$	$\frac{g^2}{4M^4} Y_l$	$\frac{g^2}{4M^4} Y_u$	$\frac{g^2}{4M^4} Y_d$
\mathbb{C} Triplet ($Y = -1$)	$-\frac{ g ^2}{M^4} \left(\frac{\lambda_{H\Phi}}{4} + \frac{\lambda'}{8} - 2\lambda\right)$	$\frac{ g ^2}{2M^4}$	$\frac{ g ^2}{M^4}$	$\frac{ g ^2}{2M^4} Y_l$	$\frac{ g ^2}{2M^4} Y_u$	$\frac{ g ^2}{2M^4} Y_d$
\mathbb{C} Quadruplet ($Y = 1/2$)	$\frac{ \lambda_{H3\Phi} ^2}{M^2}$	-	$\frac{2 \lambda_{H3\Phi} ^2 v^2}{2M^4}$	-	-	-
\mathbb{C} Quadruplet ($Y = 3/2$)	$\frac{ \lambda_{H3\Phi} ^2}{M^2}$	-	$\frac{6 \lambda_{H3\Phi} ^2 v^2}{2M^4}$	-	-	-

S/\sqrt{B} 100TeV 30ab^{-1} $c_{\text{th}}=0$



$$Q_{H\Box} = (H^\dagger H)\Box(H^\dagger H),$$

$$Q_{HD} = (D^\mu H)^\dagger H H^\dagger (D_\mu H)$$

$$Q_H = (H^\dagger H)^3,$$